

STRUCTURAL DESIGN OF.A PROPOSAL
3- STOREY OFFICE COMPLEX.

BY .

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CERTIFICATION

I, hereby testify that this work has been supervised, read and has met part of the requirement for the award of post graduate diploma(PDG) in the Department of Civil Engineering, Federal University Of Technology, Minna, Niger State. Nigeria.

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Date

DEDICATION

I, gladly dedicate this project to ALLAH THE ALMIGHTY for HIS GRACE,
MERCY and STRENGTH given me in writing it.

ACKNOWLEDGEMENTS

I acknowledge the grace of ALLAH in my life for given the opportunity to be one of the students of the Federal University of Technology (FUT) Minna and for His guidance in the course of writing this project. I appreciate the support of my Head of Department of Civil Engineering; Prof. Sadiku who has his doors open at all time to anybody for advice.

My sincere appreciation goes to my project supervisor Engr. S. F Oritola for his contributions and directions towards accomplishing this project. This acknowledgement will be in conclusive if the support and contribution of all my lecturers are not mentioned. They are distinguished: Engr. Prof. O.D Jimoh, Engr. Dr. F. Agunwa, Engr. Dr. P.N Ndoke, Engr. Dr. A Amadi, Engr. Dr. E.Y Tsado, Engr. Dr. S.M Auta, Engr. Dr. M. Abdullai, Engr. M.A Mustapha, Engr. S.S Kolo, Engr. James Olayemi, Engr. R. Adesoji, Engr. Mrs AD Gbadebo, Engr. Busari Hafiz, Engr. I. Jimoh, Engr. I. Abdulkadiri, Engr. T.Y Adejumo and a host of others.

Appreciation equally goes to my wives, Hajiya Kafeelat, Hajiya Saratu, my children and brothers for their support throughout my stay in the University. ~ay Allah bless you all. (Amin).

ABSTRACT

This project covers the analysis, design and detailing of a proposed office complex for the State Security Services In Abuja. The project was prepared based on the standard and principle set out by the structural use of concrete B58110 parts 1,2 and 3 to achieve the desired objectives. The roof members, beams slabs, stair-case, columns and the foundations were analysed and designed in accordance to BS8110. The results were used to produce simple and neat structural detailed drawing to ease estimation and construction of the proposed project.

NOTATIONS

As.pro.	area of tension reinforcement provided
As.req	area of tension reinforcement required
Asv.	cross - sectional areas of the two legs of a link
b	width of section
bw	breadth of web or rib of a member
d	effective depth of tension reinforcement
di	dept to compression reinforcement
tbs	bond stress
feu	characteristic concrete cube strength
fy	characteristic strength of reinforcement
fyl	characteristic strength of longitudinal
fyf	characteristic strength of link reinforcement
Ok	characteristic dead load
g	distributed dead load
gk	characteristic dead load per unit area
hf	thickness of flange
hmax	larger dimension of section
I	second moment of inertia
Ie	effective height of column or wall
lex	effective height for bending about major axis
ley	effective height of bending about the major axis
l0	clear height of column between end restraint
M	bending moment
Madd	maximum additional moment



Mi	Maximum initial moment in a column due to ultimate load (but not less than O.O.NI)
Miy	Initial moment about minor axis of slender column
Mt	Total moment in a column due to ultimate loads
Mtx	Total moment about the minor axis of a slender column
Mty	Total moment about the minor axis of a slender column
Mu	Ultimate moment of resistance
N	Ultimate axial load at a section
Nuz	Axial load capacity of a column ignoring all bending
n	Total ultimate load per unit area
Qk	Characteristic imposed load
q	Distributed line load
qk	Characteristic imposed load
Sv	Spacing of link along the member
T	Torsional moment due to ultimate load
U	Perimeter
V	Shear force due to ultimate load
Vc	Ultimate shear stress in concrete
X	Neutral axis depth
Xi	Smaller dimension of a link
Yi	Larger dimension of a link
Z	Lever arm
Zo	Lever arm factor Z/d
red	Ratio of reduction in resistance
Us	Sum of effective perimeter of the tension reinforcement
O	Bar size

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CHAPTER ONE

1.0 INTRODUCTION:

The security office is an office where security is the watch-word. This project of the office complex is to house the state security services (SSS) for their movement from Lagos to Abuja. The design recognizes this fact of security and as a result, basement is introduced as a detained room for any support for a period of 48-hours before prosecution.

1.1 AIM

To design a structurally and functional office complex for state security service (SSS) in Abuja.

1.2 OBJECTIVES

- (a) To determine the appropriate quality of reinforcement in a member, so as to make member serviceable for the intended period of life.
- (b) To ensure that, the structure is safe under the worst condition of load application.
- (c) To ensure that the deformation of the structure is not impairing the appearance, durability and performance of the structure, under the working load (serviceability).
- (d) To ensure that, the structure is economical"

(e) To ensure that the structure can comply with future functional and structural requirements.

(f) To achieve an aesthetically pleasing and structurally gratifying structure.

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REFERENCE

British Standard (BS 8110) Part I and II (1989) structural use of concrete.

British Standard (BS) 5268 Part (1988).

Musley W.H, J.H Bungey 4th Edition Reynolds Reinforced concrete Designers Hand Book by
Charles .e. Reynolds, James C. Steadman and Anthony

Simplified Reinforced concrete design by Victor .O. Oyenuga

DESIGN PARAMETERS

Slabs : Ribbed slabs

: Clay pots of size 2000 x 200 x 400mm are used with a weight of

0.0077 kN

: Cover is 20mm

: Concrete topping is reinforced with R8 @ 300 x 300 mesh for anticracks

Beams : Cover of 20mm is used

Concrete : Concrete grade of C- 30 (i.e $f_{cu} = 30N/mm^2$) is recommended for all the members having a characteristics strength of

$7N/mm^2$ at 3 days

$14N/mm^2$ at 7 days

$30N/mm^2$ at 28 days

Reinforcement: High yield steel of strength are used for $410N/mm^2$ at the tensile and compressive members

- Mild steel are used as stirrups except some exceptional cases as indicated in the design

Foundations: 500mm cover is used

50mm blinding of strength $7N/mm^2$ (grade C - 7)

Allowable bearing pressure of 300 kN/m²

Fire Resistance ----- 1₂~rs.

CHAPTER TWO

2.0 LITERATURE REVIEW

2.1 INTRODUCTION

(History of the use of Reinforced Concrete),

Reinforced concrete was invented in France 1850, and now one of the most important materials used in building construction. It is a combination of concrete and steel, Concrete (which can resist very high compressive forces, but has little resistance to the tensile, Shearing, twisting and other forces to which the parts of a structure are subjected) and steel, which has a high resistance to tensile forces and other force imposed on the structures by their own weight, the loads they carry, and by other forces, such as the wind. Reinforced concrete is designed so that, generally, the compressive forces are resisted by the concrete and the tensile forces by the steel reinforcement. The reinforcement is generally in the form of mild steel round bars up to 40mm in diameter, but square, Indented, and twisted bars are used. The development of high tensile steel has increased further the Load-bearing capacities of reinforced concrete. An advantage of the steel reinforcement is that it also resists the tensile stresses induced in the concrete -when the concrete shrinks during the setting and hardening process. Another is that concrete and steel expand and contract at the same rate with changes of temperature. A further advantage of reinforced concrete is its resistance to fire. The use of reinforcement has made possible the erection of large cantilevers, thin domes long spans, and shapes that would be impossible or uneconomical in any other material. It has also made possible reinforced concrete beams, transmission line poles. Lamp and fence posts and many other products

which can be made in a factory away from the Site of erection with a consequent reduction of the amount of labour required on the site.

2.2 COMPOSITION OF REINFORCED CONCRETE

Reinforced concrete is a man made composite of the major constituent of which is cement, aggregates water, and steel.

2.2.1 Cement: can be describe as a material with adhesive and cohesive properties, which makes it capable of binding mineral fragment into a compact whole. It can also be explained as a materials which is added iin an appropriate form to a non-coherent assemblage of particles, will subsequently hardened by physical or chemical means and bind the particles into a coherent mass. Thus therefore, allows such diverse material like bitumen, lime to be grouped under the umbrella of cement. For construction purposes the term cement is restricted to binding materials used with stones, sand, bricks, building blocks etc.

The cement of interest is that for making concrete and similar building materials which have the property of setting and hardening in the presence of water (mixture) by virtue of chemical reactions called hydration. Cement which is the most expensive ingredient in concrete making and the most reliable as it provide greater percentage of the concrete strength. The principal requirement is tht the cement should be able to produce strong dense and durable concrete with defmite setting and harden characteristic.

Cement is manufactured from basic raw materials of calcium carbonate found in calcareous rocks such as Limestone or chalk, silica, alumina, and Iron oxide found in argillaceous rocks such clay or shale. It is prepared by first intimately grinding and mixing the raw constituents in certain

proportion (wet or dry process) and subsequently burning this mixture at very high temperature (1450°C) in a rotary or shaft kiln to produce clinker. The cooled clinker is finally ground with addition of 1-5% gypsum to the required fineness. The gypsum retards the hydration of the aluminates Component of the cement to avoid what is called flash set. The most common cement used is the Portland cement which was developed in 1824 AD and derives its name from Portland limestone in Dorset UK.

Generally, the Oxide composition of a typical Portland cement is presented in TABLE 2.1

TABLE 2.1 COMPOSITION OF PORTLAND CEMENT

OXIDE	COMPOSITION
Lime, CaO-	64.7
Silica, SiO ₂ -	21.20
Alumina, Al ₂ O ₃ -	5.22
Iron Oxide, Fe ₂ O ₃	3.08
Magnesia MgO	1.04
Sulphur trioxide, SO ₃	2.01
Soda, Na ₂ O-	0.42
Loss on ignition, LOI	1.45
Insoluble residue, IR	0.66
	100.00
Free lime, CaO-	1.60

The insoluble residue which is determined by treating the cement with hydrochloric acid is a measure of cement adulteration arising from impurities in gypsum. The BSI, (1958) and NIS 11. (1974).

Fineness:- The ordinary Portland cement should have an average specific Surface of not less than $2.500\text{cm}^2/\text{g}$..

Settings:- (a) Initial setting time should not be less than 45 minutes (b) Final Setting time should not be less or equal to 10 hours.

Soundness: Should not have an expansion more than 10mm and of aerated less or equal to 5mm.

TYPES OF CEMENT

The deliberate variation on the proportions of the four main compounds Ordinary Portland cement (OPC) with their hydrates added with chemicals/admixtures enable cements with different properties to be produce, to suit different circumstances of construction, such cement types includes:

- (1) Ordinary Portland cement (OPC). This cement is the most common and has a medium rate of hardening, making it suitable for most concrete work. It has a low resistance to chemicals and has a final setting of 10 hours.
- (2) Rapid hardening Portland cement: is in many ways similar to ordinary Portland cement but produce a much higher early strength. The increased rate of hydration is accompanied by a high rate of heat development which makes it unsuitable for large mass concrete.
- (3) Low heat Portland cement: has a limited use but is suitable for very large structures, such as concrete dams, where the use of ordinary

cement would result in unacceptably large temperature gradients within the concrete.

- (4) Portland blast furnace cement is produced by mixing up to 65 percent granulated blast furnace slag with ordinary Portland cement.
- (5) Hydrophobic cement: Made by grinding the cement clinker with small amount of film forming water repellent material sprayed into the mill.
- (6) Other types of cement are:
 - Sulphate resisting Portland cement
 - Extra-rapid hardening Portland cement
 - Ultra-high early-strength Portland cement
 - Water proof and water repellent Portland cement
 - Air-entraining Portland Cement
 - Super sulphated cement
 - Pozzolanic cement

2.2.2 Aggregate: It is much cheaper than cement and maximum economy is obtained by using as much aggregate as possible in concrete. Its use also considerably improves both the volume, stability and the durability of the resulting concrete. The commonly held view that aggregate is a completely inert filler in concrete is not true, its physical characteristics and in some cases its chemical composition affecting to a varying degree the properties of concrete in both plastic and hardened states.'

~ .Types of aggregate

In the previous sections, discussion has been mainly confined to rock aggregates. Although other types of aggregate are used for making

concrete their contribution is very small in comparison with rock aggregates.

- ~ Heavyweight aggregate: Provide an effective and economical use of concrete for radiation shielding' by giving the necessary protection against x-rays gamma rays and neutrons. The effectiveness of heavyweight concrete, with a density from 4000 to 5500kgm⁻³, depends on the aggregate type, the dimensions, and the degree of compaction. It is frequently difficult with heavyweight aggregate to obtain a mix which is both workable and not prone to segregation.
- ~ Normal aggregate: These aggregates are suitable for most purposes and produce concrete with a density in the range 2300 to 2500kgm⁻³. Rock aggregates are obtained by crushing quarried rock to the required particles size or by extracting the sand and gravel deposits formed by alluvial or glacial action. Some sands and gravels are also obtained by dredging from sea and river bed. Aggregates, in particular sands and gravels, should be washed to remove impurities such as clay and silt. In the case of river and marine aggregates the chloride content should generally be less than 1 percent if these are to be used for structural concrete.
- ~ Lightweight aggregates: find application in a wide variety of concrete products ranging from insulating screeds to reinforced or pre-stressed concrete although their greatest use has been in the manufacture of pre-cast concrete blocks.

Concretes made with lightweight aggregates have good fire resistance properties. The most commonly used lightweight aggregates in the UK are expanded slate (solite), expanded clay (aglite and leca), clinker,

foamed sky and sintered pulverized fuel ash (Lytag). They are highly porous and absorb considerably greater quantities of water than do normal aggregates.

2.2.3 Water: Water used in concrete, in addition to reaction to reacting with cement and thus causing it to set and harden, also facilitates mixing, placing and compacting of the fresh concrete. It is also used (or washing aggregates and for curing purposes. In general water fit for drinking such as tap water is acceptable for making concrete. The impurities that are likely to have an adverse effect when present in appreciable quantities include silt, clay, acids alkalis and other salts, organic matter and sewage. "The use of seawater does not appear to have any adverse effect on the strength and durability of Portland cement concrete but it is known to cause surface dampness efflorescence and staining and should be avoided where concrete where concrete with good appearance is required. Seawater also increases the risk of corrosion of steel and its use in reinforced concrete is not recommended; When suitability of mixing water is in question, it is desirable to test for both the nature and extent of contamination as prescribed in BS3148.

The quality of water may also be assessed by comparing the setting time and soundness of cement pastes made with water of known quantity and the water whose quality is suspect.

The use of impure water for washing aggregates can adversely affect strength and durability, if it deposits harmful substances on the surface of the water. In general the presence of impurities in the curing water does not have any harmful effect, although it may spoil the appearance of concrete.

, Water containing appreciable amounts of acid or organic materials should be avoided.

(Jackson 1977)

2.2.4 Steel: This can be describe as the most efficient and certainly one of the most used structural material it can be formed in various structural shapes, such as wide flange beams, sheet by rolling and plates. It can be cast into complex shapes like those of bridge bearing; it can be bolted riveted or welded. It can be alloyed with other metals such as chromium, nickel and copper to obtain an increase resistance to corrosion.

Steel: is one of the few structural materials, which demonstrate a well-defined yield point (i.e. stress above which yield or flows with almost no increase in stress).

The modulus of elasticity of steel is measured by the slope of the elastic portion of its stress - strain curve, the change from elastic to plastic appears linear initially but changes abruptly for mild steel and gradual for high yield steel. Because of this variation in the shape of the curves idealized curves which give safe result must be used.

Steel is a dense structural material and its weight is 7850 Kg/m^3 , its coefficient of thermal expansion is approximately $1 \times 10^{-5} \text{ } ^\circ\text{C}^{-1}$ but it loses its strength rapidly above 400°C and become brittle at 340°C .

Concrete reinforcement: Concrete has low tensile and bending strengths and a high compressive strength. Steel reinforcement overcomes the deficiencies in the tensile and bending strengths.

The reinforcing steel must have adequate tensile properties and form a strong bond with the concrete since the concrete transmits load to the steel by shearing stresses. The bond is purely mechanical and arises from surface

TABLE 2.2

	CONCRETE	STEEL
Strength in tension	Poor	Good
Strength in compression	Good	Good, but slender bars will buck
Strength in shear	Fair	Good
Durability	Good	Corrodes if unprotected
Fire resistance	Good	Poor - suffers "rapid loss of strength at high temperature

It can be seen from this list that the materials are more or less complementary. Thus, when they are combined, the steel is able to provide the tensile strength and probably some of the shear strength while the concrete, strong in compression, protects the steel to give durability and fire resistance. (Bungey, 1990).

2.4 DESIGN METHODS OF REINFORCED CONCRETE

The design of an engineering structure must ensure that:

1. Under the worst loading the structure is safe.
2. During normal working conditions the deformation of the members does not detract from the appearance, durability, or performance of the structure. Despite the difficulty in assessing the precise loading and variations in the strength of the concrete and steel, these requirements have to be met. Three basic methods using factors of safety to achieve safe, workable structures have been developed. They are as follows:-

2.4.1. the permissible stress method in which ultimate strengths of the materials are divided by a factor of safety to provide design stresses which are usually within the elastic range. This method has proved to be a simple and useful method but it does have some serious inconsistencies. Because it is based on an elastic stress distribution, it is not really applicable to a semi-plastic material such as concrete, nor is it suitable when the deformations are not proportional to the load, as in slender columns. It has also been found to be unsafe when dealing with stability of structures subject to overturning forces.

2.4.2 The load factor method in which the working loads are multiplied by a factor of safety. As this method does not apply factors of safety to the material stresses. It cannot directly take account of the variability of the materials and also it cannot be used to calculate the deflections or cracking at working loads.

2.4.3 The limite state method which multiplies the working loads by partial factor of safety and also divides the materials, ultimate strenghts by further partial factors of safety. This method of design overcomes many of the disadvantages of the previous methods. This is done by applying partial factors of safety, both to the loads and to the material strengths the magnitude of the factors may be varied so that they maybe used either with the plastic conditions in the ultimate state or with the more elastic strength range at working laods. This flexibility is particularly important if full benefits are to be obtained from development of improved concrete and steel properties.

The purpose of design is to achieve acceptable probabilities that a structure will not become unfit for its intended use, that is, that it will not reach a limit state. Thus, any way in which a structure may cease to be fit for use will

constitute a limit state and the design aim is to avoid any such condition being reached during the expected life of the structure.

(a) Ultimate limit state- This requires that the structure must be able to withstand with an adequate factor of safety against collapse, the loads for which it is designed. The possibility of buckling or overturning must also be taken into account, as must the possibility of accidental damage as caused, for example by an internal explosion.

(b) Serviceability limit states:- Generally the most important serviceability limit states are:-

1. Deflection: The appearance or efficiency of any part of the structure must not be adversely affected by deflections.
2. Cracking.- Local damage due to cracking and spalling must not affect the appearance, efficiency or durability of the structure.
3. Durability: This must be considered in terms of the proposed life of structure and its conditions of exposure. Other limit states that may be reached include:-
4. Excessive vibration: This may cause discomfort or alarm as well as damage.
5. Fatigue: Must be considered if cyclic loading is likely.
6. Fire resistance: This must be considered in terms of resistance to collapse, flame penetration and heat transfer.
7. Special circumstances:- Any special requirements of the structure which are not covered by any of the more common limit states, such as earthquake resistance, must be taken into account.

roughness and friction. Mild steel with a maximum carbon content of 0.25 percent is suitable and it's supplied in three conditions. There are hot rolled (BS 4449), cold rolled (BS 4461) and hard drawn (BS 4482) which give tensile strength between 250 and 485MNm⁻²

Reinforcing steels are supplied as plain, indented or twisted round or square bar in a variety of sectional shapes in straight lengths or bent shapes and woven or electrically welded mesh. Protection against corrosion is provided by the highly alkaline environment of the Portland cement hydrates within the concrete. Carbonation that is the reaction of the hydrates with carbon dioxide can, however, break down this protection if it penetrates as far as the steel. (Jackson, 1977).

2.3 PROPERTIES OF REINFORCED CONCRETE

Reinforced concrete is a strong durable building material that can be formed into many varied shapes and sizes ranging from a simple rectangle column to a slender curved dome or shell its utility and versatility is achieved by combining the best features of concrete and steel. Consider some of the widely differing properties of these two materials that are listed below:

2.5 Characteristics Strength and Load

2.5.1 Characteristics Strength:- This is referred to as strength of concrete cube (f_{cu}) at 28 days, or the yield or proof stress of reinforcement (f_y), below which not more than 5% of the test result fall. It is found that the difference in strength in the actual structure may be greater than the strength derived from tests.

This is due to local variation and deterioration in transit. These efforts are allowed for design' by dividing the characteristic strength by a partial safety factor for strength (γ_g) Design strength = characteristics strength (f_k)/partial factor of safety (γ_m). In general the partial safety factor adopted for concrete is 1.50 while that for steel is 1.15. The characteristics strength of concrete is given in BS 5328 and that of reinforcement is given in BS 8110, table 3.1.

2.5.2 Characteristics Load

This is defined as the load above which not more than 5% of loads on the structure fall within its working life.

1. Dead Loads: The weight of the structural elements, permanent partitions and finishes.
2. Imposed load: Due to furniture, occupants machinery, vehicles impact, snow etc, the characteristics imposed load for all types of building are in BS 6399 (1984) and other hand books.
3. Wind Loads: The loads on structure based on statistical analysis of the meteorological data usually obtained from the gust speed that it is estimated would be exceeded only once in 50 years.

Ideally these loads should be considered statistically but because complete statistical information on loads is not available. The

characteristic' load selected for design should be that which produces the worst effect. (i.e. loads that produce most severe stress). BS 8110 cl 2.4.31 gives a guide on the load combinations for ultimate limit state for the design of the whole or any part of a structure.

2.6 REINFORCED CONCRETE DESIGN TO BS8 110

In the analysis of a cross section to determine its ultimate moment of resistance, the following assumptions set out in clause 3.4.1. 1 should be made.

- a. The strain distribution in the concrete in compression and the strain in the reinforcement whether in tension or compression are derived assuming that plane sections remain plane.
- b. The stresses in the concrete in compression may be derived from the stress curve.
- c. The tensile strength of the concrete is ignored.
- d. The stresses in the reinforcement are derived from the stress strain curve.

2.7 DESIGN OF THE STRUCTURAL ELEMENTS

A reinforced concrete structure is a combination of beams, columns, slabs and walls, rigidly connected together to form a monolithic frame. Each individual member must be capable of resisting the forces acting on it; so that the determination of these forces is an essential part of the design process. The full analysis of a rigid frame is rarely simple, but simple, but simplified calculations of adequate precision can often be made if the action of the structure is understood.

2.7.1 Reinforced Concrete Slabs: are plate elements forming floor, roofs and walls of building and as the decks of bridges, the floor system of a structure can take various forms such as in-situ: solid slabs, ribbed slabs, flat slabs or pre-cast units.

The generally carry distributed loads;

Slabs may simply supported or continuous over one or more supports and are classified according to the method of support.

- a. Spanning one way between beams
- b. Spanning two ways between beams
- c. Flat slabs carried on columns with no beams

Slabs with various support conditions form a special case of sloping slabs.

The following analysis-idealization into strips or beams, elastic plate theory and finite element analysis.

- a. Elastic analysis - idealization into strips or beams, elastic plate theory and finite element analysis.
- b. Semi-empirical design using moment coefficients based on yield line analysis given in clause 3.5.2.4 and 3.5.3. - BS 8110
- c. Yield Line and Hillerberg strip method, concrete slabs, behave primarily as flexural members and the design is similar to that of Beams although it is somewhat simpler because:
 1. The breadth of the slab is already fixed and a unit breadth of 1m is used in the calculation.
 2. The shear stresses are usually low in a slab except when there is heavy concentrated load.
 3. compression reinforcement is seldom required.

2.7.2 Simplification of load arrangement:

In principle a slab should be designed to withstand the most unfavourable arrangement of design loads but there are greater opportunities by the use of a single load case of maximum design load on all spans or panels provided the following conditions are met as stated in clause 3.5.2.3 BS 8110. In one way spanning slab the area of each bay exceeds $30m^2$

The ratio of the characteristic imposed load to the characteristic dead load does not exceed 1.25.

The characteristic imposed load does not exceed 5 kN/m^2 excluding partitions.

One way spanning slabs: The slabs are designed as if they consist of a series of beams of 1m wide spanning between supports. It can be simply supported or continuous slab. The effective span of simply supported slab is the clear span L plus effective depth d for the continuous slab L is the distance between centers of supports.

The code stipulated that conditions of clause 3.5.2.3 are met the moments and shear in continuous. One way spanning slabs may be calculated using the coefficients given in table 3.13 (BS 8110).

The main reinforcement spans between the supports or over the interior support of the continuous slab.

Simply supported slabs: The design of simply supported slabs without adequate provision to resist tension at corners and to prevent the corners from lifting, the code gives the following equations for the maximum moment per unit width at mid span for l_x and l_y respectively.

$$M_{sx} = \frac{B_s l_x^2}{8} \quad \text{eqn} \quad 2.1$$

$$M_{sy} = \frac{B_y l_y^2}{8} \quad \text{eqn} \quad 2.2$$

These equations corresponds to equation 11 of BS 8 110

Where B_{sx} and B_{sy} are given in table 3.14 BS 8110

$(1.4g_k + 1.6q_k)$

L_x = length of shorter span

L_y = Length of longer span

TWO WAY SPANNING SLAB AT RIGHT ANGLES

When floor slab are supported on four sides. Two ways spanning action occurs. In a square slab the action is equal in each direction. In long narrow slab where the length is greater than twice the breadth, the action is effectively one way, though the end beams carry some slab loads. The edge conditions must be defined for slabs, these are:

- a. Simply supported slabs where the comers can lift away from the support.
- b. One - panel slab that is held down on four sides edge beams. The stiffness of the beam affect the result.
- c. Slabs with all edges continuous over support.
- d. Slabs with one, two or three edges continuous edge(s) may be simply supported or held down to the edge beam.

Under the two ways spanning slabs are the restrained slabs. Restrained slabs can be classified as:-

1. Restrained slabs where the comers are prevented from lifting and adequate provision is for torsion.
2. Restrained slabs with unequal conditions at adjacent panels.

ultimate limit state and serviceability limit state of deflection may be checked. In most buildings beam sizes are dictated by the architectural drawings but must be confirmed by the structural Engineer. Since wall width is generally 225mm, most beams have webs 225mm wide and usual depths include 450,600,750 and 900mm.

Generally, for guidance purpose only, beams not exceeding 6.0m can be designed for a depth of 450mm; while between 6.00m and 7.50m, a depth would be appropriate.

Beams are either rectangular or flanged beams, flanged beams on the other hand are either L or T _ beams. Effective width of L or T _ beams must be determined and the standard recommends as follows:

- a. For T _ beam: web width plus one ' : fifth of span or the actual flange width smaller holds.
- b. For L - beam: web width plus one'- tenth of the effective span or actual flange with smaller holders.

Beam effective span is actual span that is' from centre of bearing or clear span plus one _ half of the effective depth. In general, effective span can be taken as centre of the bearings for continuous beam and for simple supported beams as clear span plus 225mm. in addition, beams can be assumed to have satisfy serviceability limit state of deflection if the span/effective depth ratio enunciated in clause 24.6 of the standard is followed. This is presented in table 2.3 basic span/effective depth ratios fro rectangular or flanged beam.

TABLE 2.3

Support conditions	Rectangular sections	Flange beam with $bw/b < 0.3$
Cantilever	7	5.6
Simply supported	20	16.0
Continuous	26	20.6

The values in the table are for beams of 10m span or less. Linear interpolation is allowed for flanged beams with bw/b greater than 0.3 for beam span in excess of 10m, the value in table 2.2 should be multiplied by $10/\text{span}$.

The above notwithstanding, there may be the need to carry out simple check for deflection since deflection is influenced by the quantity of steel at both the tension and compression zone, values in table 2.2 may be modified as follows:

- a. Modification of tension reinforcement:

$$\text{modification factor} = \frac{0.55 + (477 - f_s)}{120(0.9 + M/bd^2)} \leq 2.0$$

Where M is the design ultimate moment

$$f_s = \frac{2f_y A_{sreq}}{3 A_{sprv} B}$$

A_{sreq} = Calculated A_s required

A_{sprv} = Actual A_s Provided and

B = Re - distribution ratio which should be assumed as 1 if none.

- b. Modification for compression reinforcement:

$$\text{modification factor} = 1 + \frac{100 A_{spro}/bd}{3 + (100 A_S \text{ prov}/bd)} \leq 1.5$$

Table 3.10 and 3.11 of BS 8110 part 1:1997, give values of modification factors for tension and compression reinforcement respectively.

Simply supported beams

- a. Continuous beams
- b. Beams Subjected to torsion and
- c. Arcate beams

The following steps are carried out in the design of beams

1. Choice of section
2. Analysis of the beam
3. Design of the beam for tensile and comprhensive reinforcements, if any and
4. Design of shear, local bond and torsion if any.

Beam procedures:

- a. Choose or estimate member width (generally, 225mm), and depth (usually, 450mm, 600mm or 750mm).
- b. Estimate the flange width of non-rectangular beam.
- c. Analyze the beam to obtain imposed moments, shearing forces and tensional moments (if any).
- d. Design for einforcements as follows:

$$\text{Mement of resistance } \mu = 0.156 f_{ub} d^2$$

When applied moment M is less or equal to μ , design for tension reinforcement, A_s only.

$$K = \frac{M}{F_c u b d^2} \quad Z = d (0.5 + \sqrt{0.25 - K/0.9})$$

When M exceeds μ design for A_s and A_s as follows

$$A_{s1} = \frac{M - \mu}{0.95 f_y (d - d')}$$

$$A_s = M_u$$

$$0.95f_y 0.78d + A_s l$$

$$= M_u + A_s l$$

$$0.74f_y d$$

e. Design for stirrups (shear) as follows

from V shearing force, calculate

$$V = V_N / mm^2$$

$$bd$$

to obtain V_c and design for stirrups viz.-

1. When $v < v_c$::; $0.5v_c$ provide minimum stirrups e.g 10mm bars at $0.75d$ maximum
- ii. $0.5v_c < v < v_c + 0.04$

$$S_v = 0.95f_y v A_{sv} < 0.75d$$

$$0.4b$$

- iii. When $(v_c + 0.04) < v < v_c + 0.08$ or $5 N/mm^2$ provide limits with the spacing calculated from:

calculated from: "

$$S_v = 0.95f_y A_{sv} mm < 0.95d$$

$$b(v - v_c)$$

when S_v is less than 125mm, it is better to double the spacing and double the legs of the stirrups. In example, 2 legs R 10mm @ 100mm centres is better replaced by 4 legs R 10mm @ 200mm centres. Note also that A_{sv} is the total area of the stirrups. For example, 2 legs R 10mm has A_{sv} as $157mm^2$ and $f_y v$ is the stirrups characteristic strength which may be the same with that of the main reinforcement or different. To reduce cost, mild steel round bars

Restrained slabs:

In this slab, the corners are prevented from lifting and provision is made for torsion. The maximum moments of M_{sx} and M_{sy} at mid span on strips of unit width for spans l_x and l_y are given by:

$$M_{sx} = B_{sx} l_x^2$$

$$M_{sy} = B_{sy} l_y^2$$

Where B_{sx} and B_{sy} are coefficient from table 3.15 of BS 8110

Equation 2.1 and 2.2 represent equation 14 and 15 of BS 8110

With unequal conditions at adjacent panels the support moments calculated from table 3.15 may differ significantly to adjust then, the following procedures set out in BS8110 clause 3.5.3.5 may be used. They include>

- a. Calculate the sum of the moments at mid - span supports (neglecting signs).
- b. treat the values from table 3.15 of BS8110 as fixed end moments (ferns).
- c. Distribute of FEM across the supports according to the relative stiffness of adjacent spans, given new support moments.
- d. Adjust mid span moments: (this should be such that when it is added to the support moments from neglecting signs) the total should be equally to that from (a).

2.7.3 REINFORCED CONCRETE BEAMS

Beams are horizontal members of a building frame receiving loads from the slab and transmitting same through the columns to the foundations. Beams are mainly used in frames or in large openings. Doors and window lintels are beams not exceeding 2.1m. Any lintel more than 2.1m in length should be regarded as a beam and designed as such. Beams are designed mainly at

may be used. However, when heavy shear is experienced, high yield high tensile bars may be used to advantage.

f. When beams are subjected to torsional moments such as roof gutter beams or balcony beams, the following additional design is required.

1. Calculate the imposed torsional moment, T and the torsional stress v_t from $V_t = 2T N/mm^2$

$$b^2 (h-b/3)$$

11. Check if $(v + v_t)$ exceeds $0.8v_{cu}$ or $0.8v_{cu}$, if so, increase beam dimensions most probably the depth, h.

11.1. Calculate additional links from

$$A_{sv} = T \quad \text{mm use closed links type}$$

$$0.8xlm (0.95f_{yv})$$

IV. Calculate additional longitudinal reinforcements from

$$A_{sl} = A_{sv} \left(\frac{T}{S_v} + Y_1 \right) f_{ym} m^2$$

$$S_v \quad F_y$$

Where:

T = Torsional

S_v - Spacing of links along the member

V - Shear force

V - Shear stress

V_c - Ultimate shear stress in concrete

A_{sv} - Cross sectional area of shear reinforcement in the form of links

F_y - Characteristic strength of reinforcement

b - Width of section

d - effective depth of tension reinforcement

(OYENUQA, 2000)

2.7.4 REINFORCED CONCRETE COLUMNS

A column is a vertical load-bearing member with the ratio of its internal dimensions less or equal to 4:1, that is, the greatest lateral dimension not more than four times its least lateral dimension. When this is violated, the column is said to be wall. The primary function of a column or wall is to act as a vertical support to suspended members and to transmit loads from the foundation below.

COLUMN CLASSIFICATIONS:

- a. Short or slender: A column is said to be short when the effective length is not more than 15 times its least internal dimensions for braced columns or 10 times for un-braced columns otherwise the column is said to be slender. Slender columns, in addition to axial load and moments, are subjected to moments due to slenderness. These are usually added to the imposed moments on the column and slenderness should be checked on both axes and vice versa.

Effective length of a column is defined as $B L$, where L is the actual length of the column and B is a function of the end restraints of the column and whether or not the column is braced. Values of B as advised in tables 3.19 and 3.20 of the standard.

Clause 3.8.1.5 of the standard defines braced columns as those laterally supported by wall buttressing etc. designed to resist all internal forces in that plane. It should otherwise be considered as un-braced.

Clauses 2.5 of BS 8110: part 2 (1985), discussed the analytical method of calculating the effective height of columns as follows:

1. Framed structures and braced columns. Effective height is calculated from the lesser of: ,

$$\text{ie } 10(0.7 + 0.05(\%11 + \%12)) \leq 10 \text{ and } 10(0.85 + 0.05\%min) < 10$$

11. Un-braced columns, the lesser of:

$$10(1.0 + 0.15(\%11 + \%12)) \text{ and } 10(2.0 + 0.32\%min)$$

where:

$\%11 =$ ratio of the sum of the column stiffness to the beam at the stiffness at the lower end of a column.

$\%12 =$ ratio of the sum, of the column stiffness to the beam at the stiffness at the lower end of a column.

$\%min =$ Lesser of $\%11$ and $\%12$

$\%min =$ lesser of $\%11$ and $\%12$:f

In additional clause 2.5.4 of part 2 BS8 110, discusses the rigorous analysis method of calculating column relative stiffness.

- b. Axial, un-axial mid Bi-axial: In terms of load disposition, a column can be categorized as Axially loaded, uni-axially load and Bi-axially loaded.

An axially loaded is subjected to a concentric axial load. That is moments, in both x and y axes are practically insignificant. The total load is then supported by the comprehensive action of both the concrete and steel counterpart of the column, e.g a truly central column.

A uni-axially loaded column is subjected to an axial load and a moment in one direction (x or y axis). The moment in the other direction is assumed to be practically insignificant e.g most side column, but not all.

A bi-axially loaded column is a corner column in fact all corner columns are bi-axially loaded while side columns can be bi-axially or uni-axially loaded.

DESIGN PROCEDURES

- a. Axially loaded columns: the axial force in a column at the ultimate limit state may be calculated in the absence of any other rigorous analysis like shear from beam calculation on the assumption that beams and slabs transmitting force into it are simply supported. The design procedures for axially loaded columns are as follows
 1. Estimating the total axial load at the ultimate limit state
 - a. Choosing a trial size using this table as guides.

TABLE 2.4

	Size (Hxb) in mm
$N \leq 500$	225 + 225
$500 < N < 700$	300 + 225
$700 \leq N \leq 950$	300 + 300
$950 < N < 1050$	450 + 225
$1050 \leq N < 1400$	450 + 225

1400:SN < 2100

450450

:S 2100

Choose appropriately

(Oyenuga, 2000)

- 111. Checking for slenderness
- iv. Calculate area of steel required from

$$A_{sc} = \frac{N - 0.35f_{cu}bh}{0.7f_y - 0.35f_{cu}}$$

When A_{sc} returns negative value, minimum steel of 0.4% bh must be provided. This should however, not be less than 4-12cm diameter bars for rectangular columns or 6-12mm diameter bars for round columns.

- v. Providing links which should be a minimum of $\frac{1}{4}$ of the size of the largest compression bar at a spacing of not more than 12 times the size of the smallest compression bar. It is unusual to adopt 100mm bars as links at a spacing of 200mm for 225 by 225mm columns. It is also advisable not to use less than 4 No. 16mm diameter bars for any column except the columns load is purely nominal in which case 4 nos. 12mm diameter bars can be considered.

b. Uni-axially loaded columns: The design procedures are as follows:

- i. Estimate load on the columns as in axially loaded and choose size.
- ii. Estimate the imposed moment on column from

$M_{col} = M$ K_{col}

.....

3 Kcol + 3K beam.

111. Check whether column is short or slender and calculate M_{add} if found slender Add M_{add} to the appropriate moment or moments

iv. Calculate N and M
$$\frac{N}{F_{cubh}} \quad \frac{M}{F_{cubh}^2}$$

- v. Use the charts in 25 to 29 to pick area of steel required

- vii. Provide links as appropriate and detail your design

- c. Biaxially loaded column: the column is converted to uniaxially loaded column and design as converted. The design procedures are:

1. Calculate loads and moments on column as before and choose column size

11. Convert Column to uniaxially loaded column of calculating increased moment from:

$M_x M_{xx} + B_{hb} M_{yy}$: when $M_{xx}/b > M_{yy}/b$

Or

$M_y = M_{yy} + B = 1.0 - 1.6440$ and $0 = N$

F_{cubh}

Subject to a minimum of 0.3 when $0 > 0.6$

111. Calculate N/f_{cubh}^2 and $M_l \times f_{cubh}^2 \sim M'_y/f_{cubh}$ and choose Reinforcements from appropriate chart.

- iv. Choose links and detail your design.

(OYENUGA, 2000)

2.7.5 REINFORCED CONCRETED FOUNDATION

All structures must be founded on one form of foundation or the other, depending on the nature of the founding soil and the load to be supported.

Foundations vary from the simple strip footing to complex and more reliable pile foundation. Single storey (bungalow) buildings on average to good soil can be founded on strip foundations.

Three story buildings and more on poor soils require foundations ranging from simple pad to pile foundations. Most multistory buildings (6-storys and above) are founded on pile foundations.

Types of foundations:

- a. Strip Foundation: Strip foundation provides a continuous ground bearing under the load bearing walls. This type of foundation is placed centrally under the walls and is generally composed of plain concrete often to a mix of 1:3:6 by volume with the thickness being not less than the projection of the foundation and in no case less than 150mm. In this country, a mix of 1:2:4 by volume is recommended and for walls of 225mm, the width of the strip should be $3B$, where B is the wall width and the thickness should in no case be less than B .
- b. Wide stripe foundations: Where the load bearing capacity of the ground is low for example, in marshy ground, soft clay or made up ground, wide strip foundations may be used to spread the load over a large area of soil. It is usual to provide traverse reinforcement to withstand the tensile stresses that will arise. The depth below the ground level should be the same as for ordinary strip foundation.

All reinforcement should be lapped at corners and functions should be any danger of the foundation failing as a beam in the longitudinal direction, it may be necessary to use a reinforced inverted T beam.

- c. Pad foundations: These are isolated foundations to support columns. The area of foundation is determined by dividing the column load plus the weight of the foundation, at serviceability limit state, by the allowable bearing pressure. The thickness of foundation may be less than the projection from the column provided the various criteria governing the design of such foundation are met. Pad foundations include the isolated pad footing combined footing and strip footing supports a row of columns.

Strap Foundations: Strap footing is similar to combined footing, except that a strap beam is constructed to link the two columns. Straps foundation is used when one of the columns is close to either the property line or on obstruction to the extent that projection of the footing beyond the column face becomes practically impossible.

- d. Raft foundation: these cover the Whole area of the building and usually extend beyond it. They consist primarily of a reinforced concrete slab up to 300mm thick, which is often thickened under load bearing columns or walls. Raft foundations are best suited for use on soft natural ground or fill, or on ground that is liable to subsidence observable in mining area. Design of the raft involved the calculation of the loads to be carried and careful assessment of the disposition and distribution of these loads. The primary advantage over strip foundations is the ability of the raft foundation to act as a single unit, thus eliminating differential settlement. However they are expensive.
- e. Piled foundations: These are frequently used with multi-storey buildings and in cases where it is necessary to transmit the building loads through weak

and unstable solid conditions to a lower stratum of sufficient bearing capacity. Piles may be classified in several ways with end-bearing piles, the shaft passes through soft deposits and the base or point rests on bedrock or penetrates dense sand or gravel, and the pile acts as a column.

A friction pile embedded in cohesive soil (often firm clay) and obtains its support mainly by the adhesion or skin friction of the soil on the surface of the shaft. Another method of pile classification relates to displacement piles where soil is forced out of the wall as the pile is driven, and 'replacement' piles where the hole is bored and excavated in the soil and the pile is formed by casting concrete or cement grout in the hole. Preformed solid piles of timber or reinforced concrete, and concrete or steel tubes or shells with the lower end closed are examples of displacement pile.

The choice of pile depends on the site and soil conditions, economic considerations and structural requirements. Sometimes, piles are linked by beams to carry load bearing walls.

The foundation type to be chosen for a particular structure or building as earlier on mentioned depends largely on the loads to be transmitted and the receiving soil strata, and must satisfy the following two fundamental and independent requirements.

~ The factor of safety against shear failure of the supporting soil must be adequate and; the settlement should neither cause any unacceptable damage nor interfere with the function of the structure.

~ Thus, the bearing capacity of the soil must be determined through the process of soil/geotechnical investigations prior to the design of the foundation. However, for a relatively small building (a bungalow or two storey building) to be built on a relatively firm soil, the structural engineer may use his experience to choose foundation type.

TABLE 2.5

Soil type	Bungalow	2-storey	3 to 5 story	Medium rise	High rise
Good soil > 100 <i>KN/m²</i>	Strip	Strip	Pad	Pad	Pile
Average soils 75 - <i>100KN/m²</i>	Strip	Wide strip	Pad	Pile	Pile
Poor soil 40 - <i>75 KN/m²</i>	Wide strip	Wide strip	Raft	Pile	Pile
Bad soil < <i>40KN/m²</i>	Slab raft	Beam & slab raft	Beam & slab raft	Pile	Pile

Note:

1. It is assumed that the walls of the bungalows and the two-storey buildings are load bearing walls. Where this is not applicable, the building should be framed and pad foundation or raft foundation used as appropriate.
2. When pad or raft foundations are involved, the building must necessarily be framed so as to provide a rigid structure.
3. The two-storey building is assumed to be for residential purposes, where it is to be used as office complex, it should be framed and pad or raft foundation used depending on the soil bearing capacity.



DESIGN PROCEDURES OF STRIP FOUNDATION

- a. Determine maximum width of slab/roof to be carried by the wall. That is study the architectural plan and select a wall supporting the widest area.
- b. Determine the loads due to slab and or roof statically.
- c. Determine wall loads including the section below the ground floor slab.
- d. Allow 1.0 wide as ground floor interactive load widths.
- e. Sum up all the loads and convert to service loads. A factor of 1.47 to 1.49 may be used for residential occupancy, 1.47 is more appropriate.
- f. Divide the service load by the soil bearing capacity.

2. WIDE STRIP FOUNDATION

Design procedure

- a. Repeat step (a) to f above
- b. Should the width obtained to less or equal to $3T$, design as simple strip foundation otherwise proceed as follows .
 1. Determine the net pressure from:
$$F_{net} = w \times 1.10 - 24T \text{ (1.4) KN/m}^2$$
$$P_{prov}$$
 - ii. Calculate the moment from:
$$M = 0.5 \times P_{prov} \times F_{net} \text{ KN.m}$$
 - iii. Design for base like a slab using $d = T - 60\text{mm}$
 - iv. Detail the design

3. t.PADFOUNDATIONS:

Design procedure:

- a. Determine the column load at ultimate limit state KN

b. Calculate area of base required from:

$$A_{req} = W \times 1.10m^2$$

$$1.47 \times P_b$$

(b) , Calculate area of base required from:

$$A_{req} = W \times 1.10m^2$$

$$1.47 \times P_b$$

(Note: 1.47 is the converting factor to SLS, the range is 1.47 to 1.49)

(c) Select base size such $A_{prov} \geq A_{req}$, A_{prov} = Area of Base provided

(d). Calculate net pressure at ultimate limit state from

$$F_{net} = W = x \cdot 1.1 - 24h \quad (1.4) \text{ KN/m}^2$$

$$A_{prov}$$

(e) , Check for punching shear from:

$$P_{crit} = (Z_{a1} + a_2) + 3h$$

$$A_{crit} = (a_1 + 3h) \quad (a_2 + 3h)$$

Where a_1 and a_2 are column dimensions and h is depth of base

$V_{punch} = f_{net} (\text{Base area} - A_{crit})$

$$V_{punch} = V_{punch} \quad N_{zmm}, \quad d = h - (1.5h)$$

$$P_{crit}$$

Obtain V_c from table 3.9 BS8110 should $V_{punch} > V_c$, increase depth by 50mm.

(f) Design for reinforcements from

$$\text{Moment} = 0.512x \cdot f_{net} \text{ and } 0.512y \cdot f_{net} \text{ KN.m}$$

Where L_x , L_y are the spans of base

$A_s = M \text{ mm}$, as in beam or slab design

0.95f_{ylad}

g. Check for shear stress from

$$V - \frac{LsfnetKN}{1000d}$$

$$V < V_x \text{ } 10^3 \text{ } N/mm^2$$

V should be less than V_c from table 3.9 BS8110 otherwise increase h by 500mm or increase the area of reinforcements provided and calculate for V_c again.

For continuous or combined footing, there may not be the need to check for punching shear. Moments and direct shear analysis may follow that of continuous beam analysis.

(Oyenuga, 2000)

2.7.6 REINFORCE CONCRETE STAIRCASE

The primary function of a stair is to provide access from one floor to another. It is therefore a set of steps comprising treads (horizontal part) and risers (vertical part.) Going is defined as the distance of the tread parallel to the flight direction while rise is the vertical distance of the riser. A step consists of a riser and a tread. The height difference between the floors divided by the rise gives the number of steps required between the floors.

Height of risers should be the same as much as possible as well as the going of the treads. For comfortable usage the best proportions of step is

When:

Going + 2 times riser = 580 to 600mm.

For public building, the best step is achieved when the going is 300mm and the rise is 150mm. The riser of a private dwelling stair can be increased to 175mm but value higher than this are not recommended. Going or treads should be equal and should be able to take a man's foot conveniently, that is not less than 25mm. A going of 250mm to 275mm is recommended for private dwellings.

A vertical headroom of at least 2.0m must be provided above the line of nosing. The pitch line is the imaginary line joining the finishing nosing of the steps. A maximum total of 18 steps is recommended without any intervening landing. A flight that will involve more than 18 steps should be broken with an intervening landing to provide a "resting place" for the users. Public stair should have a width not less than 1500mm while that of domestic dwelling can be a minimum of 900mm. Stair must be provided with guides known as balustrades. The vertical members are called balustrades while the top-slanting member is called the handrail. The standard height of balustrades is 840mm above the line of nosing.

Type of stairs:

Stairs can be constructed of reinforced concrete, steel and timber. Timber stairs are becoming obsolete and can only be seen in old buildings while steel stairs are somehow restricted to spiral stairs. Hence, most stairs in common use today are constructed of reinforced concrete. Irrespective of the materials for construction.

- a. Straight flight stair two flights between the two floors to be accessed
- b. Half turn (180°) stair two flights between the two floors

With an intermediate landing known as half landing. This stair is also known as dogleg stair.

- c.; Quarter turn (or open well) stair: three flights between the two floors with two intervening landings. This creates a big opening between flights 1 and 3 and hence the name open well stair.
- d. Free standing or scissors stair similar to half turn but with suspended half landing. That is the half landing is supported by the two flights. This calls for a more rigorous design for torsion at the two ends of the stair. Such stairs are mainly reinforced top and bottom and with heavy reinforcements in the region of Y20 @ 150mm c/c depending on the span and loading configuration.
- e. Helical stair: This is usually common in building of the affluent, occupies less space than straight flight and the shape looks a helix from floor to floor. It is always a straight flight but turning as it rises. Torsion at the ends of the stair must be adequately taken care of. For domestic buildings, reinforcements should not be less than Y 16mm @ 200mm c/c top and bottom, and if possible, the top and of the stair should be received by a beam.
- f. Cantilever stair - in this type of stair, there is a central reinforced concrete wall and each step cantilevers out of this wall. The various landings are designed as double cantilever about a beam that in turn cantilevers out of the central core wall.

In most cases this type of stair is used as external escape stair. This type of stair is elegant and do not occupy space. It gives perfect finish to the steps are pre-cast bolted to the horizontal portion (tread) of the spine

beam. The steps can be constructed of steel, timber or reinforced concrete.

- g. Spiral Stair: this is the most economical in terms of space utilization and cost. It consists of several cantilever steps jutting out like leaves from a central column. The final landing spans between this column and the adjoining walls. Each of the steps is designed as a simple cantilever and it is customary to taper the step, being wider at the free end. The steps are pre-cast with a central hole of the same diameter (with some clearance) as the central column. The steps are arranged to form a spiral around the central column. There are attempts to construct spiral stairs in site but they generally appear rough after finishing.

DESIGN OF STAIRS

Stairs are designed either traverse or longitudinally. Traverse design involves the design of each individual step and such is common with spiral, cantilever stair and steps spanning between two raked beams or walls. In this case, the loading is for each step including the live load and the step is designed as a rectangular beam with width, b , equal to the going of the step and depth, h . On the other hand, longitudinally designed stairs are designed like slab with the width as the depth, h . These stairs include the straight flight stair, half run and quarter turn stairs, helical stair and scissors stair etc.

Since the true horizontal distance will be used, the load must be converted by multiplying all inclined loads (self weight and finishes)

by: $\frac{W}{\cos \theta}$

$\cdot T$

Where R is the rise of the step and T the going. When such flight spans between two beams, the moment is calculated as $M = 0.125WL^2$, where, W = the flight uniformly distributed load and L the span.

2.8 ANALYSIS AND DESIGN OF REINFORCED CONCRETE FRAMES

In-situ reinforced concrete structures behave as rigid frames, and should be analyzed as such. They can be analyzed as a complete space frame or be divided into a series of plane frames. Bridge deck types of structures can be analyzed as an equivalent grillage, whilst some form of finite element analysis can be utilized in solving complicated shear-wall buildings. All these methods lend themselves to solution by the computer, but many frames can be simplified for solution by hand calculations.

The general procedure for a building frame is to analyze the slab as a continuous members supported by the beams or structural walls. the slabs can be either one-way spanning or two-way spanning. The columns and main beams are considered as a series of rigid plane frames, which can be divided into two types.

1. Braced frames supporting vertical loads only
2. Frames supporting vertical and lateral loads.

Type 1 frames are in building where none of the lateral loads, including wind, are transmitted to the columns and beams but are carried by shear walls or other forms of bracing.

Type 2 frames are designed to carry the lateral loads, which cause bending, shearing and axial forces in the beams and columns. for both types of frame the axial forces due to the vertical load in the columns can normally be calculated as if the beams and slabs were simply supply supported. (Bungey 1990).

CHAPTER THREE

STRUCTURAL ANALYSIS AND DESIGN

GROUND FLOOR SLAB

3.1 Ribbed slab OS-1 (Gs - 1A =L varied) load

Partitions-a) 230mm thick hollow concrete block stone aggregate. 5.00m

$$2.87 \times \frac{21}{20} = 3.30 \text{ kN/m}^2$$

BS CP3

Reinforced

codesign hand

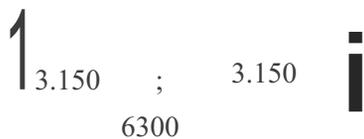
h book Reynolds

ta table 2.2

b) 100mm thick hollow concrete block

$$2.87 \times \frac{10}{20} = 1.5 \text{ kN/m}^2$$

F1



Deadload - per rib of 520mm $q_2 = 47.43 \text{ kN/m}^2$
 Finished floor layer - 0.05 x 20 - $q_2 = 47.43 \text{ kN/m}^2$ 1.00 kN/m²

Slab - 0.1 x 24 = 2.40 "

Ribs - 0.12 x 0.20 x 24 = 1.11 kN/m²

0.52

$$15\text{mm concrete.plaster} = 0.015 \times 22 = 0.33\text{kN/m}_L$$

$$\text{Pots} = 0.077 = 0.74$$

$$1.4 \times 5.58\text{kN/m}_2 = 7.8\text{kN/m}_2$$

Live load (Lobby, stores)

$$Q_k = 1.6 \times 5.0 = 8.00\text{kN/m}_2$$

$$q_s = G_k + Q_k$$

$$= 7.8 + 8.00 = 15.81\text{kN/m}_2$$

$$Q_s = 15.81 \times 0.52 = 8.22\text{kN/m}$$

$$F_s = (1.5 + 0.53) \times 2.85 \times 1.4 \times 0.52 = 4.21\text{kN}$$

Height of wall.

Moments

$$M_l = \frac{q_s \cdot t^2}{8} + \frac{E I}{4}$$

$$= \frac{8.22 \times 6.3^2}{8} + \frac{4.21 \times 6.3}{8}$$

$$= 40.78 + 6.63$$

$$= 47.41 \text{ kNm}$$

BS8110

Table 3.14

Reynolds Handbook

$$b = 520\text{mm}, d = 300 - 20 - 8 - 8 = 264\text{mm}$$

$$f_{cu} = 30, f_y = 410 \text{ N/mm}_2$$

$$= \frac{M}{b d^2 f_{cu}} = \frac{47.41 \times 10^6}{520 \times 264^2 \times 30} = 0.04 < 0.156$$

$$= \frac{M}{b d^2 f_{cu}}$$

$$= z/d = 0.946 \therefore z = 0.946d$$

$$A_s = \frac{M}{0.87 f_y z} = \frac{47.41 \times 10^6}{0.87 \times 410 \times 0.946 \times 264} = 530\text{mm}_2$$

$$= \frac{M}{0.87 f_y z}$$

Provide 2Y20 (628mm²) bottom

1Y10 (hanger bar) top

BS CP3
Reynolds RIB
table 2.3

3.2 Ribbed slab, Gs - 2 L = 6.000

Os - 2a Gs - 2b Gs - 2c Gs - 2d Gs - 2e

LOADS

- a) Dead load - From above 7.81 kN/m^2
- b) Live load - PI $= 5.0 \times 1.6 = 4.00 \text{ kNm}^2$
- c) - P2 $= 5.0 \times 1.6 = 8.00 \text{ kNm}^2$
- d) Partitions - (equivalent uniformly distributed load

(Bs. Cpg)

BSCP3

Or

Unknown position $W_e = 0.33 (1.5 + 0.53) \times 2.80 \times 11.4 = 2.63 \text{ kN/m}^2$

Reynolds's ConL.
Delyor Hlbook
table 2.2

e) partition parallel to rib (100mm thick) $(1.5+0.52) \times 2.8 \times 1.4 = 7.96 \text{ kN/m}$

(f) partition perpendicular to rib (100mm)

$$F1 = (1.5 + 0.53) \times 2.80 \times 1.4 \times 0.52 = 4.14 \text{ kN}$$

(g) = partition parallel to rib (230mm thick)

$$F2 = (3.3 + 0.53) \times 2.8 \times 1.4 \times 0.52 = 7.95 \text{ kN}$$

h, - partition parallel to rib (230mm thick)

$$(3.3 + 0.53) \times 2.80 \times 1.4$$

$$F3 = 5.28 \text{ kN/m}$$

For worst loading conditions, consider the following.

Alt 1 - a + c + d

$$q1 = (7.8 + 8.00 + 2.56) \times 0.52 = 9.6 \text{ kN/m}$$

$$M_1 = \frac{L \cdot G}{8} = \frac{9.6 \times 6.2}{8} = 43.2 \text{ kN}$$

Alt 2 - a + b + e + f

$$q2 = \frac{9.21}{8.48} + \frac{Ed}{4} = \frac{17.85 \times 6.2}{4} + \frac{4.1 \times 6}{4} = 86.5 \text{ kN/m} > 42.3 \text{ kN}$$

Alt 3 -

$$q3 = a + b + g = (7.85 + 4.0) \times 0.52 + 9$$

3.4 Ribbed Slab (Gs-4)&(Gs-4 a)

Gs-4b

$$q_l = 15.8 \times 8.22 \text{ kN/m} \times 0.52 = 8.22 \text{ kN/m} \quad \text{106 lines \& corridors}$$



$$m = \frac{q_l \times L}{8} = \frac{8.22 \times 3.82}{8}$$

$$A_s = 2Y12 \text{ (180mm}^2\text{)}$$

3.5 Ribbed slab (Gs-5) 1.5m

Provide 2Y10 (157mm²)

GROUND' FLOOR BEAMS

3.6 GB - 1 : L = 8048+8m, Beam size = 400x600m

$$q_l = 47.74 \text{ kN/m} \quad q_2 = 47.43 \text{ kN/m}^2$$

8480

LOADS

From slab Gs - 2b

$$230\text{mm blockwall- } (3.30 + .0.53) \times 265 \times 14 = 14.21$$

$$\text{Beam slab weight - } 0.3 \times 24 \times 1.4 = 4.03$$

$$q_l = 47.74 \text{ kw/m}$$

from slab Gs - 2b

$$q_2 = 15.81 \times 6 \times 2 = 47.43 \text{ kNm}$$

$$b = 400\text{mm} \quad d = 600 - 20 - 8 - 10 = 562$$

$$K = \frac{M}{30 \times 400 \times 5622} = \frac{598 \times 10^6}{30 \times 400 \times 5622} = 0.158 > 0.156$$

Provide Compression reinforcement

$$A_{1s} = \frac{M - 0.156 f_{cu} b d^2}{0.87 f_y (d - d')}$$

$$= \frac{(598 - 591) \times 10^6}{186911} = 37 \text{ mm}^2$$

$d' = 20 + 8 + 10 = 38 \text{ mm}$

Provide minimum reinforcement ($0.2\% \times 400 \times 600 \text{ mm} = 480 \text{ mm}^2$) 3Y16 Top

$$A_s = 0.156 f_{cu} b d^2 + A_{1s}$$

$$= \frac{0.87 f_y Z}{0.87 \times 410 \times 0.775 \times 562} + 37$$

$$= 3841 \text{ mm}^2$$

Provide 5Y32 Bottom (4020 mm²) and 3Y16 Top

SHEAR

$$\text{Max } V = R_A = 335 \text{ kN}$$

$$v = \frac{335 \times 10^3}{400 \times 562} = 1.49 \text{ N/mm}^2$$

$$100 A_s = \frac{100 \times 4020}{400 \times 562} = 1.79$$

$$b d = 400 \times 562$$

$$v_c = 0.81 \text{ N/mm}^2 \text{ by interpolation}$$

$$v_s + 0.4 \frac{S_i}{b} < 0.85 f_{cu}$$

$$m_s = 6.16 \times 36 + 7.95 \times 9$$

$$= 27.72 + 71.55$$

$$= 99.27 \text{ kNm}$$

Alt 4 a+b+h

$$q_s = (7.85 + 4.00) \times 0.52 + 15.28$$

$$= 6.16 + 15.28 = 21.44 \text{ kN/m}$$

$$M_4 = \frac{q_s l^2}{8} = \frac{21.44 \times 36^2}{8} = 96.48 \text{ kNm}$$

$$96.48 > 86.5 \text{ kNm}$$

Hence Alt 4 is the worst condition

$$K = \frac{M_4}{bd^2 f_{cu}} = \frac{96.48 \times 10^6}{520 \times 264^2 \times 30} = 0.09$$

$$z = 0.887d$$

$$A_s = \frac{M_4}{0.87 \times 410 \times 0.887 \times 264} = 1155 \text{ mm}^2$$

Provide 4Y20 (1260mm²)

$$V_4 = 21.44 \times 6 = 64.32 \text{ kN}$$

$$V = \frac{V_4}{b} = \frac{64.32 \times 10^3}{120} = 2.03 < 500 \text{ N/mm}^2$$

$$bd = 120 \times 264$$

$$v_c = 1.08 \times 1.66 = 1.14$$

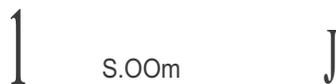
3.3 Ribbed Slab Gs - 3 (L = Varies from 5.00m per rib of 520mm c/c)

LOADS

$$\text{From slab - } q_l = 15.81 \times 1 \times 0.52$$

$$= 8.22 \text{ kN/m}$$

$$8.22 \text{ kN/m}$$



$$M_I = \frac{q_l L^2}{8} = \frac{8.22 \times 5^2}{8} = 25.69 \text{ kNm}$$

$$A_s = 2Y16 (402 \text{ mm}^2)$$

$$V_I = 8.22 \times 5/2 = 20.55 \text{ kN}$$

$$\begin{aligned}
 R_A &= \frac{47.74 \times 8.48}{2} + \frac{(8.48 \times 46.43) \times 1/3}{8.48} \quad (8+8) \\
 &= 296.88 \text{ kN} \\
 R_B &= 12 \text{ q l} + \frac{2}{3} \cdot \text{q l} = \frac{2}{3} \times 47.74 \times 8+8 \\
 &= 403.5 \text{ kN}
 \end{aligned}$$

Position of BMmax

$$\begin{aligned}
 R_A - 47.43 \times 12 - 47.74 \times 8+8 \\
 270 &= 2.80 \times 2 - 47.71 \times 2 \\
 &= 17.05 \times 2 - 96 \\
 &= 17.05 + 17.05 - 4 \times 1.96 \\
 &= 386 \\
 &= 4.48 \text{ M}
 \end{aligned}$$

$$\begin{aligned}
 4.48 \times 270 - 47.74 \times 4.48 - \\
 &= 5.59 \times 4.48 \times 4.48 \\
 &= 113.4 \sim 48 \\
 1209.0 - 479 - 84 \\
 &= 647
 \end{aligned}$$

Provide R8 @ 150% (353mm²/m)

$$\begin{aligned}
 K = \frac{Jl}{Bd^2} &= \frac{647 \times 10^6}{400 \times 562^2 \times 30} = 0.23 > 0.156
 \end{aligned}$$

Compression reinforcement in ratio

$$\begin{aligned}
 A_{I1} &= m - 0.156 f_{ev} b d_2 \quad d_1 = 20+8+10 = 38 \text{ mm} \\
 &= \frac{0.87 f_y (d-d_1)}{f_{cub}} \quad d = 38 \text{ mm} \\
 &= \frac{(647 - 595.48) \times 10^6}{0.47 \times 410 \times (562-38)} = 51.52 \times 10^6 \\
 &= 276 \text{ mm}^2 \quad 1446 \text{ mm}^2
 \end{aligned}$$

$$\begin{aligned}
 A_1 &= 0.156 f_{cub} d^2 + A_{I2} \\
 &= 0.87 f_y z
 \end{aligned}$$

$$\begin{aligned}
 R_A &= 47.74 \times 8.48 + \frac{(8.48 \times 46.43) \times 1/3}{8+8 \times 2} \times 8.48 \quad (8+8) \\
 &= 296.88 \text{ kN} \\
 R_B &= 12q_1 + \frac{2}{3} q_2 l = 1247.74 \times 8+8 \\
 &= 403.5 \text{ kN}
 \end{aligned}$$

Position of BMmax

$$\begin{aligned}
 R_A - 47.43 \times 12 - 47.74 \times 8+8 \\
 270 &= 2.80 \times 2 - 47.71 \times X^2 - 17.05 \times X - 96 \\
 17.05 + 17.05 - 4 \times 1.96 \\
 &= +386 \\
 &= 4.48 \text{ M}
 \end{aligned}$$

$$\begin{aligned}
 4.48 \times 270 - 47.74 \times 4.48^2 - \\
 12(5.59) \times 4.48 \times 4.48 \\
 \times \frac{1}{3} \times 4 \sim 48 \\
 1209.0 - 479 - 84 \\
 647
 \end{aligned}$$

Provide R8 @ 150% (353mm²/m)

$$\begin{aligned}
 K = \frac{M_{max}}{f_{yv} b d^2} &= \frac{647}{1.00 \times 5622 \times 30} = 0.23 > 0.156 \\
 &= 0.156
 \end{aligned}$$

Compression reinforcement in ratio

$$\begin{aligned}
 A_{13} &= m - 0.156 f_{yv} b d^2 \quad d_l = 20+8+10 = 38 \text{ mm} \\
 &= \frac{0.87 f_y (d-d_l)}{f_{yv}} \quad d = 38 \text{ mm} \\
 &= \frac{(647 - 595:48) \times 10^6}{0.47 \times 410 \times (562-38)} = 51.52 \times 10^6 \\
 &= 186910.8 \\
 &= 276 \text{ mm}^2 \quad 1446 \text{ mm}^2 \\
 A_3 &= 0.156 f_{cub} d^3 + A_{12} \\
 &= 0.87 f_y z
 \end{aligned}$$

$$= 595.18 \times 10^6 + 276$$

$$0.17 \times 410 \times 0.775 d$$

$$= 3833 + 6276$$

$$4109 m^2 = 100 A_s \text{ Ibh:s } 40 \sim 0.13$$

SHEAR

$$\text{Max } v = 404.5 \text{ kN}$$

$$V = v/db = \frac{403.5 \times 10^3}{400 \times 562} = 1.79 \text{ N/mm}^2$$

$$100 A_s = 100 \times 5630 = 2.50 \text{ N/mm}^2, \quad v_e = 0.91 \text{ N/m}^2$$

$$bd = 400 \times 562$$

$$(V_e + 0.4) < v < 0.8 f_{yv}$$

$$A_{sv} = b(v - V_e) = 400 \times (1.79 - 0.9) = 532 = 162$$

$$S_v = 0.87 f_{yv} = 0.87 \times 250 = 217.5$$

$$A_s = 1.62$$

Provide RB @ 125% in pairs i.e double.

3.7 BEAM GB - 2 = 840m², Size = 400 x 600mm

$$q_1 = 1 \times 5 \times 3 = 3.88 + 0.9 + 1.2 \times 2.4 + 8.48 \text{ m}$$

$$q_1 = 47.43 \text{ kN/mm} \quad \text{--}$$

$$91 = 55.88 \text{ kN/m}$$

$$\begin{array}{ccc} R_A & & R_S \\ \dots & & \dots \\ \diagdown & & / \\ q_2 = 28.9.3 & & 8.48 \text{ m} \end{array}$$

Loads

$$\text{From slab 05 - 1 - } (15.81 + t_l) \times \frac{6.3}{6.3 \times 2} = 51.85/w/m$$

$$\text{Self weight } 0.4 \times 0.3 \times 24 \times 1.4 = 4.03''$$

$$q_1 = 55.88''$$

$$\text{From slab 05 - 4a } (15.81 - l) \times \frac{3.12}{.8 \times 2} = 24.90/w/m$$

$$'' \text{ Self weight } = 4.03''$$

$B_{m_{max}}$ occurs where shear force is



zero

N

By similar triangle $47.43/8.48 = y/x$

$$y = 5.59x$$

SF is zero at section N-N, x_m from RB to find x

$$276 - 55.88x - 1/2(x * 5.59x)$$

$$276 - 55.88x - 2.8x^2$$

$$x^2 + 19.96x - 98.5$$

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

$$X = \frac{-19.96 \pm \sqrt{(19.96)^2 - 4 * 1 * (-98.57)}}{2 * 1}$$

$$X = \frac{-19.96 \pm 28.15}{2}$$

$$X = \frac{-19.96 + 28.15}{2}$$

$$X = 4.10 \text{ m}$$

$$B_{m_{max}} = 276 * 4.1 - 55.88 * 4.1^2 - 5.59 * 4.1 * 4.1^2$$

$$= 1132 - 470 - 64 = 598 \text{ kNm}$$

$$\frac{598 \times 10^6}{30 \times 400 \times 562} = 0.158 > 0.156$$

$$30 \times 400 \times 562$$

Provide Compression reinforcement

$$A_{1s} = M - 0.156 \text{ kubd}^2$$

$$0.89 f_y (d - d') \quad d' = 20 + 8 + 10 = 38 \text{ mm}$$

$$= \frac{(598 - 591) \times 10^6}{186911} = 37 \text{ mm}^2$$

$$186911$$

Provide minimum reinforcement ($0.2\% \times 400 \times 600 \text{ mm} = 480 \text{ mm}^2$) 3Y16 Top

$$A_s = 0.156 \text{ kubd}^2 + A_{1s}$$

$$0.87 f_y z$$

$$= \frac{591 \times 10^6}{186911} + 37$$

$$0.87 \times 410 \times 0.775 \times 562$$

$$= 3841 \text{ mm}^2$$

Provide 5Y32 Bottom (4020 mm^2) and 3Y16 Top

SHEAR

$$\text{Max } V = R_A = 335 \text{ kN}$$

$$v = \frac{335 \times 10^3}{400 \times 562} = 1.49 \text{ N/mm}^2$$

$$400 \times 562$$

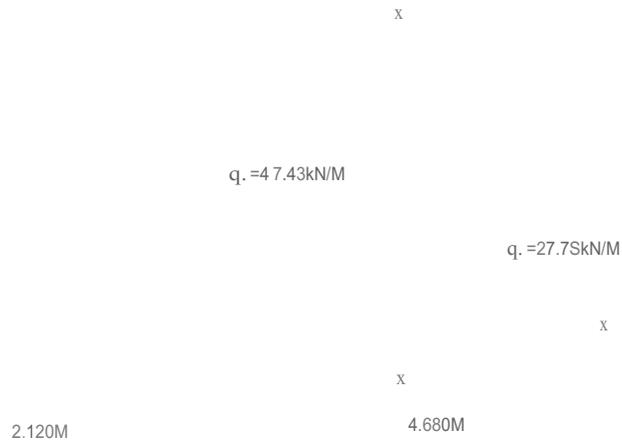
$$100 A_s = \frac{100 \times 4020}{400 \times 562} = 1.79$$

$$bd \quad 400 \times 562$$

$$v_c = 0.81 \text{ N/mm}^2 \text{ by interpolation}$$

$$v, + 0.4 \sim U < 0.85 f_{cu}$$

3.9 BEAM Gb-3, L = 6.8 m size (0.4 x 0.6 m)



By similar triangle

$$47.47/4.68 = y/x$$

$$V = 10.13x$$

LOADS

$$\text{From slab Gs- 4b} = 15.81 \times 3 = 23.72 \text{ kN/m}$$

$$\text{Self weight} = 0.4 \times 0.3 \times 24 \times 1.4 = 4.03 \text{ kN/m}$$

$$.q_1 = 27.75 \text{ kN/m}$$

$$\text{From Slab Gs-2b; } q_2 = 15.81 \times 112(6.00) = 47.43 \text{ kN/m}$$

$$.q_2 = 47.43 \text{ kN/m}$$

$$\text{From Slab Gs - 5; } q_3 = 15.81 \times 1.5 = 11.86 \text{ kN/m}$$

$$F = 119 \text{ kN} \text{ =from beam Gb - 9}$$

REACTIONS

$$I: M_s = 0$$

$$6.8 R_A = 27.75 \times (6.62) + \frac{1}{2} (2.12 \times 11.86) (1.41 + 4.68) + \frac{1}{2} (4.68 \times 47.43) + \frac{2}{3} (4.68) + 119 \times 4.68$$

$$= 641.58 + 76.56 + 346.28 + 556.92$$

$$R_A = 238.43 \text{ kN}$$

$$R_A + R_B = 27.75 \cdot 6.8 + 119 + 12(2.120) \cdot 11.86 + 12(4.68 \cdot 47.43)$$

$$= 188.7 + 119 + 12.57 + 11.69 = 432 \text{ kN}$$

$$R_B = 432 - 238.43 = 194 \text{ kN}$$

$$\text{Position of } B_{\text{max}} = SF = 0$$

$$R_B - q \cdot x - (47.43 \cdot x^2) / 4.68^2 = 0$$

$$194 - 27.75x - 47.43 \cdot \frac{x^2}{4.68^2} = 0$$

$$4.68^2$$

$$.x^2 + 5.47x - 38.26$$

$$.x = -5.47 \pm \sqrt{5.47^2 - 4 \cdot 1 \cdot 38.26}$$

$$2 \cdot 1$$

$$\therefore x = (-5.47 + 13.5) \cdot 0.5 = \sim 0.03 \text{ m}$$

$$B_{\text{max}}$$

$$R_B \cdot 4.03 - 12(4.03) \cdot \frac{(10.13 \cdot 4.03)^2}{3} - q \cdot (4.03)^2 = 0$$

$$= 194 \cdot 4.03 - 10.13 \cdot \frac{(4.03)^3}{3} - 27.75 \cdot \frac{6.80^2}{2}$$

$$= 781.82 - 221.01 - 94.35$$

$$= 466 \text{ kNm}$$

$$K = \frac{M}{f_{\text{cubd}^2}} = \frac{466 \cdot 10^6}{30 \cdot 400 \cdot 562^2} = 0.13 < 0.156$$

$$f_{\text{cubd}^2} = 30 \cdot 400 \cdot 562^2$$

$$z = d [0.5 + \sqrt{0.25 - k/0.9}]$$

$$z = d [0.5 + \sqrt{0.25 - 0.12/d \cdot 9}]$$

$$z = 0.84d = 562 \text{ mm}$$

$$A_s = M \cdot \frac{1}{f_y \cdot z} = \frac{466 \cdot 10^6}{238 \cdot 562} = 2767 \text{ mm}^2$$

$$q_2 = 28.93 \text{ kN/m}''$$

From slab G5 - 2b

$$q_1 = 15.81 + \frac{Q}{2} = 47.43 \text{ kN/m}$$

$$R_A = 28.9 \times 8.48 + (55.88 - 28.95) \times (8.48 - 2.4) + \frac{47.43 \times 8.48 \times 8.48}{8}$$

$$= 1041 + 498 + 117 = 335 \text{ kN}$$

$$R_B = 47.43 \times 8.48 + 28.95 \times 8.48 + (55.86 - 28.95) \times 6.08$$

$$= 201 + 245.5 + 164 = 335$$

$$= 276 \text{ kN}$$

3.11 BEAM GB - 5; L ::;6.30m, 400x600mm

LOADS

From Slab GB- 4 $15.81 * 3.6 / 2 ::; 30.04 kN/m$

Self weight of beam $0.4 * 0.3 * 24 * 1.4 = 4.03 kN/m$

.Q2 = from 9" wall parallel to beam

$$::;(3.3+0.53) * 2.65 * 1.4 = 14.21 kN/m$$

$$F = (3.3+0.53) * 2.65 * (0.4/0.52) * 1.4 = 11.8 kN$$

REACTIONS

$$R_1 = [34.03 * (6.3) / 2 + 11.8 * 3.15 + 14.21 * 3.15 * 4.725] / 6.3$$

$$R_1 = [675.53 + 37.17 + 211.50] / 6.3$$

$$R_2 = 34.03 * 6.3 + 14.21 * 3.15 + 11.6 - 147$$

Position of the Bm!!!!!!§:

Self weight of Beam = $0.4 \times 0.3 \times 24 \times 1.4 = 4.03 \text{ kN/m}$

$$q_l = 82.09 \text{ kNm}$$

$$R_A = (82.09 \times 6.75) / 2 = R_B = 277 \text{ kN}$$

$$M_{\text{max}} = q_l l^2 / 8 = (82.09 \times 6.75^2) / 8 = 468 \text{ kNm}$$

$$K = \frac{M}{b d^2} = \frac{468 \times 10^6}{30 \times 400 \times 562^2} = 0.12$$

$$\sim \text{ubd2}$$

Provide same reinforcement as beam Gb-3

Provide SY2S+1Y20

SHEAR

$$V = 227 \text{ kN}$$

$$v = V / b d = (277 \times 10^3) / (400 \times 562) = 1.23 \text{ N/mm}^2$$

$$100 A_s = 100 \times 2769 = 1.23$$

$$B_d = 400 \times 562$$

$$U = 0.71 \text{ N/mm}^2$$

$$A_{sv} = b (v - v_c) = 400 (1.23 - 0.71) = 0.95$$

$$0.87 \times 250$$

Provide R8@22ScJc Doubled

Provide R8@22ScJc Doubled

147

$$147 - 34.03x - 14.21x = 0$$

$$X = 147/48.24 = 3.05\text{m}$$

$$\begin{aligned} M_{\max} &= 147 \cdot 3.05 - 34.03 \cdot (3.05^2)/2 - 14.21 \cdot (3.05^2)/2 \\ &= 448 - 158.3 - 66.10 \\ &= 224\text{kNm} \end{aligned}$$

$$K = \frac{M}{bd^2} = \frac{224 \cdot 10^6}{30 \cdot 400 \cdot 562^2} = 0.06$$

$$z = d [0.5 + \sqrt{0.25 - k/0.9}]$$

$$z = 0.93d = 522\text{mm}$$

$$A_s = \frac{M}{0.87 f_y z} = \frac{466 \cdot 10^6}{0.87 \cdot 410 \cdot 0.84 \cdot 522} = 1203\text{mm}^2$$

Provide 4Y20 (1260mm²)

Provide 4Y20 (1260mm²)

SHEAR

$$V_{\max} = 147\text{kN}$$

$$v = V/bd = (147 \cdot 10^3)/(400 \cdot 562) = 0.65\text{N/mm}^2$$

$$100A_s = 100 \cdot 1260 = 0.56$$

$$Bd = 400 \cdot 562$$

By interpolation

72428

$$= 2665 + 2929 = 5594\text{mm}^2$$

Provide 8Y25 + 6Y20 (5820mm²)

Provide 8Y25 + 6Y20 (5820mm²)

SHEAR

$$V=285\text{kN}$$

Provide R8@225mm double as in Gb- 4

3-13 BEAM GB-7; l=6.00m Size = 600x300

47.43kN/M

RB

LOADS

$$G_s-2, \quad 15.81 * 6/2 = 47.43\text{kN/m} = ql$$

$$G, - 2c, \quad 15.81 * 6/2 = 47.43\text{kN/m}$$

$$RA = [47.43 * (6/2) + 47.43 * 6 * 1/2 * 2/3 * 6] * 116 = 237\text{kN}$$

$$RB = 47.43 * (6/2) + 47.43 * (6/2) - 237 = 94.71\text{kN}$$

$$B_{m\max} = [(2ql^2)/9] = 0.125ql^2$$

$$= (2 * 47.43 * 6^2) / 9 + 0.125 * 47.43 * 6^2$$

$$= 219.04 + 213.44 = 432.49\text{kNm}$$

$$v_c = 0.55 \text{ N/mm}^2$$

$$A_{sv} = b (v - v_c) = 400 (0.65 - 0.56) = 0.18$$

$$0.87 f_{yv} \quad 0.87 * 250$$

Provide R8@300cl

Provide R8@300cl

3.12 BEAM GB-6; L= 6.00m, 600x300mm

$$R_A = R_B = (q_l l) / 2 = (94.83 * 6) / 2 = 284.5 \text{ kN}$$

$$M_{\max} = (q_l e) / 2 = 427 \text{ kNm}$$

$$K = \frac{M}{\sim u b d^2} = \frac{427 * 10^6}{30 * 600 * 2622} = 0.37 > 0.156$$

$$\sim u b d^2 \quad 30 * 600 * 2622$$

$$A_{1s} = M - 0.156 f_c u b d^2$$

$$= (427 - 193) * 10^6 = 2929 \text{ mm}^2$$

$$79901$$

Provide 6Y25 (2950mm²) Top

Provide 6Y25 (2950mm²) Top

$$A_s = 0.156 f_c u b d^2 + A_{1s}$$

$$0.87 f_y z$$

$$= 193 * 10^6 + 2929$$

$$K = \frac{M}{f_c b d^2} = \frac{432.49 \times 10^6}{30 \times 600 \times 262^2} = 0.35 > 0.15$$

Compression reinforcement is required; $\bar{f} = 20 + 8 + 10 = 38 \text{ mm}$

$$A_{1s} = \frac{M - 0.156 f_c b d^2}{0.87 f_y (d - d')}$$

$$= \frac{(432.47 - 192.75) \times 10^6}{79900.8} = 3000 \text{ mm}^2$$

Provide 6Y25 (2950mm²) Top

Provide 6Y25 (2950mm²) Top

$$A_s = \frac{0.156 f_c b d^2}{0.87 f_y z} + A_{1s}$$

$$= \frac{192.75 \times 10^6}{72428} + 3000$$

$$= 5661.3 \text{ mm}^2$$

Provide 7Y32 Bottom (5630mm²)

Provide 7Y32 Bottom (5630mm²)

SHEAR

$$V = 237 \text{ kN}$$

$$v = \frac{237 \times 10^3}{600 \times 262} = 1.51 \text{ N/mm}^2$$

$$100 A_s = 100 \times 5630 = 563000$$

$$= 3.58$$

$$b d = 400 \times 262$$

$$v_c = 0.97$$

$$A_{sv} = b (v - v_c) = 600 (1.51 - 0.97) = 1.49$$

$$S_y = \frac{V}{0.87 f_y v} = \frac{237 \times 10^3}{0.87 \times 250} = 1080 \text{ mm}$$

Provide R8@120C/c doubled

Provide R8@120C/c doubled

3-14 BEAM GB -7a 600*300mm

From Slab Gs - 2a and Gs - 2b

LOADS

$$.q_i = 1 \sim .81 * (6/2) * 2 = 94.86 \text{ kN/m}$$

$$R_A = 2/3 q_l = 2/3 (94.86 * 6) = 379.44 \text{ kN}$$

$$R_s = 1/3 q_l = 1/3 (94.66 * 6) = 189.72 \text{ kN}$$

$$B_{mmax} = 2q_l^2 / (9 - Y_3) = 438 \text{ kNm}$$

Provide same reinforcement on Gb - 7

6Y25 Top, 7Y32 Bottom

Stirrups R8@120C/c doubled

3-14 BEAM GB - 8 and GB - 8b; $L = 5.945 - (1.770/2) = 5.06\text{m}$, Size = 500x300mm



LOADS

From Slab Gs - 4 and Gs - 4b

$$.. = 15.81 * (3 + 3.8) = 53.8\text{kN/m}$$

$$\text{Self weight} = 0.5 * 0.3 * 24 * 1.4 = 1.2\text{kN/m}$$

$$0.74 + 2.4 + 1.11$$

$$.q_s = (53.8 + 1.2)\text{kN/m} = 55.00\text{kN/m}$$

$$R_1 = [55 * (5.06^2) / 2] / 5.06 = 139\text{kN} = R_2$$

$$M_{\text{max}} = 55 * (5.06) / 8$$

$$= 176\text{kNm}$$

$$K = \frac{M}{R * L} = \frac{176 * 10^6}{139 * 5.06} = 0.17 > 0.156$$

Compression reinforcement is required

$$A_{1s} = [176 - 0.156 * 30 * 500 * 262] / \{0.87 * 410 * (262 - 38)\} \quad d_1 = 20 + 8 + 10 = 38\text{mm}$$

Provide 3Y12 Top (339mm²)

Provide 3Y12 Top (339mm²)

$$A_s = [154.4 * 10^6] / (0.87 * 410 * 0.775 * 262) + 270$$

$$z = 0.7750$$

$$= 2131.77 + 339 = 2471 \text{mm}^2$$

Provide 4Y25 + 2Y20 (2588mm²) Bottom

Provide 4Y25 + 2Y20 (2588mm²) Bottom

SHEAR

$$v = V/bd = (139 * 10^3) / (500 * 562) = 1.06 \text{N/mm}^2$$

$$100A_s = 100 * 2588 = 1.98$$

$$bd = 500 * 262$$

By interpolation $U_c = 0.90$

$$v_c + 0.4 = 1.23 > 1.06$$

$$A_{sv} = b (v - v_c) = 500 (1.06 - 0.90) = 0.367$$

$$0.87 f_{yv} = 0.87 * 250$$

Provide R8@300c/c doubled

Provide R8@300c/c doubled

$$3.15 \text{ GB - 8c } L=5.6\text{m} \quad 600 \times 300 \text{mm}$$

$$RA \sim \quad 5.6 \text{M} \quad 1.88 \text{M} \quad \sim RB$$

By similar triangle

$$y = (32.5/5.6)x = 5.8x$$

LOADS

$$\text{From } G_s - 4c, 15.81 * 3.96/2 = 31.30 \text{kN/m}$$

$$\text{From } G_s - 4a, 15.81 * 3.15/2 = 24.94 \text{kN/m}$$

From Gs - 1 (15.81 + 2.73)*6.3/2= 58.09kN/m

Self weight = 1.2kN/m

$$\dots qJ = 31.30 + 1.2 = 32.5kN/m$$

$$\dots q2 = 24.94 + 1.2 = 26.14kN/m$$

$$\dots q_1 = 58.09 + 1.2 = 59.29kN/m$$

$$5.6Ra = 12(5.6*32.5)*2/3(5.6) + 26.14*1.8*4.7 + 59.29*3.72/2$$

$$Ra = (339.7 + 221 + 410)/5.6 = 173kN$$

$$RA = 12(5.6*32.5)*2/3(5.6) + 26.14*1.88*4.7 + 59.29*3.72/2 - 173$$

$$RA = 91 + 221 + 49.1 - 173 = 188kN$$

Position of BmIIIM

$$RA - 59.29x - 5.80x * 1/2x = 0$$

$$188 - 59.29x - 2.9x^2$$

$$x^2 + 20.44x - 64.8 = 0$$

$$= \{-20.44 \pm \sqrt{20.44^2 - 4*1*(-64.8)}\} / 2*1$$

$$= \{-20.44 \pm 41.8 + 259.2\} / 2$$

$$= \{-20.44 + 26\} / 2 = 2.79m$$

$$Bm_{max} = 188*2.79 - 59.29*2.79^2/2 - 5.80 * 2.79^2/2 * 1/3 (5.6)$$

$$= 524.52 - 231.42 = 293.1kN/m$$

$$K = M = 252*10^6 = 0.24 > 0.156$$

Compression reinforcement required

$$A_{1s} = (252 - 154.4)106 = 1222\text{mm}^2$$

79901

Provide 4Y20 (1260mm¹ Top

Provide 4Y20 (1260mm²) Top

$$A_s = \{(154.4 * 106) / (0.87 * 410 * 224)\} + 1222$$

$$z = 224\text{mm}$$

$$A_s = 3154\text{mm}^2$$

Provide 4Y25 + 4Y20 (3220mm²) Bottom

Provide 4Y25 + 4Y20 (3220mm²) Bottom

SHEAR

$$V = 188\text{kN}$$

$$v = V_{rbd} = (188 * 10^3) / (500 * 562) = 1.44\text{N/mm}^2$$

$$100A_s / (b * d) = 100 * 3220 / (500 * 262) = 2.46$$

$$b_d = 500 * 262$$

By interpolation $u_c = 0.97$

$$v_c + 0.4 = 1.37$$

$$v_c + 0.4 < u < 0.85f_{cu}$$

$$A_{sv} = b (v - v_c) / (0.87 * 250) = 500 (1.44 - 0.97) = 0.86$$

$$0.87 * 250$$

Provide R8@230c/c doubled

Provide R8@230c/c doubled

3.16 Beam GB - 9

L= 4.00m, size= 400x300mm



From Slab Gs - 5, $15.81 * 1.512 = 11.86kN/m$

" " Gs - 2, $15.81 * 6.012 = 47.43kN/m$

Selfweight = $1.20kN/m$

$q = 60.49kN/m$

REACTION S& MOMENTS

$R_A = R_B = ql/2 = 60.49 * 4/2 = 121kN$

$\sim m_{max} = ql^2/8 = 60.49 * 4^2/8 = 121kNm$

$K = M = 121 * 10^6 = 0.15 < 0.156$

$$z = d [0.5 + \sqrt{0.25 - 0.15/0.9}]$$

$z = 205mm$

$A_s = M / (0.87 f_y z) = 121 * 10^6 / (0.87 * 410 * 205) = 1653mm^2$

$0.87 f_y z = 0.87 * 410 * 205$

Provide 3Y25 + 2Y20 (2098mm²)

Provide 3Y25 + 2Y20 (2098mm²)

SHEAR

$$V = 121\text{kN}$$

$$v = V/bd = (121 * 10^3)/(400 * 262) = 1.15\text{N/mm}^2$$

$$100A_s = 100 * 2098 = 2$$

$$bd = 400 * 262$$

. By interpolation $v_c = 0.91\text{N/mm}^2$

$$A_{sv} = b(v - v_c) = 400(1.15 - 0.91) = 0.44$$

$$0.87f_{yv} = 0.87 * 250$$

Provide R8@300dc doubled

Provide R8@300dc doubled

3.17 GB-10

$$L = 3.67, 450 \times 450\text{mm}$$



LOADS

$$\text{From Slab Gb -1, } 15.81 * 6.3/2 = 49.80\text{kN/m}$$

$$\text{Self weight} = 0.45 * 0.45 * 2.65 * 1.4 = 1.60\text{kN/m}$$

$$0.74 + 2.41 + 1.11$$

$$9'' \text{ wall} - (3.3 + 0.53) * 2.65 * 1.4 = 15.28\text{kN/m}$$

$$q = 66.68\text{kN/m}$$

$$B_{max} = qt^2/8 = 66.68 \cdot 3.672^2/8 = 112 \text{ kN/m}$$

$$K = \frac{M}{tubd^2} = \frac{112 \cdot 10^6}{30 \cdot 450 \cdot 412^2} = 0.05$$

$$d = 450 - 20 - 8 - 10 = 412$$

$$z = d [0.5 + \sqrt{0.25 - 0.05/0.9}] = 388 \text{ mm}$$

$$A_s = \frac{M}{0.87 f_y z} = \frac{112 \cdot 10^6}{0.87 \cdot 410 \cdot 388} = 809 \text{ mm}^2$$

Provide 3Y20 (943mm²) Bottom

Provide 3Y20 (943mm²) Bottom

REACTION

$$V = 66.68 \cdot 3.672/2 = 122 \text{ kN}$$

$$100A_s = 100 \cdot 943 = 0.51$$

$$B_d = 450 \cdot 412$$

$$v = V/B_d = (122 \cdot 10^3)/(450 \cdot 412) = 0.66 \text{ N/mm}^2$$

By interpolation $u_c = 0.51 \text{ N/mm}^2$

$$A_{sv} = b(v - v_c) = 400(0.66 - 0.51) = 0.31$$

$$S_v = \frac{0.87 f_{yv}}{0.87} = 250$$

Provide R8@300c Jlinks

Provide R8@300c Jlinks

$$\text{Max } S_v = 0.75d = 309 \text{ mm}$$

3.18 GB-II; $L = 2.695 + 0.225 + 0.1125 = 3.03\text{m}$; Size = 250*300mm

. LOAD

From Slab Gb - 4 & Gb -4b

$$= 15.81 (3.8+3.0)*1/2 = 53.75\text{kN/m}$$

$$\text{Self weight} = 0.25*0.3*24* 1.4 = 0.59\text{kN/m}$$

$$0.74+2.41+1.11 \quad 54.34\text{kN/m}$$

$$B_{m\max} = wL^2/8 = 54.34*3.03^2/8=62.4\text{kN/m}$$

$$K = \frac{M}{L} = \frac{62.4*10^6}{3.03} = 0.12 < 0.156$$

$$z = d[0.5 + \sqrt{0.25 - 0.12/0.9}] = 262(0.65) = 222\text{mm}$$

$$A_s = \frac{M}{0.87f_y z} = \frac{62.4*10^6}{0.87*410*222}$$

$$= 784\text{mm}^2$$

Provide 4Y16 (804mm²) Bottom

Provide 4Y16 (804mm²) Bottom

SHEAR

$$V = 0.5*54.39*3.03 = 82.4\text{kN}$$

$$v = V/bd = (82.4*10^3)/(250*222) = 1.48\text{N/mm}^2$$

$$100A_s = 100*804 = 1.45$$

$$bd = 250 * 222$$

By interpolation $v_c = 0.75 \text{ N/mm}^2$

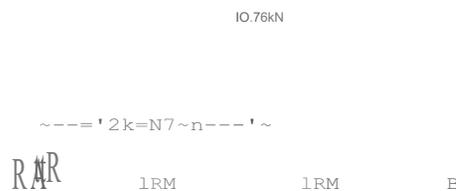
$$A_{sv} = b (v - v_c) = 250 (1.484 - 0.75) = 0.837$$

$$0.87 f_{yv} \quad 0.87 * 250$$

Provide R8@120cJc

Provide R8@120cJc

3.18 Gb-12 L = 4.0 + 1.43 + 0.06 - 0.1125 - 1.5 = 3.85m, Size 22Sx300mm



From slab Gb - 2, $15.81 * 6/2 = 47.43 \text{ kN/m}$

$$\text{Self weight} = 0.225 * 0.3 * 24 * 1.5 = 0.53 \text{ kN/m}$$

$$0.74 + 2.4 + 1.11$$

Weight of 9" wall = $(3.3 + 0.53) * 2.85 * 1.4 = 28.07 \text{ kNm}$

$$q_1 = 47.43 + 0.53 + 28.07 = 76.03 \text{ kN/m}$$

$$..q_2 = 15.81 * 1.5/2 = 11.86 = 12 \text{ kN/m}$$

$$..q_3 = 15.81 * 1.5/2 = 11.86 \text{ kN/m}$$

$$F = 9" \text{ wall, } 15.68 * 1.5/2 * 0.9 = 10.76 \text{ kN}$$

REACTIONS

$$3.85 R_A = 7.6 * 3.85 * 1.53 + 10.76 * 1.27 + 12 * 2.58 * 2.56 + 1/2 * (1.27) * 12 * 2/3 * (1.27)$$

$$R_A = 142.4 \text{ kN}$$

$$R_B = 7.6 * 3.85 + 10.76 + 12 * 2.58 + 1/2 * (1.27) * 12 = 142.4$$

$$R_B = 199.54 = 200 \text{ kN}$$

Position of $B_{m_{max}}$

$$R_A - q_1X - q_2X^2 = 0$$

$$142.4 - (76 + 12)X = 0$$

$$x = 1.65\text{m}$$

$$B_{m_{max}} = R_Ax - Q_1X^2/2 - Q_2x^2/2$$

$$= 142.4x - 86 * 1.62/2$$

$$= 142.4(1.65) - 86(1.28)$$

$$= 235 - 110$$

$$B_{m_{max}} = 125\text{kNm}$$

$$K = \frac{M}{\sqrt{bd^2}} = \frac{125 * 10^6}{30 * 225 * 2622} = 0.27$$

$$\sim \sqrt{bd^2} \quad 30 * 225 * 2622$$

Compression of reinforcement

$$A_{1s} = \frac{(125 - 73.9) * 10^6}{80614.2} = 632\text{mm}^2$$

$$80614.2$$

Provide 4Y16 Top (804mm²)

$$A_s = 0.156 f_c b d^2 + A_{1s}$$

$$0.87 f_y z$$

$$= \frac{73.9 * 10^6}{0.87 * 410 * 0.775 * 262} + 671 = 1691\text{mm}^2$$

$$0.87 * 410 * 0.775 * 262$$

Provide 3Y25 + 1Y20 (1764mm²)

Provide 3Y25 + 1Y20 (1764mm²)

SHEAR

$$V=200\text{kN}$$

$$v = V/bd = (200 \times 10^3) / (225 \times 226) = 3.9 \text{ N/mm}^2$$

$$100A_s = 100 \times 1764 = 3.51$$

$$Bd = 225 \times 226$$

By interpolation $u_c = 1.04 \text{ N/mm}^2$

$$A_{sv} = b'(v - v_c) = 225 (3.9 - 1.04) = 1.87$$

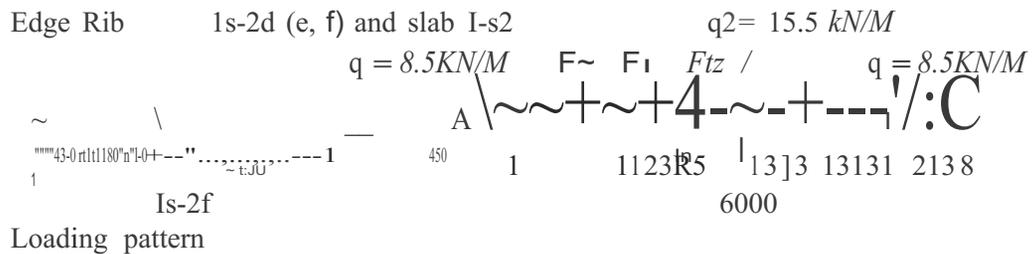
$$0.87 f_{yv} \quad 0.87 \times 410$$

. Provide Y8@120c/c

Provide Y8@120c/c

1ST AND 2ND FLOOR SLAB AND BEAMS

- 3.20 Ribbed slabs Is-1, Is-2 same on Gs-1, Gs-2
- 3.21 Ribbed slabs Is-3 $l_1 = 3.8m$, = same as Gs-4
 Is-3b $h = 3.0m$, same as Gs-4b
 Is-Jc $l_3 = 3.0m$, same as Gs-4c
 Is-Sa $l_4 = 3.15m$, same as Gs-4a
- 3.22 Ribbed slab Is-4 same as G-s5



As Ib-2d

Pillars of block wall $F_2 = (3.3 + 0.53) \times 2.85 \times 1.4 \times 0.323 = 3.51kN$

$F_1 = 100mm$ partition perp. to span

$(1.5 + 0.53) \times [(0.45 - 0.23) + 0.23/2] \times 1.4 \times 2.85 = 2.71kN$

For slab Gs-ls-1

Dead - From Ground floor $7.81kN/m$

Live Ground floor (Offices) 4.00 "

$11.8kN/m$

PI - load from slab Gs - 1 = $11.6 \times (0.45 - 0.023) = 2.60kN/m$

Self-weight of rib = $0.23 \times 0.3 \times 24 \times 1.4 = 0.55kN/m$

$2.4 + 0.74 + 1.11$

Weight of LOrn 9" wall under window = $3.51 = 5.35kN/m$

0.23×2.85

$q = 8.50kN/M$

3.23 $q_2 =$ weight of 9" wall between window

$$(3.3 + 0.53) \times 2.85 \times 1.4 \quad 18.3 \text{KN/M}$$

REACTIONS

$$6R_A = 8.5 \times 6/2 + 3.51 \times 4.762 + 15.3 \times 3.45 \times 2.63 + 2.71 \times 3.45 + 3.51 \times 2.13$$

$$153 + 16.71 + 138.82 + 6.64 + 7.51, R_A = 53.5 \text{KN}$$

$$R_D = 8.5 \times 6 + 3.51 + 2.71 + 3.51 + 15 \times 2.63 - 53.8 = 97.17 \text{KN}$$

Position of BM_{max} (where SF = 0)

$$53.8 - 8.5x - 3.51 - 15.3x + 19 = 0$$

$$23.8x = 69.29, \therefore x = 2.91 \text{m}$$

$$M = 15.3 \times x - 1.24x^2$$

$$= 56.8 \times 2.91 - 3.51(1.67) - 8.51 \times 4.23 - 15.3(1.67)^2$$

$$157 - 5.86 - 36 - 21.34$$

$$= 94 \text{KNM}$$

$$K = \frac{M}{f_c b d^2} = \frac{94 \times 10^6}{30 \times 450 \times 2622} = 1 \text{ (at section B-C)}$$

$$f_c b d^2 = 30 \times 450 \times 2622$$

$$0.10 < 0.156$$

$$Z = d(0.5 + \sqrt{1 - 0.1109}) = 0.87d$$

$$A_s = \frac{M}{0.87 \times 410 \times 0.87 \times 262} = \frac{94 \times 10^6}{1156 \text{mm}^2}$$

$$1156 \text{mm}^2$$

Provide 4Y20 (1260mm²) bottom

AT SECTION AB AND CD

$$\text{Point B, } B_m = R_A \times 1.24 - 8.5 \times 1.24^2$$

$$= 53.8 \times 1.24 - 8.5 \times 1.24^2 = 60 \text{KN/m}$$

$$\text{Point C, } B_m = R_A \times 2.14 - 8.5 \times 2.14^2$$

$$=47.17 \times 2 \times 10^4 - 19.5$$

$$82 \text{ kNm}$$

82 kNm > 60 kNm, use 82 kNm for 230 mm section

$$b = 230, d = 262$$

$$K = \frac{82 \times 10^6}{30 \times 230 \times 262^2} = 0.17 > 0.156$$

Compression reinforcement

$$A_s = \frac{82 \times 10^6}{0.87 \times 410 \times (262 - 34)} = 20 + 8 + 6 = 34 \text{ n'lm}$$

$$A_s' = \frac{(82 - 73.9) \times 10^6}{0.87 \times 410 \times (262 - 34)} = 98 \text{ mm}^2$$

Provide 2Y12 Top (113 mm²)

$$A_s' = \frac{73.9 \times 10^6}{72428} + 98 = 11118 \text{ mm}^2$$

Provide 4Y20 (1260 mm²) Bottom

SHEAR

$$V = 53.8 \text{ kN}, \quad v = 0.89 \text{ N/mm}^2$$

$$\frac{100AS}{Bd} = \frac{100 \times 1260}{230 \times 262} = 2.11$$

$$Bd = 230 \times 262$$

$$v_c = 0.99 \text{ N/mm}^2$$

Nominal links is required

$$AS_v = \frac{0.4b}{0.87f_{yv}} = \frac{0.04 \times 230}{0.87 \times 250} = 0.0423$$

$$S_v = \frac{0.87f_{yv}}{0.87 \times 250}$$

$$S_v \text{ max} = 0.75d = 197 \text{ mm}$$

Hence Provide R8@190%

Anchorage into slab against torsion

$$e = 225 - 15 = 110 \text{ mm}$$

$$T = (15.3 + 0.225 \times 0.3 \times 24 \times 104) \times 0.11 = 1.936 \text{ kNm/m} \times 0.11$$

$$A_T = \frac{M}{0.87 f_{yv} d} = \frac{1.93 \times 10^6}{0.87 \times 2.50 \times 262} = 34 \text{ mm}^2/\text{m}$$

Provide R8 @ 300 (167 mm²/m)

Hence R8 @ 150% controls both the nominal links reinforcement and torsion

LOADS

From slab s - 2b : $11.81 \times 6/2 = 35.43\text{KN/M} = q_1$ selfwt

From slab s - 3c : $11.81 \times 3/2 + 1.19 = 18.91\text{kN/M} = q_2$

REACTIONS

$$R_1 = 18.91 \times 4.24 + 215.43 \times 4.24 \times 2/3 \times (4.24)/4.24$$

$$= 170 + 212/9.24$$

$$R_2 = 35.43 \times 4.24 + 18.91 \times 4.24 - 90$$

$B_{m_{\max}}$ = where SF = 0

$$65 - 35.43/4.24 \times X - 18.91 \times X = 0$$

$$65 - 4.18x^2 - 18.91x = 0$$

$$x^2 + 4.52x - 15.6 = 0$$

$$X = -4.52 \pm \sqrt{4.52^2 - 4 \times 1 \times (-15.6)}$$

$$2x1$$

$$= -4.52 + 9 - 10/2 = 2.29\text{m}$$

$$B_{m_{\max}} = 65 \times 2.29 - 4.18 \times 2.29^3 \times 1/3 - 18.91 \times 2.29^2/2$$

$$149 - 16.70 - 49.6 = 83\text{kNm}$$

$$K = m/fcubd^2 = 83 \times 10^6/30 \times 500 \times 262^2 = 0.08 < 0.156$$

$$Z = d(0.5 + \sqrt{0.25 - 0.08/0.9})$$

$$A_s = 83 \times 10^6/0.87 \times 410 \times 0.90 \times 262 = 987\text{mm}^2$$

Provide 5Y16 (1010mm²)

$$\text{Hanger bars} = 0.2\%(500 \times 300) = 300\text{mm}^2$$

Provide 3Y12 (339mm²) Top

SHEAR

Provide y% 30qc/c doubled

Beam IB - 8 L = 3.8m 300 x 300
 ↑ 3.8m ↑ ~ 45.0KN/M

LOADING

From slab 1 s - 2 : $11.81 \times 6/2 = 35.43kN/M$

From slab 1 s - 2: $11.81 \times 1.5/2 = 8.86$

Selfwt: $0.33 \times 0.3 \times 24 \times 1.4/2.4 + 1.11 + 0.74 = 0.71$

$q = 45.0kN/M$

$m = ql^2/8 = 45 \times 4218 = 90kN/M$

$k = 90 \times 10^6 \times 10^6/300 \times 300 \times 262^2 = 0.014 < 0.156$

$z = 0.95d$

$.. AS = 90 \times 10^6/0.87 \times 410 \times 0.95 \times 262 = 1014mm^2$

Provide 4Y20 (1260mm²)

SHEAR

$R_1 = V = ql/2 = 45 \times 4/2 = 90kN$

$.. v = 90 \times 10^3/300 \times 262 = 1.15N/mm^2$

$100AS/bd = 100 \times 1260/300 \times 262 = 1.60$

By interpolated

$V_c = 0.85N/mm^2 \quad v, + 0.4 = 1.25 < 1.60$

Shear rtf in required

$Asv/Sv = b(V - V_c)/0.87fy = 0.0 (1.15 - 0.85)/0.87 \times 250 = 90/218 = 0.414$

Provide Y:225/c/c links

Mosley
table 6.5
Page 116

4.8

Provide
5Y16(10
Ommr')
Bottom
Provide
3Y12
(339) To

IB-9 L = 3.5m 230 x 300mm

4.9 $\frac{1}{3} \times 3.5 \times 24.78 \approx 24.78 \text{ kN/M}$

LOADING

From slab Is - 4: $11.81 \times 1.5/2 = 8.86 \text{ kN/M}$

From 230mm wall : 15.38 kN/M

Selfwt $0.7110.3 \times 0.23 = 0.54$

$q = 24.78 \text{ kN/M}$

$m = 0.3125 \times 3.5 \times 24.78 = 27.38 \text{ kN/M}$

$k = 38/30 \times 230 \times 2622 \times 10^6 = 0.08$

$Z = d (0.5 \sim 0.25 - 0.08/0.9) = 0.9d$

$A_s = 38 \times 10^6 / 0.87 \times 410 \times 0.9 \times 262 = 451 \text{ mm}^2$

Provide 3Y16 (603mm²)

Bottom

SHEAR

$V = qL/2 = 24.378 \times 3.5/2 = 43 \text{ kN}$

$v = 43 \times 10^3 / 230 \times 262 = 0.171 \text{ N/mm}^2$

$100A_s/bd = 100 \times 603 / 230 \times 262 = 1.0$

From table

$v_c = 0.72 \text{ N/mm}^2$

Provide nominal rtf

$A_{sv} = OAb / 0.87 f_{yv} = 0.4 \times 230 / 0.87 \times 250 = D2/218 = 0.4223$

Provide R: @ 200c/c (Sv = 0.75d = 197mm)

4.14 1B-14 450 x 300
F

| 3.670 t.40' |

Provide some reinforcement as in beam IB - 11

Span 6Y20

Support 4Y20

Link Y: @150c/c

4.15 1B-15 230 x 450mm

$$L = 4.24 + 0.57 = 4.813$$

$$F = 21 \text{ KN/M}$$

$$q_2 = 18.60 \text{ KN/M}$$

.700

LOADING

Loads from slab IB - 3B : $11.81 \times 3.15/2 = 18.60$

From slab wall = 15.28

Self weight of beam : $0.55 + 24 + 1.4 \times .23 \times .15 = 1.71 \text{ KN/M}$

$$q_1 = 35.59 \text{ KN/M}$$

from slab s- 3a : $11.81 \times 3.15/2 = 18.60 \text{ KN/M}$ q_2

F = reaction from IB - IIa = 21.0KN

$$A_s = 51 \times 10^6 = 682 \text{ mm}^2$$

Bottom

$$0.87 \times 410 \times 0.8d$$

Provide 2y16 + 1y20 (716mm²)

From hanger bars provide 20% of both bars $0.2 \times 716 = 143$

Top

Provide 2Y12

SHEAR

$$V = 40.75 \times 3.15 = 64.2 \text{ kn}$$

$$V = 64.2 \times 10^3 / (230 \times 262) = 1.07 \text{ N/mm}^2$$

$$100AS / bd = 100 \times 716 / (230 \times 262) = 1.19$$

By interpolation $V_c = 0.76$

Reymyds $v_c + 0.4 = 1.16$

H/brok. $(V_c + 0.4) < V < 0.87 f_c$

table 3.33 $0.5V_c < V < v_c + 0.4$..become of the don may in

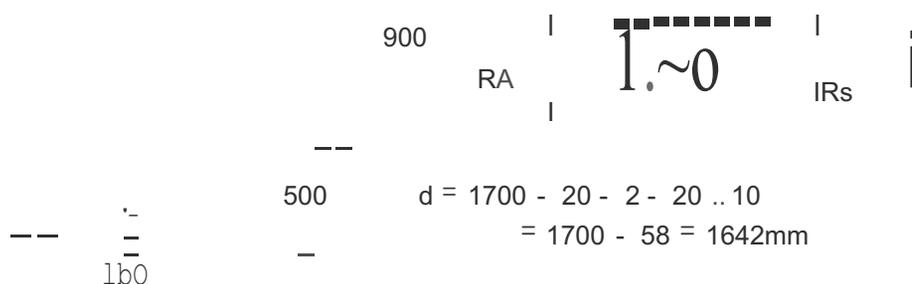
$$ASV = 230 \times 0.4 = 0.4230$$

$$SV = 0.87 \times 250$$

R: @ 200% in R: @ 200%

4.17 (Balustrade), 150 x 1700mm

$$l_b \leq 13500 \text{ mm} \quad q = 28.18$$



LOADS

$$\text{From slab: } s - 3a : 11.81 \times 3.15/2 = 18.60 \text{ KN/M}$$

$$\text{Self wt: } 7 \times 0.15 \times 24 \times 1.4 + 0.03 \times 22 \times 1.4 = 9.58 \text{ KN/M}$$

$$m = 28.181 / 8 = 28.1 \times 13.502 = 642 \text{ KN/M}$$

$$k = 6842 \times 10^6 / (30 \times 150 \times 1642^2) = 0.05 < 0.156$$

$$z = (0.5 + \sqrt{0.25 - 0.05/0.9})d = 0.94d$$

$$As = 642 \times 10^6 / (0.87 \times 410 \times 0.94 \times 1642) = 1169$$

Provide 2Y25 + 2Y12 (1208mm²)

SHEAR

$$V = 28.18 \times 13.5/2 = 190.2 \text{ KN} = R$$

$$Y = 190.2 \times 10^3 / (150 \times 1642) = 0.77 \text{ N/mm}^2$$

$$100AS/bd = 100 \times 1208 / (150 \times 1642) = 0.49$$

By interpolation $Y_c = 0.526 \text{ N/mm}^2$

$$0.5V_c < Y < v_c + 0.4$$

$$ASV = 0.4 \times 150 \times 0.87 \times 250 = 0.276$$

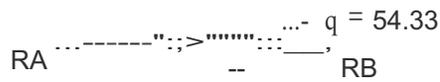
2'12

2Y25

Provide links at spacing 0.75d = 0.75 x 16.421

Provide R: @ 300 c/c links

1b-19 l= 2.00M, 230 X 300MM



2.00

From slab 1s- 2 : 11.81 x 6/2 + 11.81 x 0.052/2 = 38.50KN/M

Self wt of slab = 0.55

Wt of 9.of blockwall = 15.28

ql = 54.33KN/M

m = 54.33 x 22/8 = 27.2KN/M

z = 0.95d

AS = 27.2 x 106/0.87 x 0.95 x 262 x 410 = 306mm²

Provide 3Y12 botton (339mm²)

Top - pm 20% (332) = 68mm²

SHEAR

V = 54.33 x 2/2 = 54.33KN/M

V = 54.33 x 103/230 x 262 = 0.90N/mm²

100AS/bd = 100 x 339/230 x 2E? = 0.56

By interpolation Vc= 0.59

0.5Vc < V < Vc + 0.4

ASV/SV = 230 x 0.4/0.87 x 250 = 0.4230mm²

Provide R8@230c/c

REACTION

4.7RA = 35.59 x 4.72/2 + 18.6 x 1 x (3.7 + 0.5) + 21 x 3.7
= 393.1 + 78.12 + 77.7

Provide 2Y10

RA = 549/4.7 = 117KN

RB = 18.6 x 1 + 21 + 35.59 x 4.7 x 4.7 - 117 = 90KN

Position of Bm_{max}

RB = 35.9x

x = 90/35.59 = 2.53m from B

Bm_{max} = 90 x 2.53 - 1/2 x 35.59 x 2.53²

227.6 - 114 = 114KN/M

K = 4 x 106/30 x 230 x 4122 = 0.10 d = 450 - 20 - 8 - 10 = 412mm²

Z = d (0.5 + 0.125 - 0.1/0.D) = 0.88d

$$AS = 114 \times 10^6 / 0.87 \times 410 \times 0.88 \times 412 = 885 \text{mm}^2$$

Provide 3Y20 (94~mm) ,

$$\text{Hanger bars- provide } 20\% = 0.2 \times 943 = 187$$

Provide 2Y12(226mm²)

SHEAR

$$V = 117 \text{KN}, \tau = 117 \times 10^3 / 230 \times 412 = 1.23 \text{N/mm}^2$$

$$100/bd = 100 \times 943 / 230 \times 412 = 11.00$$

From table, $\tau_c = 0.67 \text{N/mm}^2$

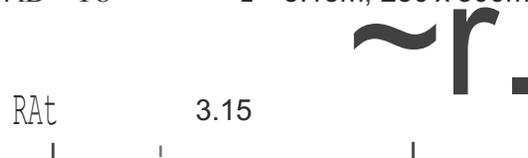
$$V_c + 0.4 = 1.07 < 1.23$$

$$AS_v/S_v = 230(1.23 - 0.67) / 0.87 \times 250 = 0.592$$

4.16

Provide Y8 @ 250c/c

Beam IB -'16 L = 3.15m, 230 x 300mm



LOADING

$$\text{From slab } l_s - 3 : 11.81 \times 3.8/2 = 22.44 \text{KN/M}$$

$$\text{From slab } l_s - 3c: 11.81 \times 3.0/2 = 17.72$$

$$40.20 \text{KNLM}$$

Self weight

$$= 0.55$$

q

$$= 40.75 \text{KNLM}$$

Bottom

$$m = 40.75 \times 3.15^2 / 8$$

$$= 51 \text{KNM}$$

$$k = 51 \times 10^6 / 30 \times 230 \times 262^2$$

$$= 0.11 < 0.156$$

$$z = (0.5 + \sqrt{0.25 - 0.11/0.9})$$

$$= 0.86d$$

7.0 3RD FLOOR SLABS AND BEAMS

Must of slabs are repeated from 1st floor

~dditional Slabs

7.1 3s - 2: additionally in the areas M - L115 - 16 & I - II 129 - 30 (reinforcem (Ah
stair case) - L = 6.000m as for Is - 2)

7.2 3s - 2g - is as above, but with variable length from 6.0m to 3.50m "

7.3 3s -s3c -in area A - B/5 - 6 & 9 - 10

7.4 3s - 3d - is as above with span around 1.5m. K - J/5-6 & 9 to 10 (re

2Y10)

8.0 3RD FLOOR BEAMS

Mostly beams are repeated from 1st floor.

8.1 beam 3B - 11b L = 1.00m, 150 x 300mm
q=26KN/M

r

1.000

Loads

From slab 3s - 3d: $11.81 \times 1.5/2 = 8.86KN/M$

Selfwt. of beam: $0.15 \times 0.3 \times 24 \times 1.4 = 1.51$ "

R/C. wall- $(0.15 \times 24 + 0.03 \times 22) \times 2.8 \times 1.4 = 16.7$ "

q=

25.92KN 1M q = 26 KN/M

M = $26 \times 1.218 = 3.25 KNIM$

V = $26 \times 1/2 = 13 KN$

As = $3.25 \times 106/0.87 \times 410 \times 0.95 \times 262$

Min rft by code = $0.13\%bh = 0.13 \times 150 \times 300 = 59mm^2$

Provide 2Y10 (157mm²) . bottom

2 Y 10 bottom

Shear:

V = 13 KN proved R 8 @ 250c/c

R8 @250 c/c

8.2 beam 3B - 11 C L = 1.5, 1150 x 300

~F= 13KN R'~0.13 KN/M

1.5 -p

Loads

From slab 3s - 3d: $11.8 \times 0.52/2 = 3.07$

R/C. + selfwt.: 17.06

20.13KN!M

F = load from beam 3b - 11b 13KN

M = $(13 \times 1.5 \times 0.13 \times 1.52/2) = -42 KN/M$

K = $42 \times 106/30 \times 150 \times 262 = 0.133 < 0.156$

Z = $(0.5 + (1.25 - 0.136/0.9) \times 262) = 212.2$

Provide 2Y 20 (628 mrrr') top

2Y 20 Top

SHEAR

$$V = 13 + 20.13x \quad 1.5 = 43 \text{KN}$$

$$V = 43 \times 10^3 / 150 \times 262 = 1.09 \text{ N/mm}^2$$

$$100 A_s / bd = 100 \times 628 / 150 \times 262 = 1.60$$

By interpolation $v_c = 0.85 \text{ N/mm}^2$

$$0.5 v_c < v > (0.4 + v_c)$$

$$: - A_s v / s v = 0.4 b / 0.87 f_y = 0.4 \times 150 / 0.87 \times 250 = 0.276$$

Provide R 8 @ 300 C/c

R 8 @ 300 C/c

8.3

JC?93b

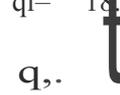
BLAM 3E 1 (Curve) L = 3357, 250 x 300mm

$$18.6 = P$$

1.5 3.357

From the 3b - 3c - varies - $11.81 \times \frac{1}{2} \times 3.15 =$
 Selfwt. of beam - $0.25 \times 0.3 \times 24 \times 1 / 2 \times 1.11 + 0.74$
 RIC wall - as in 3b - 11

$$q_1 = 18.60 \text{KN/m} \quad q_1 = 18.60 \text{KN/m}$$



$$q_2 = 17.06 \text{KN/m}$$

$$RA = 13 \times (3.357 - 1.5) + \frac{1}{2} \times 18.6 \times 3.357 \times 1133.357 + 17.06 \times 3.357 / 2 = 46.23 \text{KN}$$

$$RB = 13 + \frac{1}{2} \times 3.357 \times 18.6 + 17.06 \times 0.57 = 46.23$$

... of Bmm

$$RB - 17.06u - 17.06u - 18.6 / 3.357 \times \frac{1}{2} u$$

$$--- + 46.23 - 17.06u - 2.77u^2$$

$$U_2 + 6069 = 0$$

$$10.5V_c < V_c < V_c \text{ to } .4$$

$$\therefore Abv = 0.4 \times 2501 = 0.460$$

$$Sv = 0.8'lx250$$

Proved R8 @ 220 C/c

B cam 3B - 13 L= 2.4 . 230x300

$$= 35.84KN/m$$

Loads

From slabs 3B - 3b : $18.60 KN/m$

Self wt of beam : $0.05 \times 0.23/0.25 = 0.54$

Ric wall: 16.7

F = from beam

F = from beam: (3b - 13) $46.23KN$

$$RA = 46.23 \times 1.7 + 112(1.7 \times 18.6) \times 113.(1.7) + 35.84 \times 2.4 \times 2.4 = 79.5KN$$

$$RB = 46.23 + 35.8 \times 2.4 + 112 \times 186 \times 1.7 - 79.4 = 67.12KN$$

Position of beam

$$97.4 - 35.84x = 0, \therefore x:h = 2.22m$$

$$BM_{max} = 79.4 \times 2.22 - 46.23 \times (2.22 - 0.7) - 35.84 \times 2.22$$

$$- 18.60/1.7 \times (2.27 - 0.7) \times 112(2.22 - 0.7) \times 113(2.22 - 0.7) = 10.84 KNM$$

Provide same reinfmt. as 1B - 13 (2Y16 bottom), links = R8 at 230 C/c.

Beam 3b - 12 & 3b - 14 L = 6.88M, 450m

$$F = 88.66m$$

$$\sim \dots \text{---} 40.67(m) \quad n = 92 \quad 60 KN = q^2$$

$$50-20-8-10$$

$$| \text{---} \dots \text{---} | \sim$$

$$R^2 = 412 \text{ mm}$$

$$2.00m \times 4.88m$$

$$4.00$$

Load

$$\text{From slab 3b - 1: } 11.81 \times 6.3/2 = 37.20KN/m$$

230mm wall

$$100 \text{ wall tr to slab: } 4.14/6:3 = 0.66$$

$$\text{Selfwt of beam } 452 \times 24 \times 1.4 = 6.80 \quad 59.94KM/m$$

$$V = 60KN/Mql$$

F = re of Beam 3b - 11 55.26 KN = 55.26KN
 RIC wall as a callion: 16.7 (1+1) : 33.40
 8.:-8.-:-66=KN~-

Reaction R. = 609.98+ 1420/6.88
 From slab 35- C : 11.81 x 3.15/2 = 18.59
 Self wt of beam . = 6.90
 block wall = 40.67KN/m q2

reaction
 4.88Rc = 60x4.88 = 40. 67 x 22/2 - 88.6x2
 714.43-81.34-177.2
 :: R2 = 93. 42 KN

R1 = 88.67+ 40.67x2+60x488- 93
 =370KN

Provide ofBM Mix
 R2 x 1.56 - 60x1.562
 = 93.42 x 1.56- 60x 1.52= 73 KN m

K=73x10⁶
 30x 450x 4122
 7 = $\frac{73 \times 10^6}{30 \times 450 \times 4122} = 0.95$
 = 0.95 d

Ab = 73 x 10⁶ / 544
 0.87x410x0.95x412

Provide
 3Y16(bottom)

Provide 4 y16 Bottom (603mm²)
 Support Mt = mount at A
 = 88- 6₆ x 2 + 40 - 22/2 = 259 KN
 K= 259x 10⁶ =
 30x450x912₂ 0.11<0.156

7 = $\frac{259 \times 10^6}{30 \times 450 \times 912} = 0.85$
 = 0.85d

As=259x 10⁶ / 0.87x410x0.83x412 =
 = 2067mm² 3Y15+2Y20'
 Provide (2098)tw

Provide
 3Y25+2Y20
 (2000mm²)
 Top

Shear

$$V = 370 \text{ kN} = \frac{370 \times 10^3}{350 \times 412} = 2.00 \text{ N/mm}^2$$

$$100 \frac{A_s}{bd} = 100 \frac{603}{450 \times 412} = 0.33$$

$$\therefore V_c = 0.45 \text{ N/mm}^2$$

$$(0.4 + V_c) < v < \frac{0.4}{4} \sqrt{f_{ck}} \text{ N/mm}^2$$

$$A_{sv} = b (V - V_c) \frac{0.87 f_{yv}}{0.87 f_{yv}} = 450 (2.0 - 0.455) \frac{0.87 \times 410}{0.87 \times 410}$$

$$= 1.955$$

Y8 @ 120 Yc doubled

Stirrups
Y8 @ 120 Yc
Doubled

From slab: 33 - 3b - 11. 81 x 3.15

$$\text{From slab 230mm block wall} = \frac{18.60 \text{ KN/m} \times 3.15}{2} = 15.2 \text{ g}$$

$$\text{Suit wt of hear} = 0.45 \times 0.2324 \times 1.4 = 3.48 \text{ "}$$

$$37.36 \text{ KN/m'}$$

q1 = 37.36 KN/m

$$\text{From slab 3b - 3d} = 11.81 \times 1.5 = 18.60 - q_2$$

$$\text{From slab 3b - 3a} = 11.81 \times 3.15 = 18.60 - q_3$$

$$F = \text{Beam 3B - 11} = 46.23 \text{ KN}$$

Reaction

$$4.77 R_A = 37.36 \times 4.77 + 18.60 \times 5.77$$

$$+ 46.23 \times 2.77 + 8.58 \times 2.77$$

$$4.77 R_A = 425.02 = 214.64 + 128.06 + 32.92$$

$$R_A = 800.64 = 168 \text{ KN}$$

$$4.77$$

$$R_B = 18.60 \times 2 + 37.36 \times 4.77 + 46.23 + 8.58 \times 2.77 = 168$$

$$= 37.2 + 178.21 + 46.23 + 23.77 - 168$$

$$= 117.41 \text{ KN}$$

Position of BMmax

$$R_B - 37.36 u - 8.58 u = 0$$

$$117.45 - 94u - 8.58u = 0$$

$$BM_{max} = R_B \times 2.55 - (8.58 \times 37.35) \times 2.56$$

$$117.41 \times 2.56 - (45.93) \times 2.56$$

$$= (117.41 - 45.93) \times 2.56 = 183.8 \text{ KNm}$$

$$K = \frac{183 \times 1}{30 \times 230 \times 412} = 0.156$$

Provide minimal compression reinforcement.

Provide 2Y12 as A's (226mm²) top

2Y12 top

$$A_s = 0.156 \frac{f_{cu} b d^2}{0.87 f_y} + A'_s$$

$$= 0.156 \times 410 \times 6.775 \times 412 = 16004 \text{ mm}^2$$

provide (2Y25 + 2Y20) (1610mm²)

2Y25+2Y20
(Bottom)

2Y16 top

.Top bar = 0.2 % x 230x450 = 207 mm² provide 2Y16 top (402mm²)

$$V = 168 \text{ KN}$$

$$v = \frac{168 \times 10^3}{230 \times 412} = 1.77 \text{ N/mm}^2$$

$$v_c = 0.79 \text{ N/mm}^2$$

$$(0.4 + v_c) < v < 0.8$$

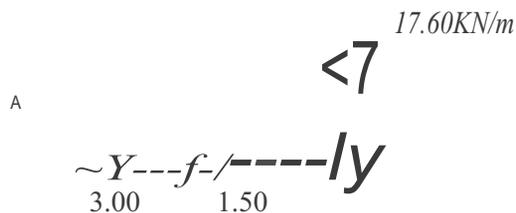
$$\therefore A_{sv} = \frac{b (V - V_c)}{0.87 f_y} = 0.632$$

$$S_v = \frac{D}{8} = \frac{87}{8} = 10.875$$

Provide Y8@150 C/c

8.2 Beam 3B - 20

$$C = 230 \times 310$$



Load

- (i) 230mm beam wall:-
Selfwt: 0.23 x 0.3 x 24 x 1.4

$$I = 5.28 \text{ KN/m}$$

$$2.32 \text{ "}$$

$$Q = 17.60 \text{ KN/m}$$

$$R_A = \frac{17.6 \times 3.2}{2} = 28.16 \text{ KN}$$

$$79.2 - 19.8/3 = 20 \text{ KN}$$

$$R_B = 17.6 \times 4.5 - 20 = 59 \text{ KN}$$

$$\text{Max } (M) = 17.6 \times 3.2 / 8 = 19.8 \text{ KNm}$$

$$\text{Max } -m = 17.6 \times 1.52 / 2 = 19.8 \text{ KNm}$$

$$K = \frac{19.8 \times 10^6}{10.87 \times 410 \times 0.95 \times 262} = 223 \text{ mm}^2$$

Provide 3Y12 top & Bottom (336mm²)

Shear

90

$$V = 59, v = \frac{59 \times 10^3}{230 \times 262} = 0.98 \text{ N/mm}^2$$

$$100 A_b / b d = 100 \times 3391230 \times 262 = 0.56$$

$$V_c = 0.60 \text{ N/mm}^2$$

$$0.5 V_c = 0.60 \text{ N/mm}^2$$

$$0.5 V_c < V < 0.5 V_c$$

$$A_{sv} = 0.4 \times 230 = 0.56$$

$$S_v = 0.87 \times 250$$

An change Wall

For

$$\dots \dots \dots \text{ amount } T = 17.6 \times 0.23$$

$$= 18.22 \text{ KNm}$$

$$3B - 19 I = 3.000, 250 \times 300$$

Table 8.35

37.92

RB

loads

$$\text{from slab } 35 - 29: 11.81 \times 6/2 = 35.43 \text{ KN/m}$$

91

$$\text{self of beam: } 0.25 \times 0.3 \times 24 \times 1.4 = 2.52$$

$$\dots \dots \dots K = \dots$$

$$R_A = \frac{1}{2} \times 37.92 \times 3 - 18.96 = 37.92 \text{ KN}$$

Position of Bm Max

$$18.96 = \frac{1}{2} \times v \times 37.92 \dots \quad v = 0$$

$$v = 1.73 \text{ m}$$

$$BM_{max} = 18.96 \times 1.73 - \frac{1}{2} \times v \times 37.92 \times \frac{1}{3} \times v$$

$$= 32.80 - 1.73 \times 12.46$$

$$= 21.90 \text{ KNm} \quad v = 22 \text{ KNm}$$

$$K = \frac{22 \times 10^6}{0.87 \times 410 \times 0.95 \times 262} = 0.04 < 0.156 = 238 \text{ mm}^2$$

Provided 2Y16 (402 mm²) Bottom

Provided 20% x 150 x 360 = 90 provide 2Y10 top

Shear

$$V = 33.84 \text{ KN} \quad V = \frac{33.84 \times 10^3}{150 \times 262} = 1.37 \text{ N/mm}^2$$

$$\frac{100 A_b}{B_d} = \frac{100 \times 402}{150 \times 262} = 1.02$$

$$B \sim \text{interpolation } V_c = 0.69 \text{ N/mm}^2$$

$$V_c + 0.4 \frac{S_v}{s} \quad O \sim$$

$$A_{sv} = 150(1.37 - 0.69) = 0.469$$

$$\frac{T_v}{0.87 \times 250}$$

Provided R8 @ 220 C/c

$$8.15 \text{ beam } 3B - IIe \quad i' = 1.575, 250 \times 300 \text{ mm}^2$$

$$F = 33.84 \text{ KN}$$

$$q = 21.28 \text{ KN/m}$$

$$1.575$$

Loads:

$$\text{From slab: } 35 - 3d = 11.81 \times 0.26 = 3.07 \text{ KN/m}$$

$$R/C \text{ wall} + \text{self wt: } \dots = 18.21 \text{ "}$$

$$q = 21.28 \text{ KN/m}$$

$$F = \text{load from beam } 3b - IIId = 33.84$$

$$\text{Moment at the support (M support)} = 33.84 \times \frac{1.58^2}{2}$$

$$= 7 \times 75 \text{ KNm}$$

$$K = \frac{75 \times 10^6}{250 \times 262 \times 30} = 0.146 < 0.156$$

$$A_s \quad 7 = 0.80d$$

$$A_s = 75 \times 10^6$$

$$92$$

$$1003 \text{ mm}^2$$

Provided

2y20+2Y16

(Top)

2Y10

(b...)

Proved 2Y20+2Y16 (1030mm²) top
 Bottom = 20 % (250x300) = 150mm²
 Proved 2y10(157m) bottom

Shear

$$V = 2 \times 33.8 + 21.28 \times 1.5 = 66 \text{KN}$$

$$V = \frac{66 \times 10^3}{250 \times 262} = 1.0 \text{KN/mm}^2$$

$$100A_s = 100 \times 1030 = 1.37$$

$$B_d = 250 \times 300$$

$$V_c = 0.80 \text{ N/mm}^2$$

$$0.5 V_c < v < 0.7/cu$$

$$A_{sv} = 0.4 \times 250$$

$$S_v = 0.87 \times 250$$

$$= 0.460$$

Proved R8@200 C/c

beam 3B - 11a (= 3.35m)

$$18.60 \text{KN} \sim F = 33.8$$

$$18.21 \text{KN/m}$$

$$3.36 \text{m}$$

Loads

$$\text{From slab } 35 - 3a: 11.81 \times 3.15 = 18.60 \text{KN/m} - ql$$

$$\text{Selfwt} + \text{RC wall} = 18.21 \text{KN/m} - ql$$

$$F = \text{reach of beam } 36 - 11d = 33.84 \text{KN}$$

$$R_b = 18.2 \times 3.36 \times \frac{1}{2} + 33.8 \times \frac{3.36}{2} + 1123.36 \times 18.6$$

$$102.7 + 56.7 + 56.78 + 70/3.36$$

$$= 68.30 \text{KN}$$

$$R_A = 33.8 + 18.21 \times 3.36 + 12 \times 18.6 \times 3.36 - 68.30$$

$$= 57.93 \text{KN}$$

Position Max

$$R_B - 18.21 v - 18.60 v \times \frac{1}{2} \times 3.36 = 0$$

$$3.36$$

$$68.30 - 18.21 u - 2.77 v^2$$

$$V_2 + 6.57 v - 24.6$$

$$R - 6.57 + \dots - 4 \times 1 \times 24.6$$

93

$$= 6.57 + :v = 2.66 \text{m}$$

$$6.64 - 64.42 - 17.36 - 33.12 \quad 2 \quad 3.36$$

$$= 46.26 \text{KNm}$$

$$K = \frac{49.26 \times 10^6}{250 \times 262} < Z_{x30} = 0.10 < 0.156$$

$$Z_{\text{req}} = \frac{49.26 \times 10^6}{0.88d} = 600 \text{mm}^2$$

Provide
2Y10

Provide 4Y16 (802mm²) Bottom

Hanger 0.2 % (250 x 300)

Shear

$$V = 68.30 \quad V = \frac{68.30 \times 10^3}{230 \times 262} = 1.13 \text{ N/mm}^2$$

$$100 A_s = 100 \times 804 \quad 1.33$$

$$B_d = 230 \times 262$$

$$V_c = 0.78 \text{ N/mm}^2$$

$$0.5V_c < 0.4x \quad v_c < \sim$$

Links
R8@22C/c

$$= 0.4 \times 230 = 0.4230$$

$$S_v = 0.87 \times 250$$

Prove R 8 @ 220 c/c

$$: 25 - 4 : 11.81 \times 1.512$$

$$11.93$$

$$= 2.50$$

Weight of self 9 wall 1:1 .

$$RA = RB = 219.71 \times 3 \times .5 R/2 = 52 \text{ KN}$$

$$M_{max} = 29.71 \times 6.52 \quad t$$

$$= 29.71$$

$$= 54 \text{ KN/m}$$

$$K = 45.5 \times 10^6$$

$$= 0.08$$

$$30 \times 230 \times 2622$$

$$Z = a.90d = 236$$

$$A_s = 45 \times 10^6 = 541 \text{ mrrr}'$$

$$0.87 \times 236 \times 410$$

Provide 3Y16 (603 mrrr') bottom ~

Shear

V = 54 KN - provide same stirrups 1B-9 (R 8 @ 200 C/c

SOO

350

2S00

--I-- IB.18

Loading from slab IS - 31 - $11.8 \times 0.52/2 = 3.07$
 Selfwt: $0.3 \times 0.3 \times 24 \times 1.4 = 3.02$
 $Q = 15.67 \text{ KN/m}$

$q_2 = 3.07 + 3.02 \times 1.575 + 11.2 \times 9.58 = 15.67 \text{ KN/m}$

03

$3.07 + 15.89 + 15.05 = 18.31 \text{ KN/m}$

Em=0

$3R = y; 18.31 \times 1.5(2 + 1) + 16.67 \times 3.211$

R1 = 38.7KN

$M = 38.7 \times 1.5 - 18.31 \times 1.5 \times 2/3 (1.5) - 16.67 \times 1.5 \times 1.2$

$58.05 - 27.47 - 18.75 = 11.83 \text{ KN/m}$

Provide 3Y12 (339mm²) hanger = 0.2x300x300

Shear - R - 8 @ 250 C/c provide 2Y10 top

Beam IB - 19

L = 2.8m 230 x 230

The same on beam 3B - 19 1.3Y 12 both Stirrups R 8 @ 220 C/c

'''

8.18

3B - 9 1 = 9 L = 3.5m, 230x,300mm

1 3.5m

i

DESIGN OF MACHINE FROM PLATFORM
503.70



Loading

From slab: $0.15 \times 24 \times 1.4 = 5.04$

Improve load: $= 5.0 \times 1.6 = 8.00$ "

$q_s = 13.04 \text{ kN/m}^2$

Reinforcement: $d = 150 - 20 - 5 = 152 \text{ mm}$

$M_{max} = 0.125 \times 13.04 \times 2.33^2 = 8.85 \text{ kNm}$

$M/feub1 = 8.85 \times 10^6 / (30 \times 1000 \times 255^2) = 0.02$

$Z = 0.95d = 119$

$A_s = 8.5 \times 10^6 / (0.87 \times 410 \times 119)$

provide

Distribution bar $= 0.13 \times 100 \times 150 / 100 = 195 \text{ mm}^2$
provide $Y8@250 \text{ clc}$

Bottom

provide
 $Y8@250 \text{ clc}$
Bottom

At the supports

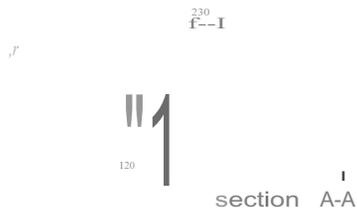
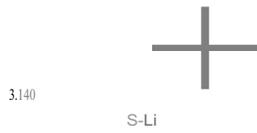
Provide 50% (252) = 126 mm²

Provide $Y8@250 \text{ c/e}$

Deflection:

$F_s = 5/8 \times 410 (208/252) = 212 \text{ m.f} = 0.55 + (4777 - 212) / (120(0.9 + 0.57)) : S2$

The slab thickness is O.k.



LOADING

120mm slab; $0.12 \times 24 \times 1.4 = 4.03 \text{ kN/m}^2$

Cement Screed

Bitumen $= 2.88 \text{ kN/m}^2$

Conc. Plaster

Live load for roof= $0.75 \times 1.6 = 1.20 \text{ kN/m}^2$

(without access) 8.11 kN/m^2

$a_{my} = 0.070$ fixed edges

$a_{mx} = 0.022$ Span

$a_{my} \sim 0.032$ Span

Span Moments

$$m_x = 0.022 * 8.11 * 3.142 = 3.10 \text{ kN/m}$$

$$m_y = 0.032 * 8.11 * 3.142 = 4.50 \text{ kN/m}$$

$$d = 120 - 20 - 4 = 96 \text{ mm}$$

Longitudinal bending

$$k = \frac{(3.10 * 10^6)}{(30 * 1000 * 96^2)} = 0.01$$

$$z = 0.954 * 96 = 91.2$$

$$A_s = \frac{(3.10 * 10^6)}{(0.87 * 410 * 91.2)} = 95.3 \text{ mm}^2$$

$$A_{s \text{ min}} = (0.13 * 120 * 1000) / 1100 = 156 \text{ mm}^2$$

Y10@300c/c both ways

$$\text{Max spacing} = 3d = 3 * 96 = 288 \text{ mm}$$

Hence, provide Y10@250e/c (314mm²)

Traverse bending

$$d = 97 - 10 = 86 \text{ mm}$$

$$k = \frac{(4.50 * 10^6)}{(30 * 1000 * 86^2)} = 0.02$$

$$z = 0.95d = 81.7$$

$$A_s = \frac{(4.50 * 10^6)}{(0.87 * 410 * 81.7)} = 154 \text{ mm}^2/\text{m} < 156 \text{ mm}^2/\text{m}$$

Provide Y10 @250 c/c

At Support

$$M_{my} = 0.070 * 8.11 * 3.142 = 6.0 \text{ kNm/m}$$

$$A_s = \frac{(6.0 * 10^6)}{(0.87 * 410 * 86)} = 196 \text{ mm}^2(\text{Top})$$

Provide Y10 @250 cle (262mm²)

Deflection

$$m/(bd^2) = (3.10 \cdot 10^6) / (1000 \cdot 96^2) = 0.34$$

$$m_f = 1.68$$

$$\text{Limiting; span/effective depth} = 26 \cdot 1.68 = 43.7$$

$$\text{Actual; span/effective depth} = 3140 / 96 = 32.7$$

Therefore $43.7 > 32.7$

The thickness (120mm) is okay

10.18 TANK BEAM

L-B3 (230x450mm)

$$\text{Tank size} = 3.66 \cdot 2.44 \cdot 1.22 \text{ rh}$$

$$\text{Empty ofbraith wate tank} = 1.626 \text{ kg}$$

$$\text{Density of water} = 1000 \cdot 9.81 = 9.81 \text{ kN/m}^3$$

LOADING

$$\text{Live load from water: } \{(3.66 \cdot 2.44 \cdot 1.22 \cdot 9.81) / (3.66 \cdot 2.44)\} \cdot 1.6 = 19.2 \text{ kN/m}^2$$

$$\text{Live load from tank: } \{(1.626 \cdot 9.81) / (3.66 \cdot 2.44)\} \cdot 1.6 = 2.86 \text{ kN/m}^2$$

$$\text{Self weight of beam: } 0.23 \cdot 0.33 \cdot 24 \cdot 1.4 = 2.55 \text{ kNm}^2$$

$$\text{Load from slab: } 8.11 \cdot 1/4 = 2.03 \text{ kN/m}^2$$

$$q = 36.45 \text{ kN/m}^2$$

$$q_l = 36.45 \cdot 3.14 = 114.45 \text{ kN/m}$$

$$M = (114.45 * 3.14) / 8 = 141.06 \text{ kNm}$$

$$D = 450 - 20 - 8 - 8 = 414 \text{ mm}$$

$$R_A = R_s = (141.06 * 3.14) / 2 = 179.7 \text{ kN}$$

$$k = (141.06 * 10^6) / (30 * 230 * 414^2) = 0.12 < 0.156$$

$$z = 0.76d = 317$$

$$A_s = (141.06 * 10^6) / (0.87 * 410 * 317) = 1248 \text{ mm}^2$$

Provide 4Y20 (1260 mm²) Bottom

For top bars, provide 2.0% 1260 = 250 mm² > 0.13bh/100

Provide 3Y12 (339 mm²) Top

SHEAR

$$V = 180 \text{ kN}$$

$$v = 180 * 10^3 / (230 * 414) = 1.89 \text{ N/mm}^2$$

$$100A_s = 100 * 1260 = 1.32$$

$$bd = 230 * 414$$

By interpolation $v_c = 0.73 \text{ N/mm}^2$

$$A_{sv} = b (v - v_c) = 230 (1.89 - 0.73) = 1.228$$

$$0.87 f_{yv} = 0.87 * 250$$

A_{sv} = R8@180 c/e double links

DTI

LOADING

Slab load: Item 10.17 = 8.11 kN/m^2

Span reinforcement

$$M = 8.11 * 2.330^2 / 8 = 5.50 \text{ kNm}$$

$$A_s = (5.50 * 10^6) / (0.87 * 410 * 96 * 0.95) = 169 \text{ mm}^2$$

Provide Y10@250 e/c (314mm²) Bottom

$$\text{Distribution} = (0.13 * 1000 * 120) / 1100 = 156 \text{ mm}^2$$

Provide Y8@300 c/e (168mm²) Bottom

At the Support

$$\text{Provide } 50\% (314 \text{ mm}^2) = 157 \text{ mm}^2$$

Provide Y10@250 c/e Top

Design Of Slab S- I,

$$M = 5.50 * 3.012^2 / 3 = 7.08 \text{ kNm}$$

Provide same reinforcement as in S-h

Provide Y10 @250 c/e (314mm²) Bottom -main bar

Distribution- Provide Y8@30,0c/e (168mm²) Bottom

!

Deflection:

$$f_s = (5/8)f_y(A_{sreqd}/A_{sprov})$$

$$f_s = (5/8)*410*(280/314) = 229\text{N/mm}^2$$

$$M.f = 0.55 + (477 - f_s)/120(0.9 + M/db_2) \leq 2.0$$

$$= 0.55 + (477 - 229)/120(0.9 + 5.70) = 1.41 < 2.0$$

$$\text{Basic Span/effective depth ratio} = 1.41*26 = 21.10$$

$$\text{Actual Span/effective depth ratio} = 3000/96 = 31.25 < 36.6$$

Deflection is satisfied

DESIGN OF COLUMN R-C1

Column R - C1 = 225x 630mm

LOADS

From beams L-b3 (item 10.18) = 179.7kN

From beams L-b3 (item 11.14) = 54.1kN

Self weight col: $0.225*0.63*2.3*24*1.4 = 11.0\text{kN}$

$$N = 244.8\text{kN}$$

$$= 0.02*245 = 4.9\text{kNm}$$

$$L_e.zb = (0.75*2300)/230 = 7.5 < 15$$

$$L_e.yh = (0.75*2300)/630 = 2.7 < 15$$

The column is short column

$$N/bh = (245*10^3)/(230*630) = 1.69$$

$$M/bh^2 = (4.9*10^6)/(230*630^2) = 0.05$$

Provide minimum reinforcement

Q

$$A_{sc} = (0.4 \cdot bh) / 100 = (0.4 \cdot 225 \cdot 630) / 100 = 567 \text{ mm}^2$$

Provide 6Y12 (679 mm²)

DESIGN OF COLUMN R-C3,

Column R - C1 = 225x 225mm

LOADS

$$\text{From (item 11.14) } RA = R_s = (54.113.495) \cdot 3.637 = 56.3 \text{ kN}$$

$$\text{From (item 11.14) } RA = R_s = (54.1/3.495) \cdot 3.637 = 56.3 \text{ kN}$$

$$\text{Self weight col: } 0.225 \cdot 0.225 \cdot 2.3 \cdot 24 \cdot 1.4 = 3.9 \text{ kN}$$

$$N = 116.5 \text{ kN}$$

$$M = 0.02 \cdot 245 = 4.9 \text{ kNm}$$

$$L_e \cdot z_b = L_e y / h = (0.75 \cdot 3200) / 225 = 7.7 < 15$$

Design as short column

$$M / bh^2 = (117 \cdot 0.02 \cdot 10^6) / (225 \cdot 225^2) = 0.21$$

Provide minimum reinforcement

$$A_{sc} = (0.4 \cdot bh) / 100 = (0.4 \cdot 225 \cdot 225) / 100 = 203 \text{ mm}^2$$

Provide 4Y10 (314 mm²)

Q

11.0 c/c COLUMNS

11.1 Cols. *E,H14,11* C-1 (600 x 600)

From beam:	RB -1	item 3.7	276kN	
450 x 450mm	RB - 3	item 10.2	97KN	{Roof Beam}
	RB - 5	item 10.3	134kN	
	RB - 10	item 4.10	49KN	
From beam:	3B - 1	item 4.1	276kN	"
450 x 450mm	3B - 3	item 4.3	161KN	{3rd floor}
	3B - 5	item 4.5	143kN	
	3B - 10	item 4.10	49kN	
From beam:	2B - 1	item 4.1	276kN	
600 x 600mm	2B - 3	item 4.3	161KN	{2rd floor}
	2B - 5	item 4.5	143kN	~
	2B - 10	item 4.10	49kN	
From beam:	B-1	item 4.1	276kN	
600 x 600mm	B-3	item 4.3	161KN	{1st floor}
	B - 5	item 4.5	143kN	
	B - 10	item 4.10	49kN	
From beam:	GB - 1	item 3.6	270kN	
600 x 600mm	GB - 2	item 3.7	276KN	{Grd floor}
	GB - 5	item 3.11	147kN	
	GB -7	item 3.13	237kN	

11.14 DESIGN OF BEAM (Lb-1 & Lb-2)

Size = 230x300mm

$d = 300 - 20 - 8 - 8 = 264\text{mm}$

LOADING

From slab: $8.11 \times 2.330 = 18.90\text{kN/m}$

Selfweight of Beam: $0.23 \times 0.18 \times 24 \times 1.4 = 1.39\text{kN/m}$

$q = 20.3\text{kN/m}$

$$R_f \quad \frac{qL^2}{8} \quad T_{R_B}$$

$$M_{\max} = (20.3 \times 3.495^2) / 8 = 31\text{kNm}$$

$$R_A = R_B = 20.3 \times 3.495 \times 0.5 = 54.1\text{kNm}$$

$$k = (31 \times 10^6) / (30 \times 230 \times 264^2) = 0.06$$

$$z = 0.93d = 245$$

$$A_s = (31 \times 10^6) / (0.87 \times 410 \times 245) = 355\text{mm}^2$$

Provide 2Y16 (402mm²) Bottom

$$\text{For top bars provide } (0.13bh) / 100 = 90\text{mm}^2$$

$$20\% (402) = 80\text{mm}^2 < (0.13bh) / 100 = 90\text{mm}^2$$

Hence, provide 2Y10 Top (157mm²)

$$\text{At the Support, } (31 \times 8) / 12 = 20.7\text{kNm}$$

SHEAR

$$V = 54 \text{ kN}$$

$$v = (54 \times 10^3) / (230 \times 264) = 0.89 \text{ N/mm}^2$$

$$100A_s = 100 \times 402 = 0.66$$

$$bd = 230 \times 264$$

$$\text{By interpolation } v_c = 0.68 \text{ N/mm}^2$$

$$A_{sv} = b (v - v_c) = 230 \times 0.4 = 0.423$$

$$0.87 f_{yv} = 0.87 \times 250$$

$$A_{sv} = R8@230 \text{ c/c}$$

At the Support

$$A_s = (402/31) \times 20.7 = 268 \text{ mm}^2$$

Provide 3Y12 (339 mm²)

Deflection:

$$M/db^2 = (31 \times 10^6) / (230 \times 264^2) = 1.93$$

$$f_s = (5/9) f_y (A_{s \text{ reqd}} / A_{s \text{ prov}})$$

$$f_s = (5/9) \times 410 \times (355/402) = 201 \text{ N/mm}^2$$

$$M.f = 0.55 + (477 - f_s) / 120 (0.9 + M/db^2) \leq 2.0$$

$$= 0.55 + (477 - 201) / 120 (0.9 + 1.93) = 0.81 < 2.0$$

$$\text{Basic Span/effective depth ratio} = 0.81 \times 26 = 21.10$$

$$\text{Actual Span/effective depth ratio} = 3000/264 = 11.4 < 21.1$$

Deflection is satisfied



Self weight of column:

Roof	$2.85 \times 24 \times 0.45 \times 0.45 \times 1.4$
	Ditto'
	Ditto
	Ditto
Grd	$3.30 \times 24 \times 0.6 \times 0.6 \times 1.4$
Basement	$4.2 \times 24 \times 0.6 \times 0.6 \times 1.4$

At the Top (4th floor)

$$\begin{aligned}\text{Total load v} &= 558 + \text{self weight.} \\ &= 556 + 19.39 = 575.1 \text{ kN}\end{aligned}$$

Self weights of columns

(a) Roof - 3rd floor, $ht = 3.15 - 0.6 = 2.55 \text{ m}$

Self weight $= 2.55 \times 0.45 \times 0.45 \times 24 \times 1.4 = 17.40 \text{ kN}$

(b) 3rd floor - 2nd floor $= 2.55 \times 0.6 \times 0.6 \times 24 \times 1.4 = 30.8 \text{ kN}$

(c) 2nd floor = 1st floor $= 2.55 \times 0.6 \times 0.6 \times 24 \times 1.4 = 30.8 \text{ kN}$

(d) 1st - Grd floor $ht = 3.6 - 0.6 = 3.0 \text{ m}$

Self weight $= 3 \times 0.6 \times 0.6 \times 24 \times 1.4 = 36.3 \text{ kN}$

(e) Grd Basement: $ht = 4.15 - 0.6 = 3.55$

Self weight $= 3.55 \times 0.6 \times 0.6 \times 24 \times 1.4 = 35.5 \text{ kN}$

Design of Column C1

(1) At the basement.

$$l_0 = 4.15 - 0.6 = 3.55 \text{ m}$$

Effective length $l_e = l_0$

$$N_{\max} = 556 + 3(629) + 930 + 17.4 + 2(30.8) + 36.3 + 43$$

$$= 556 + 1887 + 61.6 + 1009.3 \sim 3452.3 \text{ kN,}$$

C-1,4 Nos,

C-2b

2 Nos,

Floor	N kN	M KVM	N bh	M Bh ₂	100ASe Bh	ASc rnm'	
Roof	556						
<i>u/s</i>	17.4		1.6	0.053	Min=0.4	%	⁴⁵⁰ 4S0D]
3rd Floor	57.4	11.5					6716 (1210mm ²)
<i>u/s</i>	629						
2nd Floor	30.8						
<i>tis</i>	1233.2	25.0	3.4	0.16	0.4	11440m	8y16
<i>u/s</i>	629						GOOidI
1 st floor	30.8						
<i>tis</i>	1873	36.0	5.3	0.18	04	1140m	⁶⁰⁰ 8y16
<i>u/s'</i>	629						
Grd/floor	36.3						8716
	2556.3	51.0	7.1	0.24	04	1440mm	
	930						
Basement	43	71.0	9.8	0.33	04	1440mm	8716 (1610M ₂)
found	3531.3						

$$ABC = \frac{BH \times 0.4}{100} = \frac{600 \times 600 \times 0.4}{100}$$

$$ABC2 = \frac{450 \times 450 \times 04}{100} \quad \begin{matrix} 240mm^2 \\ 1440m^2 \end{matrix}$$

LINKS =

Min Size $\frac{X0 = .1 \times 16 = 1.6mm}{4}$ A Rupt R8-

Max sputing = 12 x Omin
 = 12 x 16 = 192mm²

Provide R8 @ 17Syc

~ 11.2 C- 3, E3a

Cys E, H/I, 13; 5/18,0/21, y/24, v/27

From beam: Rs- 5 item	10.3	134.4kn	
Rs- 5 Ditto		134.4kn	Roof
Rs- 5 Ditto		134.4kn	
		403.2kn	

Self Wright: $0.45_2 \times 24 \times 1.4 \times (3.15-0.03) = 19.4kn$

From beam 3B - 5 Item	4.5	143kn	
3B - 5 "	"	143kn	3rd Floor
3B - 5 "	"	143kn	
		429kn	

Self Not $0.602 \times 24 \times 1.4 (3.15-0.3) = 345kn$

From beam 2B - 5			
2B - 5 Ditto		= 429kn	2nd Floor
2B-5			

Self not: $0.6_2 \times 24 \times 1.4 \times 2.85 = 34.5kn$

From beam B- 5			
B- 5 Ditto		= 429kn	1st Floor
B-5			

Self Not - $0.6_2 \times 24 \times 1.4 \times 3.3 = 40kN$

From beam GB- 6 Item		285kn	
GB-7Item		237kn	Ground Floor
		522kn	

Self not = $0.6_2 \times 24 \times 1.4 \times (4.15-0.3) = 47kn$

(Basement)

At the basement

$$10 - 4.15 - 0.3 = 3.85\text{m}$$

$$N_{\max} = 40.3 \cdot 2 + (429 \cdot x + 3) + 10.4 + 34.5 + 2 + 522 + 40 + 47 = 2388\text{kn}$$

Floor	N kN	M KVM ExN	N bh	M Bh ²	100Abc Bh	ABC mm ²
Roof u/s	403.2					
3 rd Floor u/s	+19.4 422.6 429.0	8.5	2.1	0.039	Min	810 6716
2 nd Floor t/s' u/s	34.5 886.1 429.0	17.7	2.5	0.082	0.4	144'0
1 st floor t/s u/s	34.5 1349.6	27	3.8	0.13		1440 8716
Grd/floor tiS u/s	40.00 1818.6 522	36.4	5.1	0.17		1440
Fdn	47 <u>2388</u>	47.8	6.6	0.22		1440

11.3 col. F/M G/16/ F/29, G/II
1273

(-5

From beams:	Rb-2	Item 230	
	Rb-9	Item	Roof
	Rb-19	9.13	
Self net	=	$\frac{1}{2} 0.92 \times 24 \times 1.4 \times 2.85$	= 39kN
From beam	38-9	52kN	
	38-19	38kN	3 RD floor
	38 - 2	320	
Self not		39kN	
From beam	3-2	320kN	
	28-9		2 nd floor
	28-19		
Self not		39kN	
From beam	28-2		
	28-9	320	1 ST Floor
	28-19		
Selfweight	$\frac{1}{2} 0.92 \times 24 \times 3.3 \times 1.4$		45kN
	G8- 3	Item 3.0	238kN
	G8-9	Item 3.9	121kN
Self not:	$\frac{1}{2} 0.92 \times 24 \times 1.4 \times (4.15-0.3)$		= 53kN
M = Nemin	d = 900 - 40-8 -10		
	h	900	

Floor	N kN	M KVM ExN	N bh	M Bh ₂	100Abc Bh	ABC rnm'
Roof u/s	293				0.4	Area = 3240
3 rd Floor iii u/s	39 332 320	13.0	0.8	0.02	Provide min reft	Provide 10720 (3140mm ²)
2 nd Floor tis u/s	39 691 293	20	1.2	0.03		1273 900
1 st floor tis' u/s	39 1023 320					
Grd/floor tis u/s	45 1380 359					
Fdn	53 1000	36	2.2	0.05		

Links

Min size = $X 6 = X 20 = 50\text{mm}$

Max-sputing = $120 = 12 \times 20 = 240$

Provide R8@200. If

Same fl

Floor	N kN	M KVM NXO.02	N bh	M Bh ₂	100Abc Bh	ABC mm'
Roof u/s	275	5.5	1.4	0.06		0.4 X 810 ₂ /100 6716 (1210mm)
3 rd Floor ill. u/s	194 294.4 275.0	5.9	1.5	0.06	MIN = 0.4 X 450/100 = 810	=810
2 nd Floor tis u/s	19.4 589 275	11.8	2.9	0.13		41>0 D 450
1 st floor t/s' u/s	19.4 883 275 23	17.7	4.4	0.19		
Grd/floor tis u/s	23 1181 278	23.6	5.8	0.26		
Fdn	26.2 1485	29.7	7.3	9.33		

Links

Min size = 4mm

Max spacing = 120 = 12, x 16 = 192

Provide R8 @ 175

11.15 DESIGN OF SLAB S-L3

R'(2)

t_u

3000mm

LOADING

From slab item 10.17 - 8.11 kN/m^2

Span Reinforcement

$$M = 8.11 \times 3^2 / 8 = 9.12 \text{ kNm}$$

$$z = 0.95d = 91.2$$

$$A_s = (9.12 \times 10^6) / (0.87 \times 410 \times 91.2) = 280 \text{ mm}^2$$

Provide Y10@250c/c (314mm²)

$$\text{Distribution} = (0.13 \times 1000 \times 120) / 100 = 156 \text{ mm}^2$$

Provide Y8@250 c/c (201mm²) Bottom

At the Support provide 50% (314mm²)

Provide Y10@250c/c (314mm²)

11.5 provide same ret for colour on
 GL F, G/ 3, 12- C- 6a
 FG/l, 14- C- 6c
 15/m, P, R, S
 L/16, 19, 20, 21,

11/24, 25, 26, 29 M/22, T/16 C-6
 30/V, W, V, V, I U/29, 1/23.
 AKL/6,9
 T/15, L/22, 11/23, K/30 C-6b

Col. N/15, L/17, 2/28 Z/30 - 450 X 1430 C-7

From beam: RB- 8 item 4.8 90kN
 Rb- 2c item 9.3 56.4kN Roof
 RB-2c 56.4kN
 202.8kN

Self net: 0.45 X 1.43 X 24 X 8.5 X 1.4 = 61.6kN

3B- 8 item 4.8 90kN
 3B 2c item 3.23 53.7kN 3rd Floor
 143.8kN

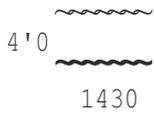
2B-8 }
 B2-2C } nd Floor

Self net f
 B-8 1st Floor
 S-2C

Self Net 61.6kN L
 Gb- 12 142.4kN

Self net - 0.45 X 1.43 X 24 X 3.3 X 1.4 = 71.~roU~d floor

Foundah - 71.4 x 3.83 = 82.8kN
 3.3

Floor	N kN	M KVM NXO.02	N bh	M Bh2	100Abc Bh	ABC mm"	
Roof u/s	202.8				Provide min ret = 04	Age = 0-4 x 1430 x 450 = 257	Provide 14y16 (2814m2)
3rd Floor s/s u/s	<u>61.6</u> 264.4 143.8						
2nd Floor tis u/s	61.6 469.8 143.8						
i'' floor tis' u/s	<u>61.6</u> 675.2 143.8						
Grd/floor tis u/s	71.9 890.4 142.4		17.8	1.38	0.05		
Fdn	<u>82.8</u> 1115.6KN	22.3	1.73	0.08			

$$Ley = 0.9 \times 3.2 \times 10^3 = 2 < 15$$

1430

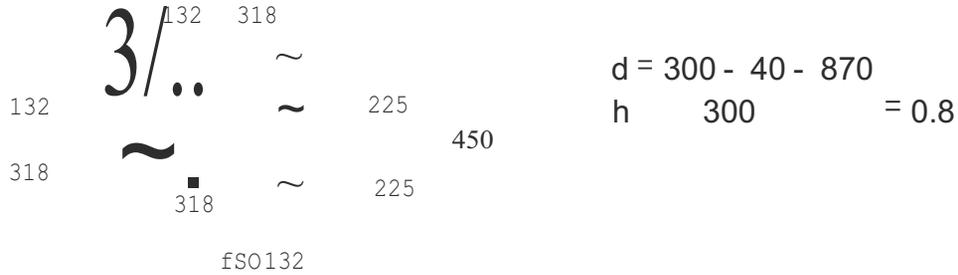
$$Leu = 0.9 \times 3.2 \times 10^3 = 6.4 < 15$$

450

Short column

Max spacing 120
= 12 x 25 = 300

11.6 Columns A, K/4, 11 C-8



Substituted section: $h = 450 + 318 + 132 = 300$
 $b = 450$

from beam:

RB- 1 item 3.7	276kN	
RB- 5 item 10.3	134.4kN 47.2kN	Roof
45 - 2f item 3.23		
45-2d	53.8kN	
	511.4kN	

Self net 06 beam $0.3 \times 45 \times 24 \times 1.4 \times 2.85 = 12.92\text{kN}$

A;	3B- 1 item 3.7	2766kN	
	3B- 5 item 4.5	143kN	
	35 - 2f	47.2	3 RD Floor
	35-2d	53.8	
		520kN	
	2 nd	520kN	
	Selfnet	12.92kN	2 nd floor
	1 st floor	520kN	} — 1 ST floor
	Selfnet	12.92kN	
	From beam GB-	335kN	
	Self net	12.92×3.3	
		3.85'	
~	Basementfundat self net	$15 \times 3.85 = 17.5\text{kN}$	
		3.3	

Floor	N kN	M KVM NXO.02	N bh	M Bh ₂	100Abc Bh	ABC mm ²	
Roof u/s	511.4						
3 rd Floor u/s	12.9 524.3 520.0	10.5 21.1	3.9 7.8	0.36 0.5	0.4 0.4	0.4X300X450 100 =540	Provide 5y12 566
2 nd Floor u/s	12.9 1057.2 520.0	31.8	11.8	1.0	0.4	540	Provide 6y20 (1800)
1 st floor u/s	12.9 1590.1 520.0	42.2	15.6	1.0	1.2	0012 X300X450 1620	Provide 7y25 (1890)
Grd/floor u/s	15.0 2125.1 335.0	50.0	18.4	1.2	2.4	0.012 X300 X 450=2340	Provide 7y25 (3440)
Fdn	17.5 2377.6	50.0	18.4	2.4	2.4	0.024X300X450 32400	

Max 120 =

Links

Provide R8@250

Leu = $\frac{3200}{300} = 10.7 < 15$

short Column

Ley = $\frac{3200}{450} = 7.1 < 15$

H 450

11.7 Column A, K/5, 10 C-9 230 X 450mm

From beam RB- 13 item 10.9
45- 2F item 3.23

Proof

Self net: $0.23 \times 0.45 \times 24 \times 85 \times 1.4 = 9.9\text{kN}$
From beam 3B- 13 item 8-y 79.50
3b-2f 47.20
126.70kN

Self net 9.90kN

From beam 2B - 13 item 4.13 50.09 2nd Floor
2B- 2f items 3.23 47.20

Self net 9.90kN

AB-13 1st Floor
AS-2F

ground floor

Fdn: self net: $11.5'0 \times 3.85 = 12.5\text{kN}$
3.3

Max N = 472kN

Floor	N kN	M KVM NXO.02	N bh	M Bh ²	100Abc Bh	ABC Mm ²	
Fdn	472	9.4	4.6	0.2	Min 0.4	0.4x450x230= 414mm ²	Provide 4y16 (80mm ²)

Column C- 10 450 x 600mm

In comparison to the above provided

ALC_{MIN} = 0.00 4 x 450 x 600

= 1080mm²

Provide 6y716 (1206)

Links R8 @ 200yc

11.8 Columns E, H/6,,9 C- i3
 450 X 600 mm, h=450
 b-600

Fro'mbeams RB-12 Item 10-7
 RB- 18 item 10.11

....

Self net: 0.45 x 1.2 x 2.85 x 24 x 1.4 =

3B- 12 item B15 370kN 3rd floor

2B-12 item 4.12 246kN 2 floor

B-12 item 4.12 246

Self net 26
 GB- B item 3.14b 139kN

Ground floor self net: 0.45 x 0.6 x 3.3 x 24 x 1.4 = 30 kN

Basementfdn 30 x 3.85 = 35kN
 3.3

Max N 638kN

, M = 1630 X 0.02 = 33kN

N = 1638 X 10³ 6.1
 bh 450 X 600

M = 33 X 10⁶
 bh² 6000 x 450² = 0.3

but min asi = 0.4

rF = 0.4bh = 0.004 x 600 x 450
 100 = 1080mm²

Provide 6y16 (1210mm²)

Links:

R8@2000/C



11.9 Colum i/6, 9 C- ,11
450 X 1200

From beam AB- 3 item 10.2 97kN Roof
RB- 12 item 10.8 84kN

Self: 0.45 x 1.2 x 24 x 2.85 x 1.4 52kN

3B- 3 item A.3 161kN
3B- 12 item 8.5 93.4kN 3RD floor
3B-17 item 4.7

2B- 3 item 4.3 161kN
2b -12 item 4.12 115kN
2b -17 item 4.7

Self net

B-3 item 4.3 161kN
B-12 item 4.12 115kN 1st floor
B-17 item 4.7 190.2

Self net 52kN

GB- 4 item 3.10. 277kN
GB- 5 item 3.11 112kN
GB- 8b item 3.146 139kN

Self net 0.45 x 1.2 x 3.33x 24x1.4 60kN

Basementfdn 60 x,3.85 = 70kN
3.3

MAX N = 2372kN

$N =$

$$Bh M = 2372 \times 0.02 = 47.4 \text{ kN}$$

N

$$Bh = \frac{2372 \times 10^3}{1200 \times 450}$$

$$M = 47 - 4 \times 10^6 = 0.2$$

$$bh^2 = 1200 \times 450 = 0.2$$

$$\begin{aligned} \text{hence provide min reft} &= 0.004bh \\ &= 0.004 \times 1200 \times 450 \\ &= 2160 \text{ mm}^2 \end{aligned}$$

/-Provide 8yzo

Links

Provide R8 @200 c/o

Column 1/6,9450 x 800

~ C-12

Treat as C- 13

Provide 6716

Links ~8 @ 200c/c

11.10 Column J/7, 8 C-14

600 X 800mm

$h = 800$

$b = 500$

fdn grad	4.15m
grand	3.60m
1 st _ 2 nd	3.15m
2 nd _ 3 rd	3.15m
3 rd _ 4 th	3.15m
	17.75
Dot	40
	17.35m

$$Le = 0.9 \times 17.35 = 15.5 > 15$$

$h = 6$

$$Ley = 0.9 \times 17.35 = 15.5 > 15$$

$b = 0.8$

$$Me = mi + madd$$
$$< Mi + Nau$$

When

Mi = initial moment in the column

$Madd$ = moment caused by the deflect of the column

Au = deflection of the column

$$B_x = \frac{1. (l_e)^2}{200}$$

$$= \frac{1 \times (Cl.g \times 17.35)^2}{2000 \times 0.6}$$

$$= 0.339$$

$$a_u = B_x k_h \text{ value } K = 1$$

$$= 0.339 \times 1 \times 0.8 = 0.27$$

$$M_{add} = N a_u h^2$$

From beam RB- 18 Item 10.11	227kN
RB- 18a Item 10.11	114kN
	341kN

$$\text{Selfnet: } 17.35 \times 0.6 \times 0.8 \times 24 \times 1.4 = 280\text{kN}$$

$$N_{max} = 341 + 280 = 621\text{kN}$$

$$M_{add} = 621 \times 0.27$$

$$M_{add} = 168\text{kNm}$$

$$M_i = N x e_m = 621 \times 0.02 = 12.4 \text{ kNm}$$

$$M_i = 12.4 + 168 = 180\text{kNm}$$

$$N = \frac{621 \times 10^3}{B_h \times 600 \times 800} = 1.3$$

$$M = \frac{170 \times 10^6}{b h^2 \times 600 \times 800^2} = 0.47$$

$$d = \frac{800 - 40 - 8 - 10}{800} = 0.9 = 0.9$$

from the chart
provide min r_{fl}
 $0.004 b h = 0.004 \times 600 \times 800 = 1920\text{mm}^2$

"
|

Provide 8 y20 (25Y0mm2)

Links: R8 @200yc

"6
|



800

v"

ROOF FLOOR SLAB AND BEAMS

9.0 CC ROOF FLOOR RIBBED SLABS

Some parts of the roof floor serve as a roof (without access):

5cm gravel ballast	$0.5 \times 20 \times 1.4$	$= 1.4 \text{ kN/m}^2$
Cement screed to slope (max. 9cm)		$= 2.77 \text{ kN/m}^2$
4mm bituminous felt	$:(0.4)/20 \times 4 \times 1.4$	$= 0.11 \text{ kN/m}^2$

Ribbed Slab:

Slab:	0.1×24	$= 2.4 \text{ kN/m}^2$
Ribs:	$\{(0.1 \times 0.2)/0.52\} \times 24$	$= 1.11 \text{ kN/m}^2$
15mm cone. Plaster	$= 0.0015 \times 22$	$= 0.33 \text{ kN/m}^2$
Pots	$(0.077)1 \times 0.2 \times 0.52$	$= 0.74 \text{ kN/m}^2$
		$= 4.58 \text{ kN/m}^2$
	1.4×4.58	$= 6.412 \text{ kNm}^2$
Live Load:	0.75×1.6	$= 1.20 \text{ kNm}^2$
		11.89 kN/m^2

9.1 SLABS:

Rs-1, Rs-2, Rs-2a, Rs-2b, Rs-3, Rs-3a, Rs-3b, Rs-3c are just the same as Is-I, Is-2, Is-2a, Is-2b, Is-3c-----respectively

9.2 SLAB Rs-3d

Span L varies from 3.00m to 0

Reinforcement- the same as for Rs-3c.

9.3 EDGE RIBS OF SLABS 4S-2

9.3.1 Edges rib Rs-2d:- reinforcement provided as for Is-2d. i.e 4y20

9.3.2 Edge rib Rs-2c:- in comparison to Is-2d. Provide reinforcement

4Y20 bottom

Links R8 @ 230 c/c

Anchorage reinforcement against torsion

R8 @ 300c/c (as in Is-2d)

∞
u1

∞
f'1

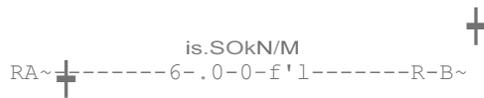
Loading

Weight of wall- $0.15 \times 1.5 \times 24 \times 1.4 = 7.56 \text{ kN/m}$

Form slab- $11.89 \times Y(1.5) = 8.92 \text{ kN/m}$

Self weight of rib- $0.23 \times 0.3 \times 1.4 \times 24 = 2.32 \text{ kN/m}$

18.8 kN/m



$R_A = 18.8 \times 6 = 56.4 \text{ kN} = R_B$

2

$BM_{\text{max}} = W_e = 18.8 \times 6 = 56.4 \text{ kN}$

8 8

$K = \frac{56.4 \times 10^6}{30 \times 230 \times 262^2} = 0.18 > 0.15$ (compression reinforcement required)

$30 \times 230 \times 262^2$

$d = 20 + 8 + 8 = 36 \text{ mm}$

9.4 RIBBED SLAB RS - 4

550

550

20

Wooden Box

$$b = 550\text{mm}, d = 400 - 20 - 8 - 10 = 362$$

LOADS

$$\text{Finished layer } 0.05 \times 20 \times 1.4 = 1.54\text{kN/m}^2$$

$$100\text{mm slab } 0.1 \times 24 \times 1.4 = 3.36\text{kN/m}^2$$

$$\text{Pots } 0.077 \times 1.4 = 0.61\text{kN/m}^2$$

$$0.55 \times 0.23$$

$$\text{Plaster } 0.015 \times 22 \times 1.4 = 0.46\text{kN/m}^2$$

$$\text{Ribs } 0.15 \times 0.30 \times 24 \times 1.4 = 2.75\text{kN/m}^2$$

$$" \quad 0.55$$

$$\text{Wooden box } = 0.1 \times 0.4 \times 4 \times 1.4 = 0.41\text{kN/m}^2$$

$$0.55$$

$$\text{Live load } 0.75 \times 1.6 = 1.20\text{kN/m}^2$$

Scm Gravel ballast, cement screed to

$$\text{Slope and 4mm bituminous felt } = 4.28\text{kN/m}^2$$

$$q = 14.61\text{kN/m}^2$$

$$q_l = 14.61 \times 0.55 = 8.04\text{kN/m}$$

$$F = 230\text{mm block work} = (3.3 + 0.53) \times 2.85 \times 1.4 \times 0.55 = 8.40\text{kN}$$

$$F_l = 7.56\text{kN/m}$$

$$A_{ls} = \frac{M - 0.156 f_c b d^2}{0.87 \times (262 - 36) \times 410} = \frac{(85 - 74) \times 10^6}{0.87 \times (262 - 36) \times 410} = 136 \text{ mm}^2$$

Provide 2Y10 (157mm²) top

$$A_s = \frac{0.156 f_c b d^2}{0.87 f_y z} + A_{ls} = \frac{74 \times 10^6}{0.87 \times 410 \times 0.775 \times 262} + 136$$

$$= 1158 \text{ mm}^2 \text{ provide 4Y20 (Bottom)}$$

SHEAR

$$V = 56.4 \text{ kN}$$

$$v = \frac{56.4 \times 10^3}{230 \times 262} = 0.94 \text{ N/mm}^2$$

$$100 \frac{A_s}{b d} = 100 \times \frac{1158}{230 \times 262} = 1.92$$

$$b d = 230 \times 262$$

By interpolation $v_c = 0.9$

$$A_{sv} = 0.4 \times 230 \times 0.87 \times 250 = 0.4230$$

S_v

Provide R8 @ 230 c/c

R8 @ 230 c/c

Anchorage into slab against torsion

$$e = 115 - 75 = 40 \text{ mm}$$

$$T = (7.56 + 2.32) \times 0.04 = 0.35 \text{ kN/m}$$

2

Provide R8 @ 300 c/c

R8 @ 300 c/c



$$8.05R_A = 5.68(8.05 + 1.4) \times 0.5 + 7.56(8.04 + 1.4)$$

$$R_A = 253.1 + 71.37 = 40.6 \text{ kN}$$

$$8.06$$

$$R_B = 7.56 + 53.62 - 40.6 = 20.6 \text{ kN}$$

$$\text{Position of BM}_{\max} = 20.6 - 5.68x = 0$$

$$x = 3.62 \text{ m}$$

$$\text{BM}_{\max} = R_B x - (5.68x^2)/2$$

$$= 20.6 \times 3.62 - (5.68 \times 3.62^2)/2$$

$$= 74.57 - 37.22 = 37.4 \text{ kNm}$$

At the cantilever,

$$M = 7.56 \times 1.4 + 5.68 \left\{ \frac{1.4^2}{2} \right\} = -16.2 \text{ kNm}$$

Positive moment

$$K = \frac{37.4 \times 10^6}{30 \times 550 \times 362^2} = 0.02$$

$$30 \times 550 \times 362^2$$

$$z = 0.95d = 344$$

$$A_s = \frac{37.4 \times 10^6}{0.87 \times 410 \times 344} = 305 \text{ mm}^2$$

$$0.87 \times 410 \times 344$$

Provide 2Y16 (402mm²) bottom

2Y16 Bottom

At support A

Negative moment

$$M = -16.2 \text{ kNm}$$

$$K = \frac{16.2 \times 10^6}{30 \times 150 \times 362^2} = 0.03$$

$$Z = 0.95d = 344$$

$$A_s = \frac{16.2 \times 10^6}{0.87 \times 410 \times 344} = 132 \text{ mm}^2$$

Provide 2Y10 (157mm²) Top

2Y10 Top

SHEAR

$$V = 40.6 \text{ kN}$$

$$v = \frac{40.6 \times 10^3}{150 \times 362} = 0.75 \text{ N/mm}^2$$

$$\frac{100A_s}{bd} = \frac{100 \times 402}{150 \times 362} = 0.74$$

$$bd = 150 \times 362$$

For table $v_{\text{c}} = 0.60 \text{ N/mm}^2$

$$A_{sv} = 0.4 \times 150 = 0.276$$

$$S_v = 0.87 \times 250$$

Provide R8 @300 c/e

R8@300c/e

$$\text{Deflection: } f_s = \frac{5}{9} \times 410 \times \frac{305}{402} = 173 \text{ N/mm}^2$$

$$M = 37.4 \times 10^6 = 0.52$$

$$bd = 550 \times 362$$

$$m.f = 0.55 + \frac{(477 - 173)}{120(0.9 + 0.52)} = 2.33$$

$$\text{Basic span/effective depth} = \frac{2 \times 26}{0.52} = 52$$

$$\text{Actual span/effective depth} = \frac{(8050)}{264} = 30.5$$

52 > 30.5

deflection o.k

10 CC ROOF FLOOR BEAMS

10.1 BEAMS: RB-1, RB-2, RB-3, RB-4, RB-40

RB-5, RB-6, RB-7, RB-8, RB-9, RB-10,
4B-16, 4B-17, 4B-19, are just the same
as 1B-4A, 1B-5, 1B-6, 1B-7, 1B-8, 1B-9, 1B-10,
1B-16, 3B-10, respectively.

10.2 BEAMS

L = 6.3m, 500 x 300mm

Loading

For AS-I: $11.89 \times 3.0/2 = 22.59 \text{ kN/m}$

RS-1: $11.89 \times 0.52/2 = 3.00$

Self weight of beam = 5.04

$$q = 30.74 \text{ kN/m}$$

RA ~ RB = $30.74 \times 6.3 \times 1/2 = 96.77 \text{ kN}$

B_{mmax} = $30.74 \times 6.3^2 \times 1/8 = 152.51 \text{ kNm}$

K = $152.51 \times 10^6 = 0.148$, Z = 0.79 x d

$$30 \times 500 \times 262$$

As = $152.51 \times 10^6 = 2060 \text{ mm}^2$

$$0.87 \times 410 \times 0.79 \times 262$$

Provide 3Y25+2Y20 bottom (2098mm²)

$$\sim \text{Hanger bars } 0.25 (500 \times 300) = 300 \text{mm} = 339 \text{mm} \\ 3Y12(339)$$

SHEAR

$$V = 97 \text{kN}, v = \frac{97 \times 10^3}{500 \times 262} = 0.74 \text{N/mm}^2$$

$$100A_s = \frac{100 \times 2098}{500 \times 262} = 1.60$$

By interpolation $v_c = 0.85 \text{N/mm}^2$

$$A_s v / S_y = \frac{0.4 \times 500}{0.87 \times 250} = 0.920$$

Provide R8@195 c/c stirrups.

10.3 RB-5

$$\sim A \sim L \sim A \quad (44.81 \text{kN/m}) \\ R \sim \text{-----} \sim \text{-----} \sim RB$$

$$\text{From slab R-S2: } 11.89 \times 6/2 = 23.78 \text{kN/m}$$

$$\text{" " } 11.89 \times 0.52/2 = 3.09 \text{kN/m} \\ = 38.76 \text{kN/m}$$

$$\text{Selfweight: } - 6 \times 3 \times 24 \times 1.4 = 6.05 \text{kN/m}$$

$$q = 44.81 \text{kN/m}$$

$$R_A = R_B = 44.81 \times 6/2 = 134.4 \text{kN}$$

$$M_{\text{max}} = 44.81 \times 6/8 = 202 \text{kNm}$$

$$K = \frac{202 \times 10^6}{30 \times 600 \times 262} = 0.16 \text{ compression reinforcement required}$$

$$30 \times 600 \times 262$$

$$A_{1s} = \frac{M - 0.156 f_c b d^2}{0.87 \times 410 (d - d_l)} = \frac{(202 - 193) \times 10^6}{80614} = 112 \text{ mm}^2$$

Provide 2Y12 Top (226mm²).

$$A_s = 0.156 f_c b d^2 / 0.87 \times 410 \times 0.775 + A_{1s} = 2777 \text{ mm}^2$$

Provide 1Y25 + 3Y20 (290mm²)

SHEAR

$$V = 134.4, V_c = 134.4 \times 10^3 / (600 \times 262) = 0.85 \text{ N/mm}^2$$

$$100 A_s / b d = 100 \times 2903 / (600 \times 262) = 1.85 \text{ N/mm}^2$$

$$v_c = 0.89 \text{ N/mm}^2$$

Provide min reinforcement.

$$A_{sv} = 0.4 \times 600 = 1.103$$

$$S_v = 0.87 \times 250$$

Provide double R8@160 C/C double links.

10.4 RB-9

RB-9 same as 3B-9

4B-11d

1



LOADING

From slab RS-3d: $11.89 \times 1,575/2 = 9.36kN/m$

For parapet wall: $0.15 \times 1.5 \times 24 \times 1.4 = 7.56kN/m$

" self weight: $0.23 \times 0.3 \times 24 \times 1.4 = 2.32kN/m$

$q = 19.24kN/m$

$RA=RB = \frac{19.24 \times 2.5}{2} = 24.1kN$

2

2

$K = \frac{30 \times 230 \times 262}{2}$

$30 \times 230 \times 262$

Provide same as reinforcement as 3B-9 i.e 3Y12Bottom (339mm²)

SHEAR

Provide R8 @230 C/C asfor 3B-9.

10.5RB-11c & 4B-11e

F=24.1kN

hA.L~:AAA.
1.575,...

LOADING

Same Loading as 4B-11d = 19.24kN/m

$$M_{max} = 24.1 \times 1.58 + 19.2 \times 1.58^2/2 = 62\text{kNm}$$

Provide some reinforcement as 3B-11e (2Y20 + 2y16) Top (1030mm)

10.6RB-11 curve

~ LOADING

For slab AS-3d, AS-3c (average): $(11.89 \times 1.5/2 \times 0.5) \times 2 = 9.24\text{mm}$

For parapet & self weight = 9.88kN/m

$$= 19.12\text{kN/m}$$

$$M_{max} = 19.12 \times 3.357^2 + 24.1 \times 1.575 \times 1.76 = 26.93 + 20.15 = 47.08 \text{ kNm}$$

$$8 \quad 3.357$$

Alternatively,

$$R_A = 24.1 \times 1.782 + 19.12 \times 3.336 = 44.90\text{kN}$$

$$3.357$$

$$R_s = 24.1 \times 1.912 \times 3.36 - 44.9 = 43.44\text{kN}$$

$$\text{Position of } BM_{max} = R_s - 19.12 \times \quad = 0$$

$$x = 43.44 = 2.27m$$

$$19.12$$

$$BM_{max} = RBX - 19.12X^2/2 = 49.35kNm.$$

$$K = \frac{49.35 \times 10^6}{30 \times 250 \times 262^2} = 0.10$$

$$30 \times 250 \times 262^2$$

As = 591mm² provide 3Y16 Bottom (605mm²)

Hanger bars- 0.2(603) = 121mm²

Provide 2Y10 Top (157mm²)

i.e. Reinforcement same as 3B-II (a)

Stirrups same as 3B-IIa

i.e R8@220 clc.

107 RB-IIb L = 1.00,230 x 300mm

Reinforcement same as in 4B-III.

i.e 3Y12 Bottom.

Stirrups R8@230 clc.

10.8RB-12 & 14 L = 450 x 400mm

$$F = 43.44kN$$

LOADING

$$\text{From slab RS-1: } 11.89 \times 6.3/2 = 37.45kN/m$$

$$\text{" RS -4c: } 10.33 \times 0.55/2 = 2.69kN/m$$

$$\text{Self weight of beam: } 0.45 \times 0.4 \times 24 \times 1.4 = 6.05kN/m$$

$$q = 46.19kN/m$$

For slab 4b - 4c: $10.33 \times 0.55/2 = 2.84kN/m$

" 45 - 3c: $11.89 \times 3.15/2 = 18.73kN/m$

Self weight of beam $= 6.05kN/m$

$= 27.62kN/m$

$4.88RA = 46.19 \times 4.88/2 - 27.62 \times 2.212 - 43.44 \times 2$

$RB = 83.38kN.$

$RB = 46.19 \times 4.88 + 27.62 \times 2 + 43.44 - 83.58 = 241kN$

Position of beam:

$RA - 46.19x = 0 \quad \therefore x = 83.58 = 1.81m$

46.19

$BM_{max} = 83.58 \times 1.81 - 46.19 \times 1.81^2 = 76kNm$

Provide same reinforcement as 3B -12 & 14(3Y16) Bottom-titlsmm'

At the support (3Y16 + 2Y20) Top-2067mm²

Links Y8@200 clc

Deflection:

$10.9RB - 13 \quad L = 2.4m, \quad 230 \times 300mm$



LOADING

From slab RS - 3b- $11.89 \times 3.15/2 = 18.73$

Selfweight of beam $0.23 \times 0.3 \times 24 \times 1.4 = 2.31$

$$= 21.04 \text{ kN/m} \quad q_1$$

$$\text{From slab RS - 3C} \quad 11.89 \times 3.150/2 = 18.73 \text{ kN/m}^2$$

$$\text{From slab RS - 3C1} \quad 11.89 \times 3.150/2 = 18.73 \text{ kN/m}$$

$$\begin{aligned} R_A &= 2.4^2 \times 21.04^2 / 12 + 18.75 \times 0.7^2 / 12 \times 2.05 + \sim \times 1.7 \times 18.73 \times 1/3 \times 1.7/2.4 \\ &= 60.60 + 4.58 + 9.02/2.4 = 30.91 \text{ kN} \end{aligned}$$

$$\begin{aligned} R_B &= 18.73 \times 0.7 + \sim (18.73) \times 1.7 + 21.07 \times 2.4 - 119.88 \\ &= 13.11 + 15.92 + 50.57 - 30.91 = 48.69 \text{ kN} \end{aligned}$$

Position of **BM**

$$R_A \cdot x - 21.04x^2 - 18.73x = 0$$

$$x = 30.91/39.77 = 0.70 \text{ m}$$

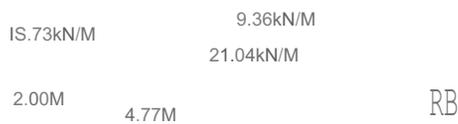
$$\begin{aligned} \text{BM}_{\text{max}} &= 30.91 \times 0.7 - 18.73 \times 0.7^2 / 2 - 21.04 \times 0.7^2 / 2 \\ &= 21.64 - 4.59 - 5.15 = 11.90 \text{ kNm} \end{aligned}$$

Provide 2Y16 Bottom.

Links Y8 @230 cle.

$$10.10 \text{ RB-15} \quad L = 4.77, 300 \times 300 \text{ mm.}$$

$$F = 44.90 \text{ kN}$$



LOADING

$$\text{From slab RS-3b} - 11.89 \times 3.15/2 = 18.73 \text{ kN/m}$$

$$\text{Self weight} = 2.31 \text{ kN/m}$$

q_2

$$q_2 = 21.04 \text{ kN/m}$$

$$\text{From slab RS - 3d} - 11.89 \times 1.575/2 = 9.36 \text{ kN/m} = Q_1$$

$$\text{From slab RS - 3c} - = 18.73 \text{ kN/m} = Q_3$$

$$R_A = 21.04 \times 4.77 + 18.73 \times 2 \times 3.77 + 44.9 \times 2.77 / 4.77$$

$$+ 9.36 \times 4.77 = 239.36 + 141.22 + 124.37 + 35.91$$

$$R_A = 113.4 \text{ kN}$$

$$R_s = 18.73 \times 2 + 44.90 + 9.36 \times 2.77 + 21.04 + 4.77 - 113.4 = 95.1 \text{ kN}$$

$$R_B = 95.1 \text{ kN}$$

Position of BM_{max}

$$R_s - (21.04 + 9.36) \times x = 0$$

$$x = 3.13 \text{ m}$$

$$M_{\max} = 95.1 \times 3.13 - 21.04 \times 3.13 - 9.36 \times 2.77 \times (3.13 - 2.77) - 44.9 \times (3.13 - 2.77)$$

$$= 297.7 - 103.06 - 9.33 - 16.16$$

$$= 169 \text{ kNm}$$

$$K = \frac{169 \times 10^6}{30 \times 230 \times 262^2} = 0.36$$

Increase breadth to 300mm.

Hence, beam size = 300 x 300

$$K = \frac{169 \times 10^6}{30 \times 300 \times 262^2} = 0.27$$

$$A_{IS} = M - 0.156 f_{cu} b d^2 \qquad d_1 = 20 + 8 + 8 = 36 \text{ mm}$$

$$0.87 f_y (d - d_1)$$

$$A_{IS}' = \frac{(169 - 96.38) \times 10^6}{0.87 \times 410 \times (262 - 36)} = 901 \text{ mm}^2$$

Provide 3Y20 Top (943 mm²)

$$A_{IS} = \frac{96.38 \times 10^6}{0.87 \times 410 \times 0.775 \times 262} + 901$$

$$= 2331 \text{ mm}^2$$

5Y25 Bottom (2450 mm²)

SHEAR

$$V = 1134 \text{ kN}$$

$$v = \frac{1134 \times 10^3}{300 \times 262} = 144 \text{ N/mm}^2$$

$$300 \times 262$$

$$100 A_s = 100 \times 2450 = 3.11$$

$$bd = 300 \times 262$$

$$A_{sv} = \frac{bv \cdot v}{0.87 f_y} = \frac{300(1.44 \times 1.04)}{0.87 \times 250} = 0.5517$$

$$0.87 f_y = 0.87 \times 250$$

Provide RS@150c/c

$$10.11 \text{ RB-18 (18a)} \quad L = 5040 \quad 800 \times 400 \text{ mm}$$

$$\frac{c}{i} \sim \frac{f_c}{f_y} \sim \frac{A_{sv}}{A_s} \sim \frac{T}{RB}$$

LOADS

$$\text{From slab RS-4c: } 14.61 \times (8.0512 + 1.0) = 73.41 \text{ kN/m}$$

$$\text{Self weight of beam: } 0.8 \times 24 \times 1.4 = 10.70 \text{ kN/m}$$

$$= 84.11 \text{ kN/m}$$

$$R_A = 84.11 \times 504/2 = 227 \text{ kN} = R_s$$

$$M = 84.11 \times 504/2 = 307 \text{ kNm}$$

$$b = 800, d = 400 - 20 - 8 - 12.5 = 359.5 = 360 \text{ mm}$$

$$=0.10$$

$$z = 0.87d = 315$$

$$30 \times 800 \times 360$$

$$307 \times 10^6 = 2733 \text{mm}^2$$

$$0.87 \times 410 \times 315$$

Provide 6Y25 (2950) bottom

$$20\% (2950) = 590 \text{mm}^2$$

Provide 3Y16 (603mm²) Top

SHEAR

$$V = 227 \text{kN}, v = 227 \times 10^6 = 0.79 \text{N/mm}^2$$

$$800 \times 360$$

$$100 A_s = 100 \times 2950 = 1.02$$

$$bd = 800 \times 360$$

By interpolation

$$v_c = 0.675 N / \text{mm}^2$$

$$A_{sv} = 0.4(800) = 1.4713$$

$$0.87 \times 250$$

Provide doubled R8@135c/c

Deflection:

From Upper Roof Slab Cal RC2

180KN

1,082KN

Load Summation:

Wall 1 - 2,708 X 2 = 5,416KN

Wall 2 - 302 X 2 = 604KN

Wall 3 - 622 X 2 = 1244KN

Wall 4 - 671 X 2 = 1342KN

Wall 5 - 1082 X 4 = 4328KN

IN = 12,934KN

Ar 12934 x 1.1

1.47 x (300 - 0.55 x 20)

Provide base 13.90 x 3.54m x 0.4 = 49.2m²

qc (Earth pressure) 12934 =

~11[1J]m.~

3.147m

2.330m

ly = 1 for both a & b

lu

Panel a - case 7

x = 0.043 Span

Panel a y = 0.043 Span

xy = 0.058 support

mx = 0.043 x 263 x 3.1432 =

my = 0.043 x 263 x 3.1432 = **112KNm/m**

At the continuous edge

m_{KY} = 0.058 x 263 x 3.1432 = -151KNm

d = 400 - 50 - 10 = 340mm

k = $\frac{m}{feubj}$ $\frac{112 \times 10^6}{30 \times 1000 \times 3402}$ 0.03

γ = 0.950 = 323

As = $\frac{112 \times 10^6}{0.87 \times 410 \times 323}$ 972mm²/m

Provide yI6@200_{c/c} (1010mm²)

Bothways

At support

As = $\frac{151 \times 972}{112}$ = 1310mm²

Provide 16@150% (1340mm²)

(under walls)

Provide Y16@200 c/e

i.e. mid-span top bothways

Provide Y16@150 "t", bottom at support (i.e. continuous edge)

PANEL B

$f_{in} = 0.034$
 $f_{oy} = 0.034$ pr spam

$f_{oxy} = 0.46$ Support

$f_{in} = 0.034 \times 112/0.043 = 88\text{KNM}$ - my
 $m_{ny} = -0.046/0.058 \times 151 = 1200\text{NM}$ Support
 support

span m - 88KNM
 $A_s = 88/110 \times 972 = 764\text{mm}^2/\text{m}$

Provide Y16@250_{c/c}(804mm²) bathways
 (bottom)

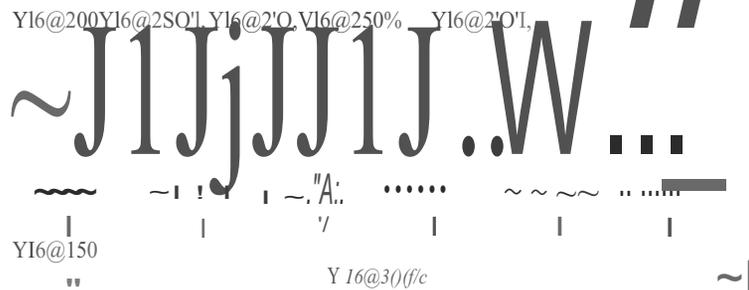
(mid-spam top bath ways)

Support 120KNM
 $A_s = 120/151 \times 1310 = 1041\text{mm}^2$

Provide
 Y16@250_{c/c} bottom
 (mid-span top)

Top

Provide Y16@175(1050mm²)
 (bottom under walls)



"Runners for the bottom bar

Provide V.13bh = 0.13 x 1000 x 400 = 520m²
 = YI6@300mm

Checks

- i. Punching shear: punching shear cannot be checked since the critical perimeter
- ii. 1.5d from the wall face (1.5 x 340 = 510mm) lies outside the base.
- iii. Shear: lies outside base

22/CC FOUNDATIONS

PAD FOUNDATION FOR COLUMNS C1 & C-26

22.1

$$N = 3531.3 \text{KN} \quad F-2$$

$$\text{Allowed bearing pressure of soil} = 300 \text{KN/m}^2$$

$$\therefore AF = \frac{3531.3 \times 1.1}{1.46 (300 - (0.55 \times 20))}$$

provide 3.0x3.0

Provide footing : 3.0 x 3.0 x 0.7m

$$q_c (\text{Em1 h pressure}) = 367.51 \times 3.12 = 392.4 \text{kn/m}^2$$

At the col. face of the critical section: $b = 3000 \text{mm}$

$$M = 367.5 \times 3 \times 1.22/2 = 1367 \text{ kN/m}$$

$$\text{Min. } d = 700 - 50 - 2 \times 10 = 520 \text{mm}$$

$$h = 700 \text{mm}$$

$$k = 847 \times 106 / 30 \times 300 \times 620$$

$$z = 0.95 \times 620 = 637$$

$$A_s = \frac{847 \times 106}{0.87 \times 410 \times 494} = 6025 \text{mm}^2$$

$$0.87 \times 410 \times 494$$

Provide 13Y25 both ways

bar spacing > 750 or $3d$ whichever is smaller

0) Check for min reinforcement

$$100 A_s = \frac{100 \times 6025}{3000 \times 700} = 0.29 > 0.13$$

$$bh$$

Max spacing = 750mm. therefore the reinforcement provided meets the requirement specified by the code for minimum area and maximum bar spacing in a slab

(ii) Check for punching shear

Critical perimeter - $u = \text{col. Perimeter} + 8 \times 1.5 \text{ col.}$

$$0.6 \times 4 + 8 \times 1.5 \times 0.670 = 10.44 \text{m}$$

Area with perimeter $= (0.6 + 3 \times 0.620) \times 1.5 = 6.81 \text{m}^2$

Punching shear force $v = 367.5(32 - (6.81/4)^2) = 2242 \text{kN}$

Punching shear stress $v = \frac{2242 \times 10^3}{10440 \times 620} = 0.35 \text{N/mm}^2$

$$10440 \times 620$$

by interpolation $v_c = 0.47 \text{N/mm}^2$

$\therefore 0.35 < 0.47$, hence the chosen depth 700mm is okay

Check for shear $1.2 - 0.67 \times 1.0d = 670 \text{mm}$

$$\begin{array}{ccc} 1.2 - 0.62 = 0.48, & 1.0 \times 0.620 = & 0.620 \text{m} \\ | & | & | \end{array}$$

shear

At the critical section for shear, 1.0d from the column face

$$V = 367 \times 3 \times 0.48 = 529 \text{kN}$$

$$v = \frac{529 \times 10^3}{3000 \times 620} = 0.28 \text{N/mm}^2$$

$$100A_s = 0.32$$

bd

Shear stress $v_c = 0.44 \text{N/mm}^2$

$\therefore 0.28 < 0.44 \text{N/mm}^2$, hence the section is adequate i.e 3000x3000x750mm is okay.

22. ..PAD FOUNDATION FOR COLUMN C-II, C-12, & C-13

N 2372KN F-3

$$AF = 2372 \times 11.1$$

$$1.47(300 - 0.55 \times 20)$$

$$\text{provide base } 2.20 \times 2.80 = 6.75 \text{m}^2$$

$$AF = 6.75 \text{m}^2$$

$$q_c(\text{Earth pressure}) = 2372 / 6.75 = 351.4 \text{K.N/m}^2$$

Assume $h = 600 \text{mm}$

$$d = 600 - 50 - 10 = 540 \text{mm}$$

At the face of column $b = 2250 \text{mm}$

$$M = 351.4 \times 2.25 \times 2.8 = 889.5 \text{kNm}$$

$$z = 0.95 \times 540 = 394 \text{mm}$$

$$A_s = 889.5 \times 10^6 = 4861 \text{mm}^2$$

$$0.87 \times 910 \times 394$$

(16Y20 (S030m2))

Provide (16Y20 (S030'm2))

$$M_y = 351.4 \times 3 \times 1.132 = 667 \text{ kNm}$$

$$d = 600 - 50 - 20 - 10 = 520 \text{mm}$$

$$d = 600 - 50 - 20 - 10 = 520 \text{mm}$$

$$z = 0.95 \times 520 = 494 \text{mm}$$

$$A_s = 667 \times 10^6 = 3785 \text{mm}^2$$

$$0.87 \times 410 \times 494$$

Provide 13Y20 (4083mm2)

Provide 13Y20

Checks

$$\text{i) Min reinforcement } \frac{100 \times 5030}{2250 \times 500} = 0.45 > 0.13 \text{ OK.}$$

Spacing 750mm max. OK.

Punching shear

ii) Critical perimeter - $v = \text{col. Perimeter} + 8x1.Sd$

$$= 2(1.SxO.S40x2 + 1.2 + 1.SxO.52x2 + 0.45)$$

$$= 9.66\text{m}$$

Table 5.1 mosley

$$V = 351.4(2.25x3 - (9.66/4)^2) = 323\text{kN}$$

$$v = \frac{323x10^3}{9660x540} = 0.06\text{N/mm}^2$$

$$100A_s = 100xS030 = 0.3$$

$$bd = 3000x540$$

$$v_c = 0.44\text{N/mm}^2$$

$0.06 < 0.44\text{N/mm}^2$, the chosen depth is adequate

(iii) check for shear $0.90 - 0.54 = 0.46\text{m}$

.45

.1.2

2250

$$V = 351.4x2.25x0.46 = 364\text{kN}$$

$$v = \frac{364x10^3}{2250x540} = 0.43\text{N/mm}^2$$

$$2250x540$$

By v_c from table 5.1 mosley $= 0.43\text{N/mm}^2$

$$\therefore 0.42 < 0.43\text{N/mm}^2$$

Hence section is OK

i.e 22S0x3000xS00 is OK

22.4 PAD FOUNDATION FOR C-2, C-2a C-3, C-3a & C-4

$$N=2388\text{kN}$$

$$AF=1.1 \times 2388 / 1.47(300-(0.55 \times 20)) = 6.18\text{mm}^2$$

$$\text{Provide base } 2.5 \times 2.5 \times 0.6\text{m, Area} = 6.25\text{mm}^2$$

$$d = 600 - 50 - 20 - 10 = 520 \text{ d}$$

$$q_c(\text{Earth pressure}) = 2388 / 6.25 = 382\text{kN/m}^2$$

$$\text{At the face of column } b = 2500$$

$$M = 382 \times 0.952 \times 2.5^2 / 2 = 431\text{kNm}$$

$$Z = 0.95 \times 520 = 494$$

$$A_s = 431 \times 10^6 = 2446\text{mm}^2$$

$$0.87 \times 410 \times 494$$

Provide 13Y16(2613mm²) i.e Y16@180 both ways

Provide 13Y16

Checks

$$(i) \text{ Min reinforcement-, } 100 \times 2613 / (2500 \times 600) = 0.17 > 0.13$$

$$2500 \times 600$$

(ii) Punching shear:-

$$\text{Critical perimeter} = v = (1.5 \times 0.52 \times 2 + 0.6) \times 4$$

$$= 8.64\text{m}$$

$$V = 382 (2.5 - (8.64) / 4)$$

$$= 605\text{KN}$$

$$v = 605000 / (2500 \times 520) = 0.13\text{N/mm}^2$$

$$8640 \times 520$$

$$100A_s = 100 \times 2613 / (2500 \times 520) = 0.20$$

$$bd = 2500 \times 520$$

by interpolation $f_c = 0.4 \text{ N/mm}^2 > 0.13$

hence, the depth is adequate.

Check for shear $0.95 - 0.52 = 0.43$

$$1.0d = 520$$

$$0.95 - 0.52 = 0.43$$

$$1.0d = 520 \quad \sim - + | - + \sim - - + - |$$

shear

$$V = 382 \times 2.5 \times 0.43 = 411 \text{Kn}$$

$$v = 411 \times 10^3 = 0.32 \text{N/mm}^2 < V_c = 0.4 \text{N/mm}^2$$

$$2500 \times 520$$

Hence, the section is okay

i.e. $2.5 \times 2.5 \times 0.6$ is okay

22.5 Combined footings for column C-6a, C-6b

F-6

Loads:

$$2N = 1485 \times 2 = 2970$$

$$AF = 2970 \times 1.1 = 7.46 \text{m}^2$$

$$1.46 \times 300$$

Provide footing $1.8 \times 4.8 = 8.64 \text{m}^2$

$$\text{Pressure (earth pressure)} = 2970 = 344 \text{Kn/m}^2$$

$$8.64$$

$$0.9 \text{m}$$

$$3.0 \text{m}$$

$$0.9 \text{m}$$

$$0.9 \text{m}$$

$$1.8$$

$$0.9 \text{m}$$

$$4.8 \text{m}$$

PAD FOOTING FOR COLUMNS C-S, C-6a, C-6b

F-7 & F-7a

$$N = 1800 \text{Kn} \therefore 2N = 3600 \text{Kn}$$

$$\text{characteristic} = 1.1 \times 3600 = 2694 \text{Kn}$$

1.47

$$A_p = 2694 \quad = 9.32 \text{nl}$$

$$300 - (0.55 \times 20) \quad 0.66 \quad 80$$

1.0

1.0

1.0 3.0m

$$\text{Area of the rectangle} = (3+2x)(2x) = 9.38$$

By solving for $x = 0.96 \text{m}$

Hence, adopt base area $2 \times 5 = 10 \text{m}^2 = \text{provide } 2 \times 5 \times 0.6 \text{m}$

$$\%(\text{earth pressure}) = 3600 \quad = 360 \text{kN/m}^2$$

10

REINFORCEMENT (a) (longitudinal bending)

$$(i) \text{ Cantilever: } M_x = 3600 \times 2.0 \times (1.0) = 360 \text{kNm}$$

2

$$b = 2000, d = 600 - 50 - 8 = 542 \text{mm}$$

$$A_s = 360 \times 10^6 = 1960 \text{mm}^2$$

$$0.87 \times 410 \times 0.95 \times 542$$

Provide 7Y20(2200mm²) bottom

7Y20@290% bottom

Transverse bending

$$b = 5.0 \text{m}, d = 600 - 50 - 20 - 10 = 520 \text{mm}$$

$$M_x = 360 \times 1.2 \times 5 = 900 \text{kNm}$$

2

=

$$0.87 \times 410 \times 0.95 \times 520$$

Provide 17Y20(5340mm²) bottom

Provide 17Y20@bottom

Min reinforcement - $0.13 \times 5000 \times 5340$

$$100$$

$$= 3380 \text{mm}^2 < 5108 \text{mm}^2$$

Checks

(i) Punching shear:-

Critical perimeter $u = (1.5 \times 0.542 \times 2 + 0.91z) +$

$$(1.5 \times 0.520 \times 2 + 0.9z) \times 2$$

$$= (2.08 + 2.01) \times 2 = 8.18 \text{m}$$

$$V = 360 \left[2 \times 5 - \frac{(1.5 \times 0.52 \times 2 + 0.9)(1.5 \times 0.520 \times 2 + 0.9) \times 2}{2} \right]$$

$$360 = (10 - [(2.08)(2.01) \times 2])$$

$$\therefore V = (10 - 8.36)360 = 589 \text{kN}$$

$$v = \frac{589000}{81880 \times 542} = 0.13 \text{N/mm}^2$$

$$81880 \times 542$$

by interpolation $v = 0.40 \text{ N/mm}^2 > 0.13 \text{ N/mm}^2$

the depth is Ok

(ii) Shear

$$V = 360 \times 2 \times 0.458 = 330 \text{KN}$$

$$v = \frac{33000}{2000 \times 542} = 0.30 \text{N/mnl}$$

$$100 A_s = 0.2$$

bd

$$v_s = 0.40 \text{N/mm}^2 > 0.30 \text{Nm}$$

The chosen section is Ok

$$1.2 - 0.62 = 0.48, \quad 1.0 \times 0.620 = 0.620\text{m}$$

shear

At the critical section for shear, 1.0d from the column face

$$V = 367 \times 3 \times 0.48 = 529\text{kN}$$

$$v = \frac{529 \times 10^3}{3000 \times 620} = 0.28\text{N/mm}^2$$

$$100A_s = 0.32$$

bd

$$\text{Shear stress } v; = 0.44\text{N/mm}^2$$

.. $0.28 < 0.44\text{N/mm}^2$, hence the section is adequate i.e 3000x3000x750mm is okay.

22.3 PAD FOUNDATION FOR COLUMN C-II, C-12, & C-13

$$N = 2372\text{KN} \quad F = 3$$

$$AF = 2372 \times 11.1 = 6.14\text{m}^2$$

$$1.47(300 - 0.55 \times 20)$$

$$\text{provide base } 2.20 \times 2.80 = 6.75\text{m}^2$$

$$q_c(\text{Earth pressure}) = 2372 / 6.75 = 351.4\text{KN/m}^2$$

$$\text{Assume } h = 600\text{mm}$$

$$100A_s = 100 \times 5030 = 0.3$$

$$bd = 3000 \times 540$$

$$v_c = 0.44 \text{ N/mm}^2$$

$0.06 < 0.44 \text{ N/mm}^2$, the chosen depth is adequate

(iii) check for shear $0.90 - 0.54 = 0.46 \text{ m}$

.45

~ 1.2

2250

$$V = 351.4 \times 2.25 \times 0.46 = 364 \text{ kN}$$

$$v = \frac{364 \times 10^3}{2250 \times 540} = 0.43 \text{ N/mm}^2$$

$$2250 \times 540$$

By v_c from table 5.1 Mosley = 0.43 N/mm^2

$$\therefore 0.42 < 0.43 \text{ N/mm}^2$$

Hence section is OK

i.e. $2250 \times 3000 \times 500$ is OK

22.4 PAD FOUNDATION FOR C-2, C-2a C-3, C-3a & C-4

$$N = 2388 \text{ kN}$$

$$AF = 1.1 \times 2388 / 1.47 (300 - (0.55 \times 20)) = 6.18 \text{ mm}^2$$

Provide base $2.5 \times 2.5 \times 0.6 \text{ m}$, Area = 6.25 mm^2

$$d = 600 - 50 - 20 - 10 = 520 \text{ d}$$

$$q_c (\text{Earth pressure}) = 2388 / 6.25 = 382 \text{ kN/m}^2$$

At the face of column $b = 2500$

$$M = 382 \times 0.952 \times 2.5 / 2 = 431 \text{ kNm}$$

$$V = 382 \times 2.5 \times 0.43 = 411 \text{Kn}$$

$$v = \frac{411 \times 10^3}{2500 \times 520} = 0.32 \text{N/mm}^2 < V_e = 0.4 \text{N/mm}^2$$

Hence, the section is okay

i.e. $2.5 \times 2.5 \times 0.6 \text{m}$ is okay

22.5 COMBINED FOOTINGS FOR COLUMN C-6A, C-6B

F-6'

Loads:

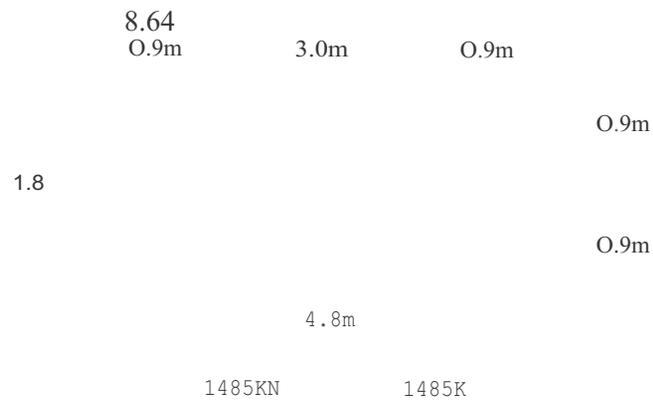
$$2N = 1485 \times 2 = 2970$$

$$AF = 2970 \times 1.1 = 7.46 \text{m}^2$$

$$1.46 \times 300$$

Provide footing $1.8 \times 4.8 = 8.64 \text{m}^2$

$$\%(\text{earth pressure}) = \frac{2970}{8.64} = 344 \text{Kn/m}^2$$



2000x542

$$100 A_s = 0.2$$

bd .

$$v_s = 0.40N/mm^2 > 0.30Nm$$

The chosen section is okay

22/CC FOUNDATIONS

PAD FOUNDATION FOR COLUMNS C₁ & C-26

22.1

$$N = 3531.3\text{KN} \quad \text{F-2}$$

Allowed bearing pressure of soil 300KN/m^2

$$\begin{aligned} \therefore AF &= \frac{3531.3 \times 1.1}{1.46 (300 - (0.55 \times 20))} \\ &= 9.21\text{m}^2 \end{aligned}$$

provide
3.1
3.10x0.7m

Provide footing : 3.1 x 3.1 x 0.7m

$$q_c(\text{Earth pressure}) = 367.51 \quad 3.1^2 = 392.4\text{kn/m}^2$$

At the col. face of the critical section: $b = 3000\text{mm}$

$$M = 367.5 \times 3 \times 1.22/2 = 1369\text{kNm}$$

$$\text{Min. } d = 700 - 50 - 20 - 10 = 620\text{mm}$$

$$h = 700\text{mm}$$

$$k = 847 \times 10^6 / 30 \times 300 \times 620$$

$$z = 0.95 \times 620 = 637$$

$$A_s = \frac{1369 \times 10^6}{0.87 \times 410 \times 637} = 6025\text{mm}^2$$

$$0.87 \times 410 \times 637$$

—

$$\begin{aligned}
 \text{Shear force } v &= 367.5 \times 3.1 \times 0.610 \\
 &= 695 \text{KN} \\
 v &= 698.4 \times 10^3 = 0.35 \text{N/mm}^2 \\
 \frac{100A_s}{bd} &= 0.3, \quad v_c = 0.44 \text{N/mm}^2 \\
 v, &> 0.35 \text{N/mm}^2 \\
 \text{The chosen section is okay}
 \end{aligned}$$

dL

22.3 PAD FOUNDATION FOR COLUMN C-11, C -12 & C -13

h=700mm

$$\begin{aligned}
 N &= 2372 \text{KN} && \text{F-3} \\
 AF &= 2372 \times 1.1 \\
 &= 1.47 (300 - 0.55 \times 20)
 \end{aligned}$$

Provide base $2.25 \times 3.00 = 6.75 \text{m}^2$

b = 3100mm

$$4.10 \text{ IB -10} \quad L = 3.8\text{m}, \quad 300 \times 300$$

d=637mm

t

Loading

$$\begin{aligned}
 \text{From slab 15 - 2b: } & 11.81 \times 6/2 = 35.44 \text{KN/m} \\
 \text{From slab 15 - 3: } & 11.81 \times 0.52h = 2.99 \text{KN/m} \\
 \text{Sub rnflobean} & 0.71 \\
 Q & = 39.14 \text{KN/m}
 \end{aligned}$$

Provide
13Y25
both ways

Reactions

Reinforcement
okay

$$\begin{aligned}
 3.8 R_1 &= \sqrt{2} \times 3.8 \times 39.14 \times \frac{1}{2} \times 3.8 \\
 R_1 &= 25 \text{KN} \\
 R_2 &= \sqrt{2} \times 39.14 \times 3.8 - 25 \\
 &= 49 \text{KN}
 \end{aligned}$$

Post of BMM.AX

$$25 - 39.14 \times x \times \frac{1}{2} \times x = 0$$

$$5.15x^2 = 25$$

$$\therefore x = \frac{25}{5.15} = 4.85$$

BMM.AX

$$\begin{aligned}
 25x - 39.14 \times \frac{1}{2} \times x^2 \\
 3.8 \times 2.2 - 1.7 \times 2.2^2 \\
 55 - 18.28 = 37 \text{KNM}
 \end{aligned}$$

h = 700 okay

Hence

Provide 50% of the reinforcement of beam IB - 8.

Provide 13Y25 both ways (6380mm)

bar spacing >750 or $3d$ whichever is smaller

(i) Check for min reinforcement

$$100 A_s = \frac{100 \times 6025}{3000 \times 700} = 0.29 > 0.13$$

$$bh = 3000 \times 700$$

Max spacing = 750mm. therefore the reinforcement provided meets the requirement specified by the code for minimum area and maximum bar spacing in a slab

(ii), Check for punching shear

Critical perimeter - $u = \text{col. Perimeter} + 8 \times 1.5 \text{ col. } ,$

$$0.6 \times 4 + 8 \times 1.5 \times 0.670 = 10.44 \text{m}$$

$$\text{Area with perimeter} = (0.6 + 3 \times 0.620)^2 = 6.81 \text{m}^2$$

$$\text{Punching shear force } v = 367.5(32 - (6.81/4)^2) = 2242 \text{kN}$$

$$\text{Punching shear stress } v = \frac{2242 \times 10^3}{10440 \times 620}$$

$$10440 \times 620$$

by interpolation $v_c = 0.47 \text{N/mm}^2$

$0.35 < 0.47$, hence the chosen depth 700mm is okay

$$\text{Check for shear } 1.2 \times 0.67 \times 1.0d = 670 \text{mm}$$

$$M_{1Y} = \frac{360 \times 5}{2} = 900 \text{ Knm}$$

$$A_s = 900 \times 106 = 5108 \text{ mm}^2$$

$$0.87 \times 410 \times 0.95 \times 520$$

Provide 17y20(5340mm²) bottom

Provide 17y20@bottom

$$\begin{aligned} \text{Min reinforcement} &= \frac{0.13 \times 5000 \times 5340}{100} \\ &= 3380 \text{ mm}^2 < 5108 \text{ mm}^2 \end{aligned}$$

Checks

(i) Punching shear:-

Critical perimeter $u = (1.5 \times 0.542 \times 2 + 0.9h) +$

$$(1.5 \times 0.520 \times 2 + 0.9h) \times 2$$

$$= (2.08 + 2.01) \times 2 = 8.18 \text{ m}$$

$$V = 360 \left[\frac{2 \times 5 - (1.5 \times 0.52 \times 2 + 0.9)(1.5 \times 0.520 \times 2 + 0.9) \times 2}{2} \right]$$

$$360 = (10 - [(2.08)(2.01) \times 2])$$

$$\therefore v = (10 - 8.36) \times 360 = 589 \text{ KN}$$

$$V = 589000 = 0.13 \text{ N/mm}^2$$

$$81880 \times 542$$

$$\text{by } u_s = 0.40 \text{ N/mm}^2 > 0.13 \text{ N/mm}^2$$

the depth is okay

(ii) Shear

$$V \sim 360 \times 2 \times 0.458 = 330 \text{ KN}$$

$$U = 33000 = 0.30 \text{ N/mm}^2$$

22.6 PAD FOOTING FOR COLUMNS C-S, C-6a, C-6b

F-7&F-7a

$$N = 1800\text{Kn} \therefore 2N = 3600\text{Kn}$$

$$\text{characteristic} = 1.1 \times 3600 = 2694\text{Kn}$$

1.47

$$AF = 2694 \quad = 9.32$$

$$300 - (0.55 \times 20)$$



$$\text{Area of the rectangle} = (3+2x)(2x) = 9.38$$

By solving for $x = 0.96$

Hence, adopt base area $2 \times 5 = 10\text{m}^2 =$ provide $2 \times 5 \times 0.6\text{m}$

$$\%(\text{earth pressure}) = \frac{3600}{10} = 360\text{Knlm}^2$$

REINFORCEMENT (a) (longitudinal bending)

$$(i) \text{ Cantilever: } M_x = 3600 \times 2.0 \times (1.0)^2 = 360\text{Knm}$$

2

$$b = 2000, d = 600 - 50 - 8 = 542\text{mm}$$

$$A_s = 360 \times 10^6 \quad 1960\text{mm}^2$$

$$0.87 \times 410 \times 0.95 \times 542$$

Provide 7Y20 (2200mm²) bottom

7y20@290% botton

Tranverce bending

$$b = 5.7\text{m}, d = 600 - 50 - 20 - 10 = 5\text{comm}$$

$$Z = 0.9SxS20 = 494$$

$$As = 431x106 = 2446mm^2$$

$$0.87x410x494$$

Provide 13Y16(2613mm²) i.e Y16@180 both ways

Provide 13' 6

Checks

(i) Min reinforcement - $100x2613 = 0.17 > 0.13$

$$2S00x600$$

(ii) Punching shear:-

Critical perimeter = $v = (1.5x0.52x2+0.6)4$

$$= 8.64m$$

$$V = 382 (2.S2_ (8.64)2/4)$$

$$= 60SKN$$

$$v = 60S000 = 0.13N/mm^2$$

$$8640x520$$

$$100As = 100x2613 = 0.20$$

$$bd = 2500xS20$$

by interpolatin $uc = 0.4N/mm^2 > 0.13$

hence, the depth is adequate.

Check for shear $0.9S-0.52 = 0.43$

$$1.0d = S20$$

$$0.9S-0.52=0.43$$

$$1.0d=S20 \quad \sim | \quad \sim |$$

$$d = 600 - 50 - 10 = 540 \text{ mm}$$

At the face of column $b = 2250 \text{ mm}$

$$M = 351.4 \times 2.25 \times 2.8 = 889.5 \text{ kNm}$$

$$z = 0.95 \times 540 = 394 \text{ mm}$$

$$A_s = \frac{889.5 \times 10^6}{0.87 \times 910 \times 394} = 4861 \text{ mm}^2$$

16Y20(5030m')

Provide (16Y20 (5030m²))

$$M_y = 351.4 \times 3 \times 1.132 = 667 \text{ kNm}$$

$$d = 600 - 50 - 20 - 10 = 520 \text{ mm}$$

$$d = 600 - 50 - 20 - 10 = 520 \text{ mm}$$

$$z = 0.95 \times 520 = 494 \text{ mm}$$

$$A_s = \frac{667 \times 10^6}{0.87 \times 410 \times 494} = 3785 \text{ mm}^2$$

Provide 13Y20 (4083mm²)

Provide 13Y20

Checks

$$\text{i) Min reinforcement } \frac{100 \times 5030}{2250 \times 500} = 0.45 > 0.13 \text{ OK}$$

Spacing 750mm max. OK

Punching shear

$$\text{ii) Critical perimeter } - v = \text{col. Perimeter} + 8 \times 1.5d$$

$$= 2(1.5 \times 0.540 \times 2 + 1.2 + 1.5 \times 0.52 \times 2 + 0.45)$$

$$= 9.66 \text{ m}$$

Table 5.1 Mosley

$$V = 351.4(2.25 \times 3 - (9.66/4) \times 2) = 323 \text{ kN}$$

$$v = \frac{323 \times 10^3}{9660 \times 540} = 0.06 \text{ N/mm}^2$$

$$9660 \times 540$$

$$V = 366.6 \times 2.6 \times 0.6 = 572 \text{kn}$$

$$v = \frac{572000}{2600 \times 480} = 0.46 \text{N/mm}^2$$

EXTERNAL R/W AT CORNER WELLS

PI

~ P2

Assuming surcharge load of 2.5KN/m^2 & 8% =

$$h_e = \frac{2.5}{20} = 0.125$$

$$PI \ X_s = \frac{1 - \sin^2 Q}{1 + \sin^2 Q} = \frac{1 - \sin^2 33^\circ}{1 + \sin^2 33^\circ} = 0.295$$

$$PI = \text{Karhe} = 0.295 \times 20 \times 0.125 = 0.74 \text{KN/m}^2$$

$$P_2 = \text{Ka.rH} = 0.295 \times 20 \times 3.65 = 21.5 \text{KW/m}^2$$

$$MA = \frac{0.74 \times 3.65^2 \times 0.5 + 21.5 \times 3.65^2 \times 1 - 3.5 \times 0.62 \times 0.5 \times L}{3} = \frac{4.929 + 47.739 - 0.2}{3} = 52.5 \text{KNm/m}$$

$$h = 1000 \text{mm}, \quad d = 230 - 30 - 10 = 190 \text{mm}$$

$$k = \frac{52.5 \times 10^6}{30 \times 1000 \times 190^2} = 0.05$$

$$\therefore \phi = 0.95d = 180.5$$

$$m = \frac{52.5 \times 10^6}{0.87 \times 410 \times 180.5} = 8.15 \text{mm}^2/\text{m}$$

Provide provide y_{12} @ 135ϕ , - External N.F

Provide min. reinforcement for Runners

$$= \frac{0.13 \times 1000 \times 230}{100} = 299 \text{mm}^2/\text{m}$$

Provide y_{10} @ 280ϕ

$$M_o = 52.5 + (0.74 \times 3.65 + 21.5 \times 3.65 \times 0.5 - 3.5 \times 0.65 \times 0.5) \times 0.4 + 3.65 \times 20 \times 0.25 = 59.2 \text{KNm/m}$$

$$N = 1.1 \times 3.65 \times 20.0 + 0.27 \times 0.6 \times 20 + 0.23 \times 3.65 \times 24.0 + 1.6 \times 0.4 \times 24 = 1115.7 \text{KN}$$

$$e = \frac{59.2}{115.7} = \frac{0.51m}{6} > .LQ = 0.267$$

$$\text{max} = \frac{2 \times 115.7}{3 \times 1.0 (L_s - 0.51)} = \frac{266 \text{KN/m}^2}{2} < 300 \text{KN/m}^2$$

FOUNDATIONS
22/CC PAD FOUNDATION FOR COLUMN
£1 & C6b F-2

22.1 N 3531.3 KN

$$\begin{aligned}
 \text{A footiy} &= 3531 \times 1.47 (300 - 0.55 \times 20) = 9.21\text{m}^2 \\
 \text{Provide base} &3.10 \times 3.10 = 9.61\text{m}^2 \\
 a &= 3000 - 600 = 2500/2 = 1250 \\
 h &> 0.5a = 0.5 \times 1250 = 625\text{min} \\
 \text{Hence provide } h &= 700 \\
 \text{Earth pressure } q_c &= 3531.3 = 367.5\text{KN/M}^2 \\
 &3.12
 \end{aligned}$$

At the face of column which is critical

$$\begin{aligned}
 m &= 367.5 \times 3.1 \times (3.1 \times 0.5)^2 = 1369\text{KNm} \\
 &2 \\
 d &= 700 - 50 - 20 - 10 = 640\text{mm} \\
 k &= 1369 \times 10^6 / 30 \times 3100 \times 640^2 \\
 &= 0.04 \\
 \therefore Z &= 0.95d = 608 \\
 A_b &= 1369 \times 10^6 / 0.87 \times 410 \times 605 \\
 &= 6312\text{mm}^2
 \end{aligned}$$

Provide 11-:25 both ways
~80mm²)

CciE~XS

$$\begin{aligned}
 \text{i. Min. } L_{\text{min}} &= 0.13bh\% \\
 &= 0.13 \times 3100 \times 50/100 = 3023\text{mm}^2 < 63\&O\text{mm}
 \end{aligned}$$

$$\begin{aligned}
 \text{ii. critical perimeter } - v &= (1.5 \times .64 \times 2 + 0.6) \times 4 \\
 &= 10.08\text{m}
 \end{aligned}$$

$$\begin{aligned}
 \text{Punching shear force } V &= 367.5 (3.12 - (J Q.9 \sim j) / 4) \\
 &= 367.5 (9.61 - 6.35) \\
 &= 1198\text{KN}
 \end{aligned}$$

$$v = 1210 \times 10^3 / 10040 \times 640 = 0.19\text{N/mm}^2$$

$$\begin{aligned}
 100AS &= 100 \times 6380 = 0.3 \\
 br &3100 \times 640
 \end{aligned}$$

By interpolation,

$$v_c = 0.44 > 0.19 \text{ N/mrn}_2$$

Hence depth 750mm is okay

$$\begin{aligned}
 \text{iii. Shear: } &(a-l.Od) \quad 0.64 \\
 \text{Shear perimeter} &= 1.25 - (1 \times 0.637) \\
 &= 0.610
 \end{aligned}$$

CHAPTER FOUR

4.0 DISCUSSION OF RESULTS

- .a. This project revealed the advantages of ribbed slab over the solid slab. The design of the 300mm thick ribbed slab with the ribs spaced at 520mm center - center would have taken an equivalent of 200mm thick solid slab and is considered being uneconomical.

CHAPTER FIVE

5.0 CONCLUSION AND RECOMMENDATION

5.1 CONCLUSIONS

The aim of structural design is to have a safe and economical design and detailing of this project, it can be said that the aim of this project has been achieved. The building was designed as reinforced concrete structure with ribbed slab of 300mm thick (200~ clay pots with 100mm thick topping). The stair cases and lift walls are introduced as shear walls to neutralize the effect of wind.

5.2 RECOMMENDATION

Specifications should be strictly adhere to, qualified and experienced professionals should be commissioned to execute the project. The structural engineers should be allowed free hand to exercise his discretion in the execution of any projects.

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